

Spin Determination @ LHC

Itay Yavin

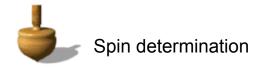
Princeton University

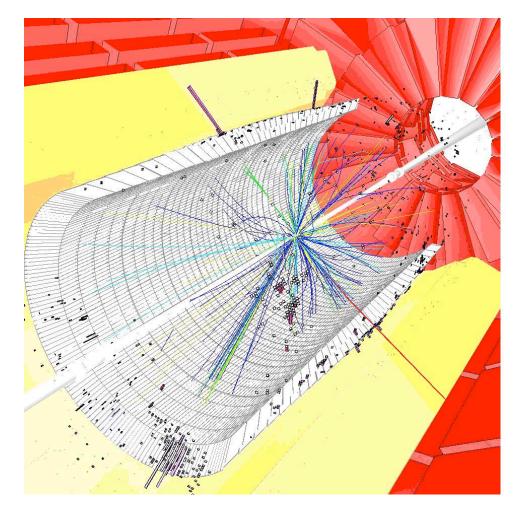
L. Wang and I.Y. hep-ph/0605296

C. Kilic, L. Wang and I.Y. hep-ph/0703085

L. Wang and I.Y. hep-ph/0802.2726

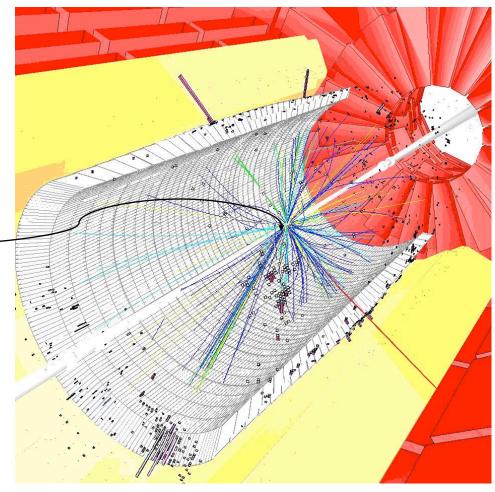
A. Hook, L. Wang and I.Y. To be published





Simulation of a SUSY event at CMS. Taken from Iguana CMS.

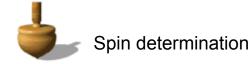


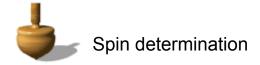


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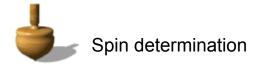


Spin ???





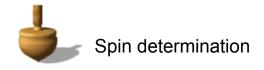
Is there any spin information to begin with?

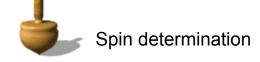


Is there any spin information to begin with? What are the conditions for spin effects to manifest themselves?

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• Rules for the existence of spin information in cascade decays.

(Using these rules you can simply look at any Feynman diagram and tell whether or not spin correlations exist!!!)

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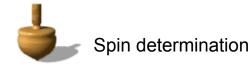
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- Gauge-boson partners' spin.
- Matter partners' spin.



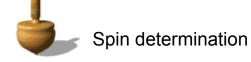
• Rules for the existence of spin information in cascade decays.

(Using these rules you can simply look at any Feynman diagram and tell whether or not spin correlations exist!!!)

- Gauge-boson partners' spin.
- Matter partners' spin.
- Future directions and unresolved issues.

(The experimental challenges are numerous, but they are at least well-defined and finite).



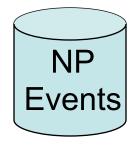


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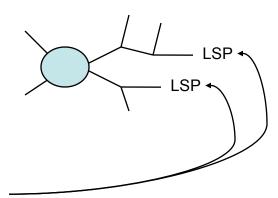
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There are invisible particles (LSP, LKP, etc.)

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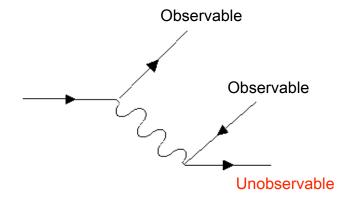


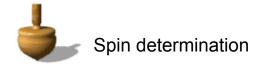
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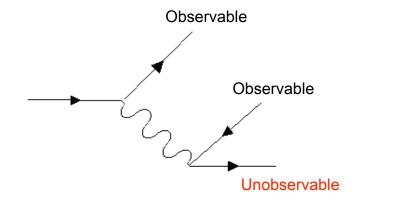


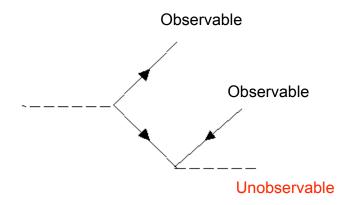
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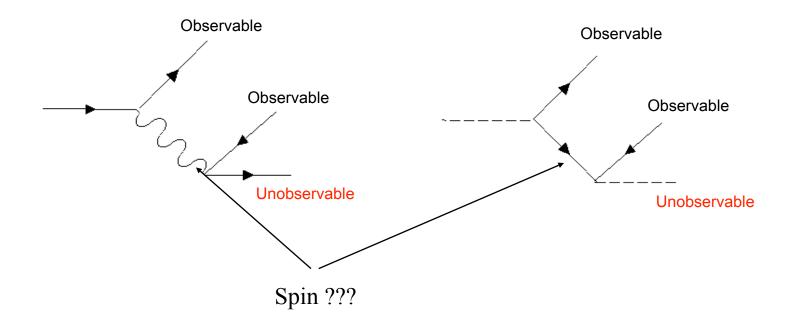


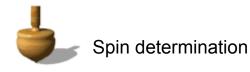




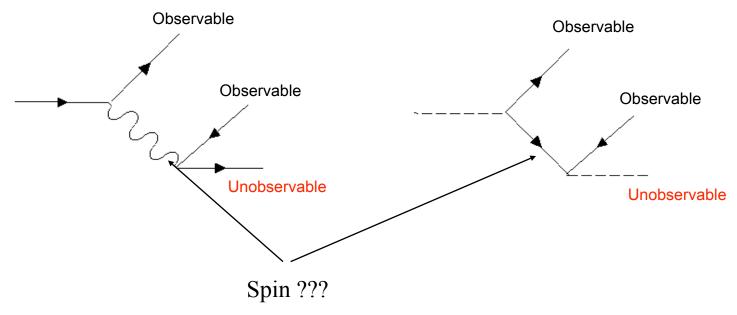








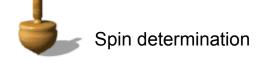
In this talk I will concentrate on measuring the spin through cascade decays.



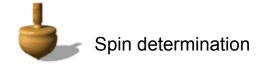
A complementary approach, which I will not discuss, is using total rate information. For interesting ideas in this direction,

Datta et al hep-ph/0510204, Meade and Reece, hep-ph/0601124, and Kane et al. hep-ph/0805.1397

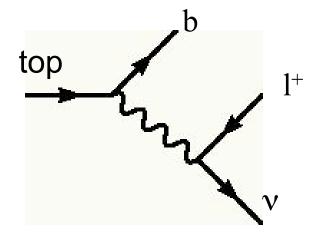


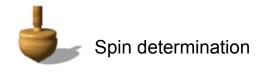


Determining the W-boson's spin in top decays

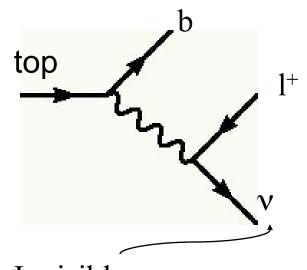


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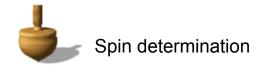




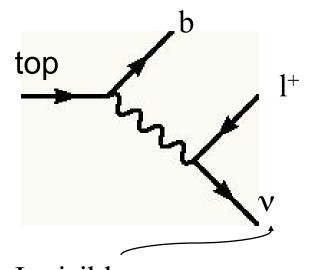
Determining the W-boson's spin in top decays



Invisible.
cannot reconstruct W's rest frame.



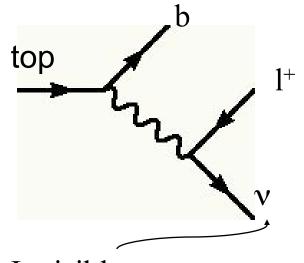
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Define a Lorentz invariant,

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Determining the W-boson's spin in top decays

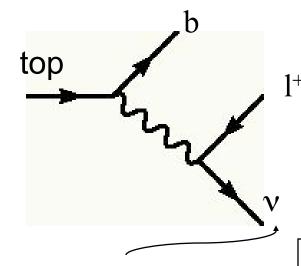


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Define a Lorentz invariant,

$$t_{bl} = (p_b + p_l)^2$$

Determining the W-boson's spin in top decays

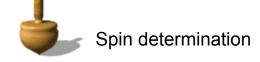


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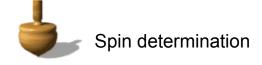
$$t_{bl} = (p_b + p_l)^2$$

Invisible.
cannot reconstruct W's rest frame.

$$d\Gamma/dt_{bl} = c_2 t_{bl}^2 + c_1 t_{bl} + c_0$$

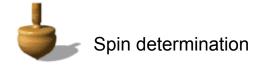


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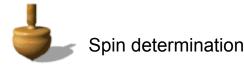
$$|\uparrow\rangle \xrightarrow{\theta} \cos(\theta/2)|\uparrow\rangle + \sin(\theta/2)|\downarrow\rangle$$



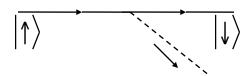
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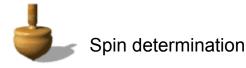
$$\left|\uparrow\right\rangle \xrightarrow{\theta} \cos(\theta/2)\left|\uparrow\right\rangle + \sin(\theta/2)\left|\downarrow\right\rangle$$

$$|\uparrow\rangle$$

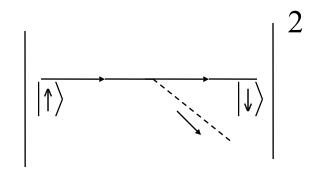


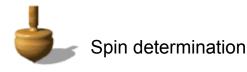
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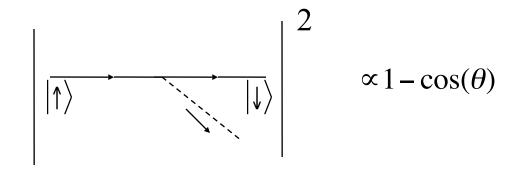


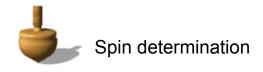
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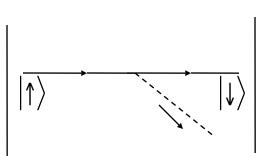


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Under a rotation a fermion transforms as,

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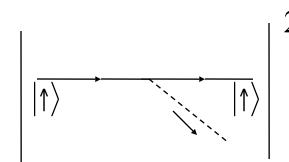


2

$$\propto 1 - \cos(\theta)$$

The interaction must be chiral otherwise the angular correlations are

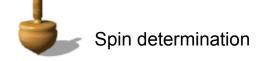
washed out!

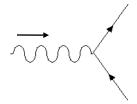


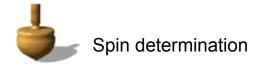
$$\propto 1 + \cos(\theta)$$

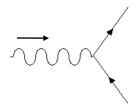
In addition, the decaying fermion must be polarized as well!

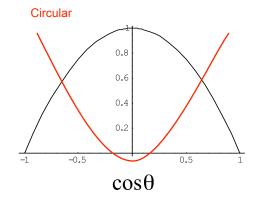


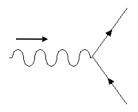


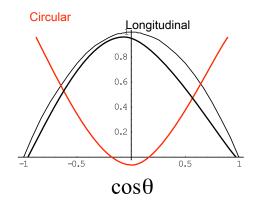


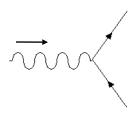


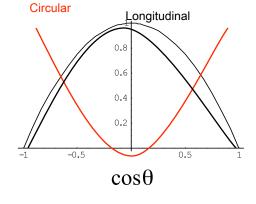


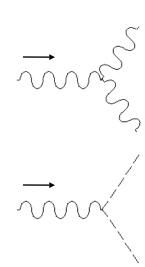


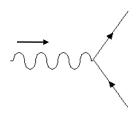


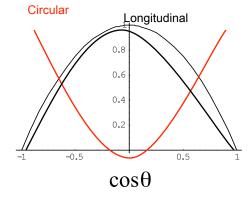


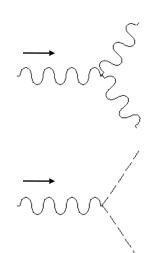


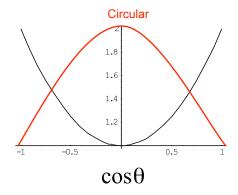


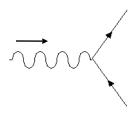


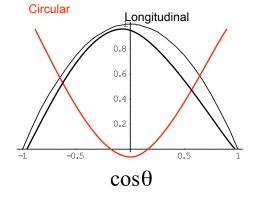


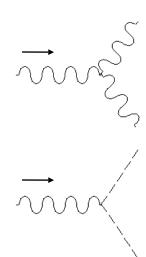


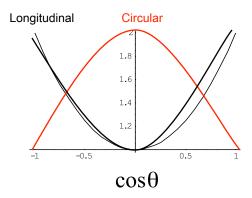


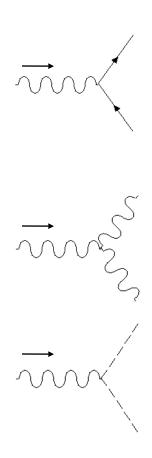


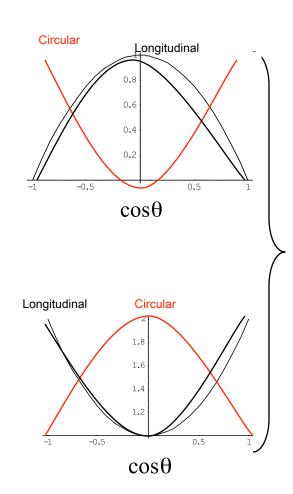








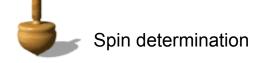


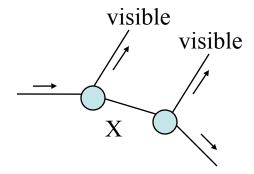


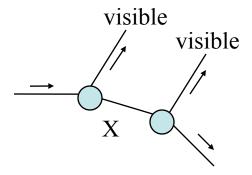
Behaves like,

 $\sim \cos^2(\theta)$

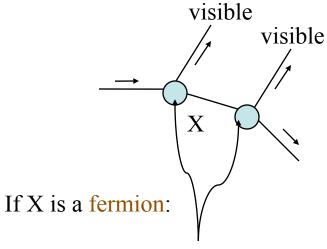
No requirements on the vertex, but the vector-boson must be polarized.







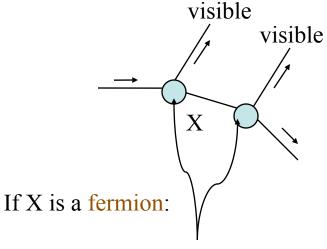
If X is a fermion:

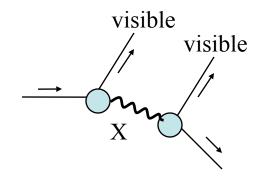


Dirac: Both vertices must be at least partially chiral.

Majoranna: also need charge determination



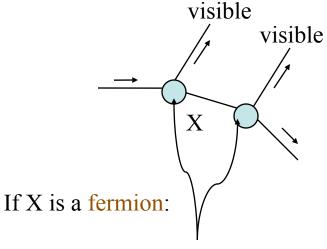




If X is a gauge-boson:

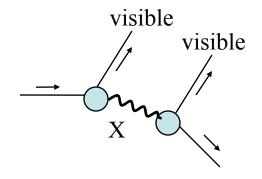
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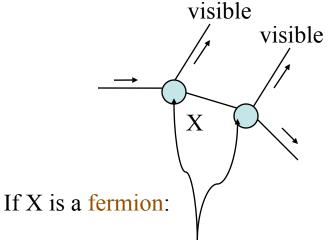
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If X is a gauge-boson:

X should be boosted so it is longitudinally enhanced.



Dirac: Both vertices must be at least partially chiral.

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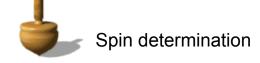
visible visible X

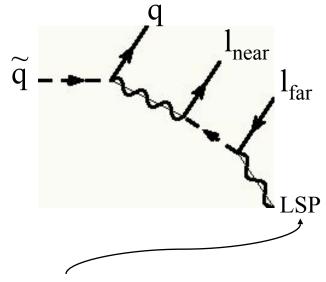
If X is a gauge-boson:

X should be boosted so it is longitudinally enhanced.

Otherwise, spin effects are washed out!!!



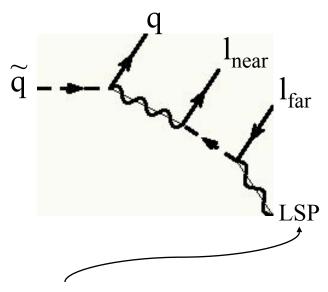




Invisible.

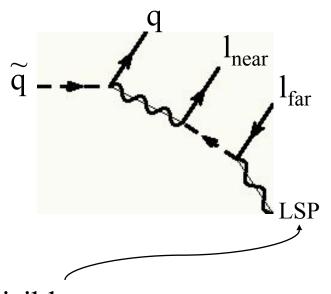
cannot reconstruct rest frame of neutralino.





Barr,
Datta, Kong & Matchev
Smillie & Webber
Alves, Eboli & Plehn

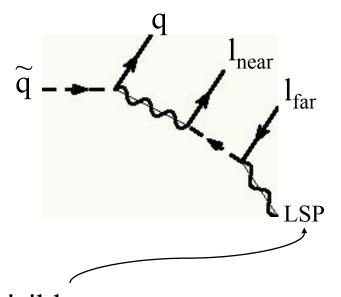
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$$t_{ql\pm} = (p_q + p_{l\pm})^2$$

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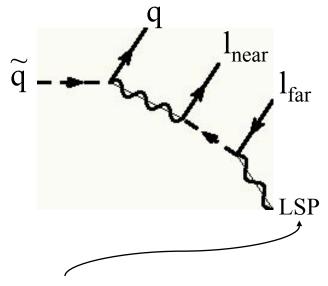


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Define an asymmetry var.



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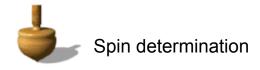
$$t_{ql\pm} = (p_q + p_{l\pm})^2$$

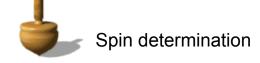
Define an asymmetry var.

$$A = \frac{S_{+} - S_{-}}{S_{+} + S_{-}} \qquad S_{\pm} = \frac{d\Gamma}{dt_{ql^{\pm}}}$$

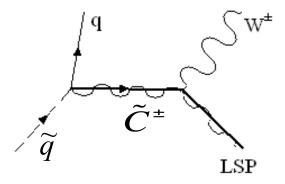
Gauge-boson Partner's Spin

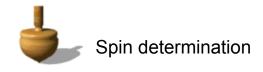
(fermions vs. vector-bosons)



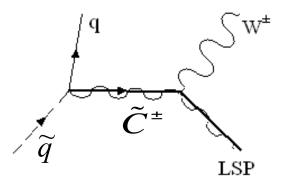


e.g. SUSY

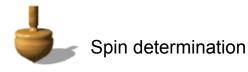




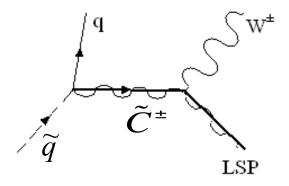
e.g. SUSY



$$d\Gamma/dt_{qW} = c_1 t_{qW} + c_0$$

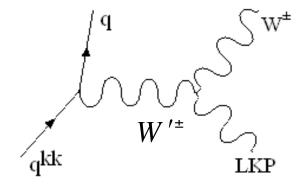


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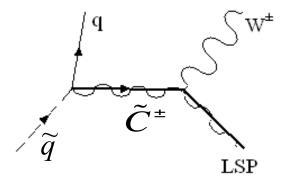


$$d\Gamma/dt_{qW} = c_1 t_{qW} + c_0$$

e.g. Little Higgs, UED, etc.

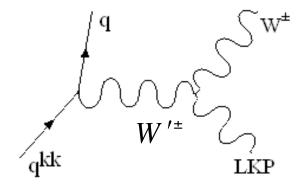


e.g. SUSY



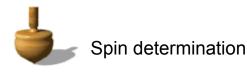
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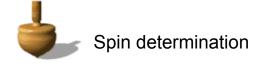
e.g. Little Higgs, UED, etc.

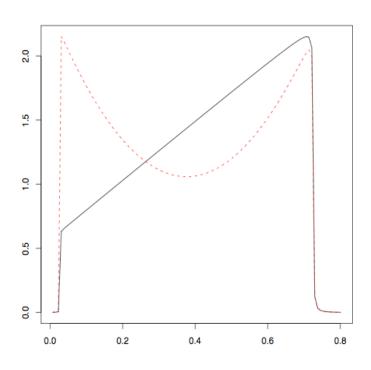


$$d\Gamma/dt_{qW} = c_2 t_{qW}^2 + c_1 t_{qW} + c_0$$

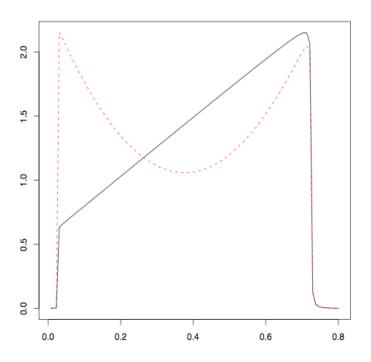
Different order polynomials!





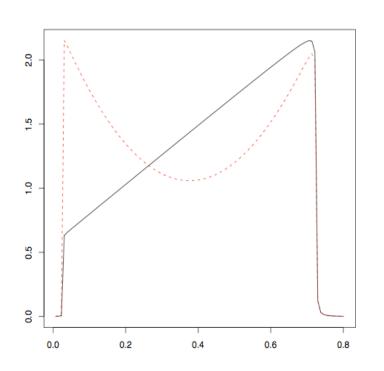


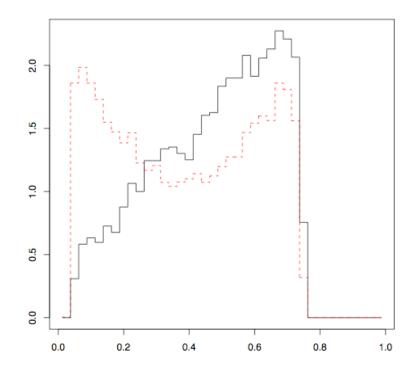




$$t_{qW} = (p_q + p_W)^2$$







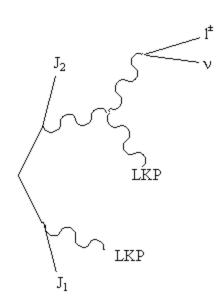
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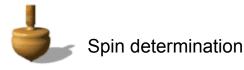


If the W-boson decays leptonically then we can form Jet-lepton correlations.

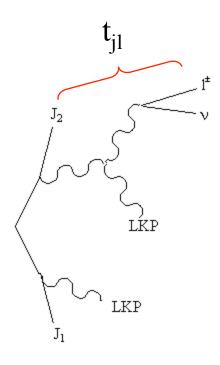


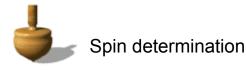
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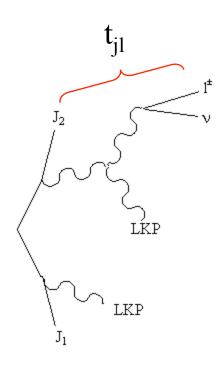


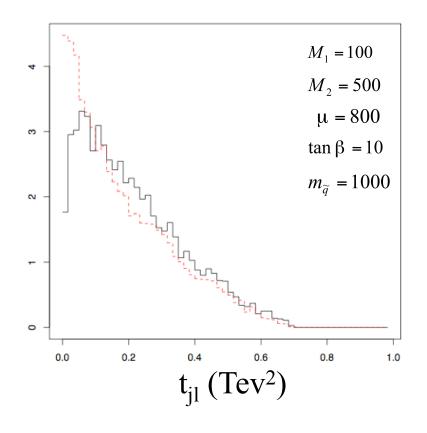
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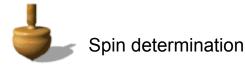




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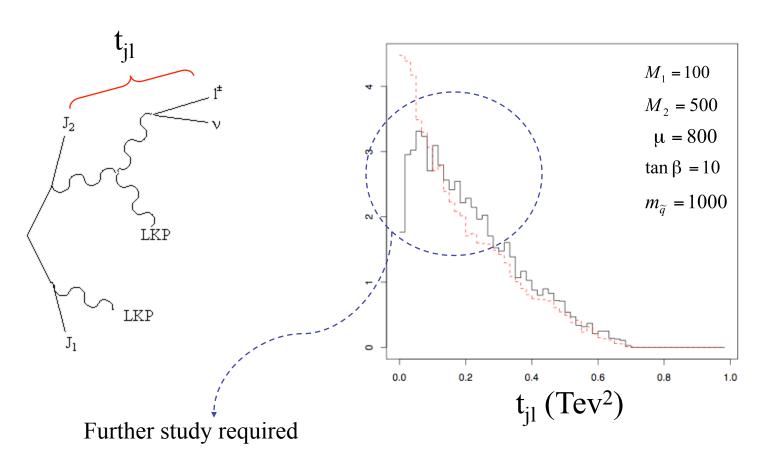






UC Davis

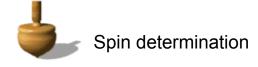
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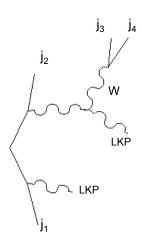


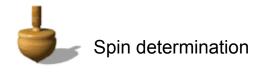
Spin determination UC Davis Itay Yavin

We may be able to reconstruct the W-boson out of its hadronic decay.

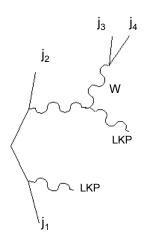


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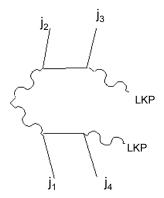




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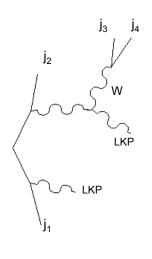


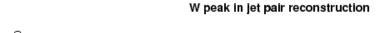
Background:

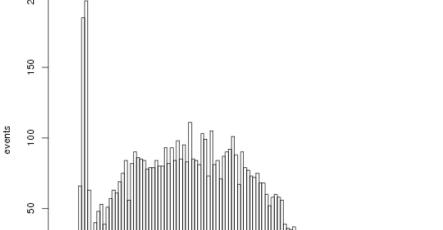




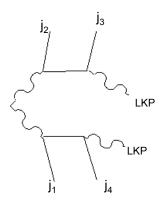
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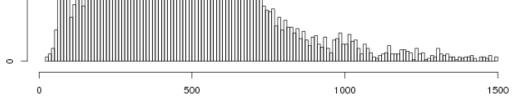






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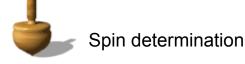


Including ΔR and P_T cuts and smearing.

M_(j1j2) (GeV)

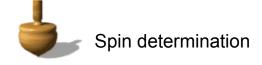


Even after taking combinatorics into account, the difference is very pronounced:



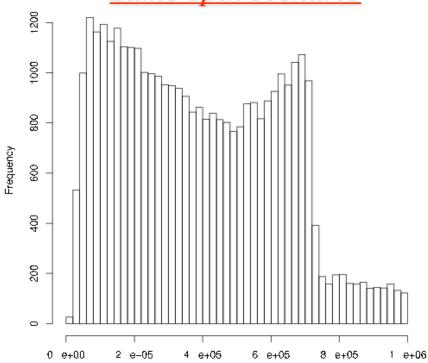
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Same-spin scenario



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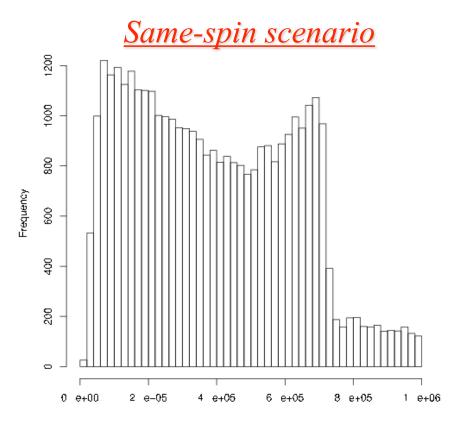






Spin determination UC Davis Itay Yavin

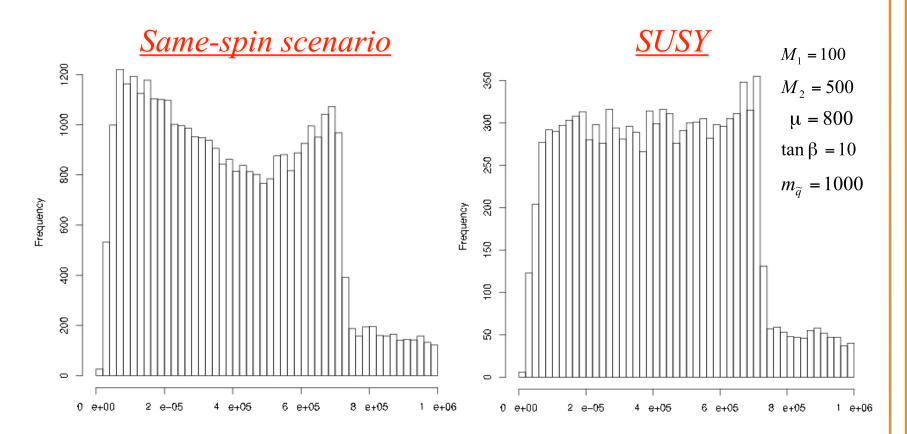
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SUSY



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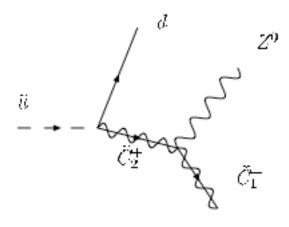




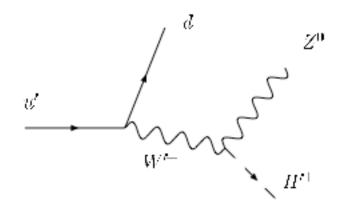
W-boson partners, another channel

e.g. SUSY

e.g. Little Higgs, UED, etc.



$$d\Gamma/dt_{qZ} = c_1 t_{qZ} + c_0$$

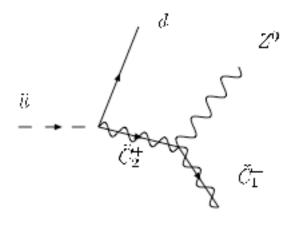


$$d\Gamma/dt_{qZ} = c_2 t_{qZ}^2 + c_1 t_{qZ} + c_0$$

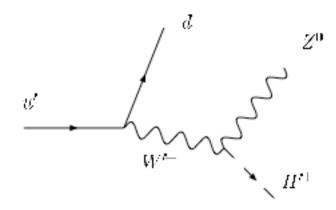
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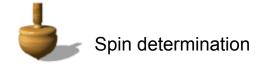


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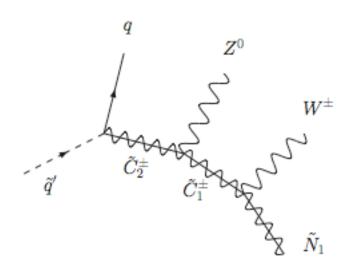
Coming soon . . .



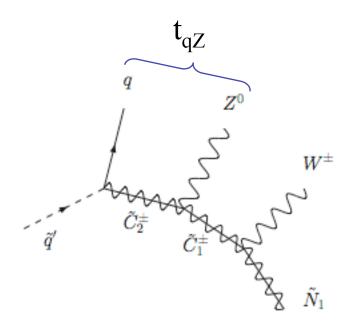
Demand: 3 leptons, 2 jets and MET and reconstructing a Z^0 .



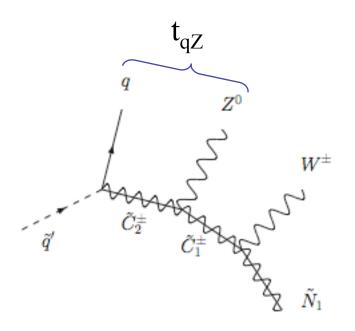
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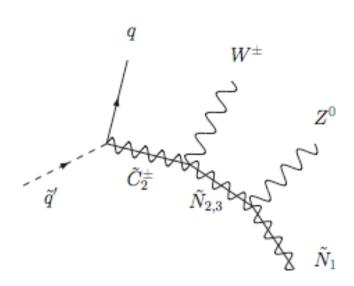


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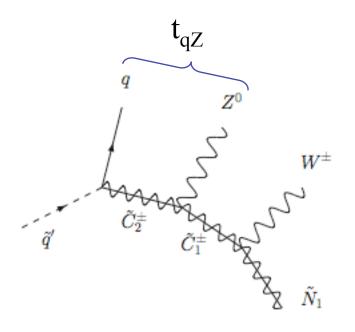


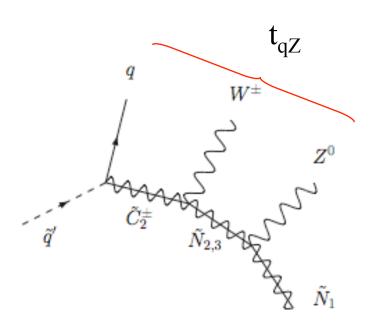
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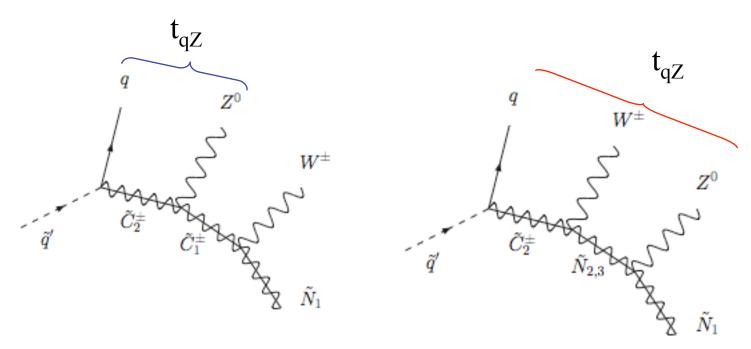
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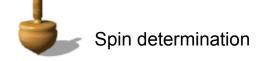
Demand: 3 leptons, 2 jets and MET and reconstructing a Z^0 .

There are only two dominant processes:

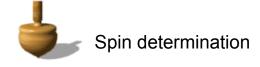


There is also the other jet in the event and it is not clear which jet should be paired with which Z^0 .

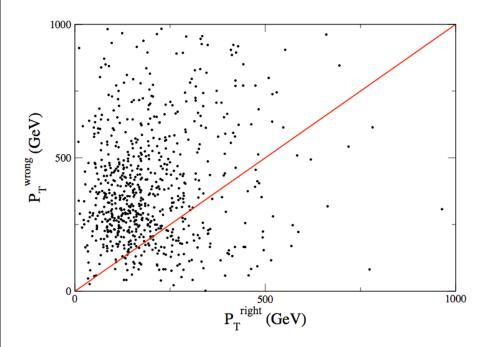




 q_{far} vs q_{near} resolution: choose the one with smaller $P_{\text{T.}}$

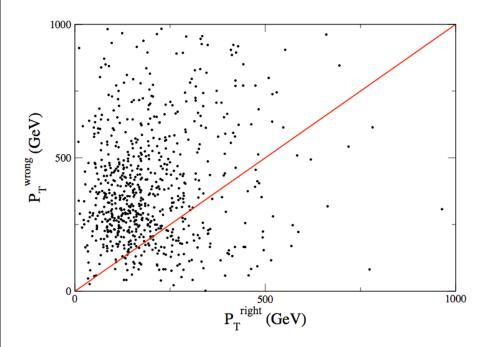


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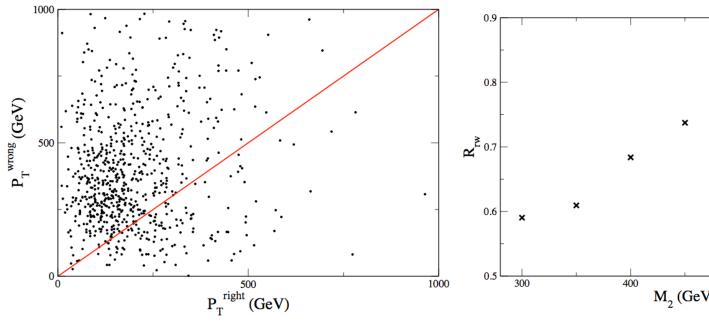
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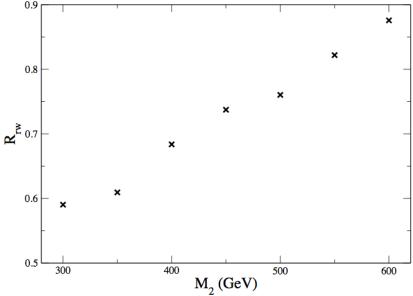


 Z_{far} vs Z_{near} resolution: choose the one with larger P_{T} .

 q_{far} vs q_{near} resolution: choose the one with smaller P_T

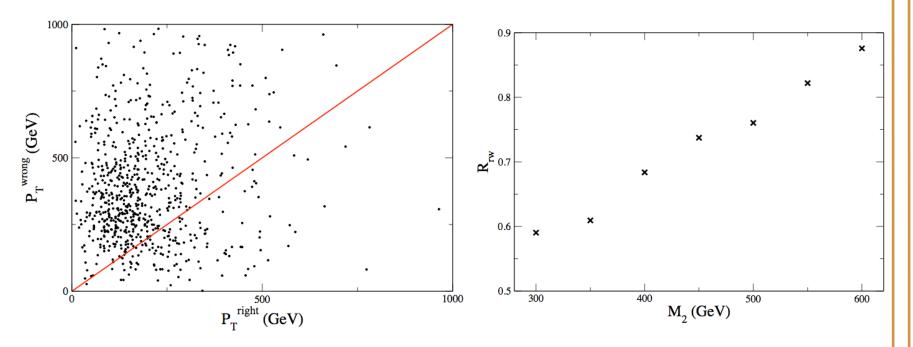
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 q_{far} vs q_{near} resolution: choose the one with smaller P_T

 Z_{far} vs Z_{near} resolution: choose the one with larger P_{T}

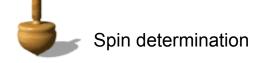


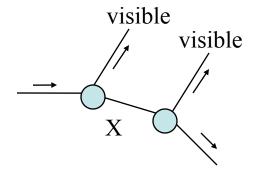
The signal cannot be isolated entirely. Now it's a question of purity vs. statistics.

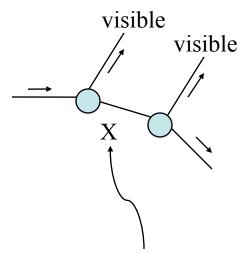


Matter Partner's Spin

(scalars vs. fermions)





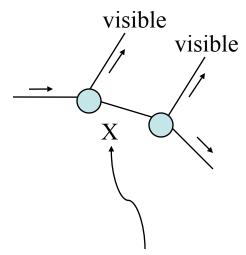


X is a fermion, so:

Need both vertices to be partially chiral to see angular correlations!



e.g. Little Higgs, UED, etc.

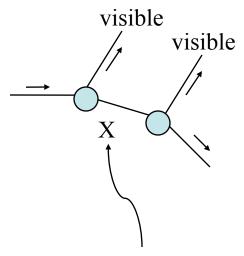


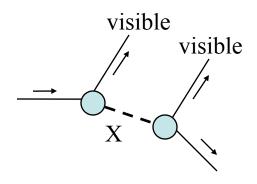
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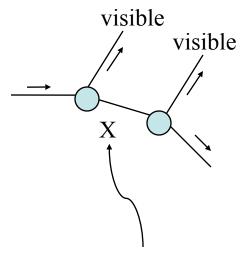


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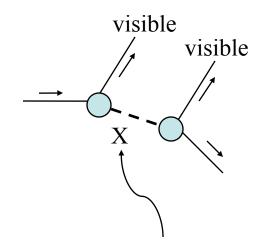


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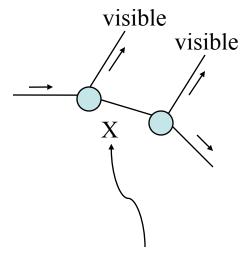


X is a scalar, so:

No angular correlations between outgoing visible particles!

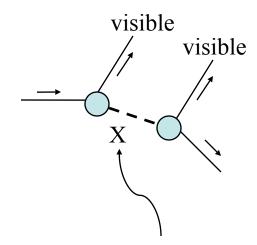
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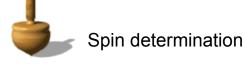
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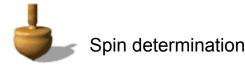


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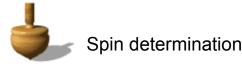
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$$L_{mass} = M_{Q} \overline{Q}_{L} Q_{R} + e^{i\phi} M_{U} \overline{U}_{L} U_{R}$$

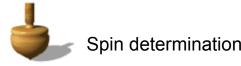


$$L_{mass} = M_Q \overline{Q}_L Q_R + e^{i\phi} M_U \overline{U}_L U_R + \lambda \overline{Q}_L h U_R + \lambda \overline{U}_L h Q_R$$



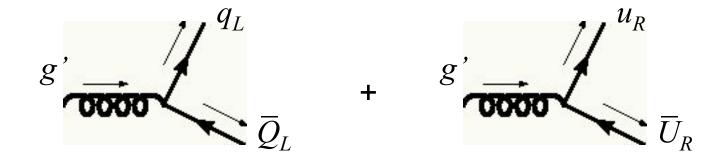
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$$L_{coupling} = \overline{Q}_L g' q_L + \overline{U} g' u_R + \dots$$



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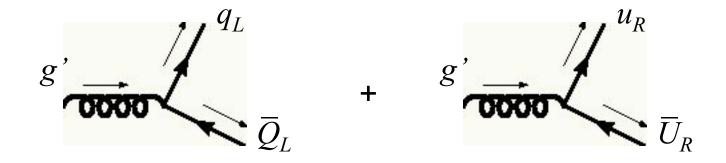




Since the SM is chiral, any new heavy matter partners must couple chirally

$$L_{mass} = M_{Q} \overline{Q}_{L} Q_{R} + e^{i\phi} M_{U} \overline{U}_{L} U_{R} + \lambda \overline{Q}_{L} h U_{R} + \lambda \overline{U}_{L} h Q_{R}$$

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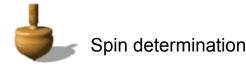


So, are the interactions always chiral ???





$$egin{pmatrix} M_Q & \lambda v \ \lambda v & e^{i\phi} M_U \end{pmatrix}$$



After EWSB, Q_1 and U_L mix, as well as U_R and Q_R , the amount of mixing depends on the mass matrix:

$$egin{pmatrix} M_Q & \lambda v \ \lambda v & e^{i\phi} M_U \end{pmatrix}$$

1)

Non-degenerate: $M_O >> M_U$ or v.v, mixing is very small.



$$egin{pmatrix} M_Q & \lambda v \ \lambda v & e^{i\phi} M_U \end{pmatrix}$$

- 1) Non-degenerate: $M_Q >> M_U$ or v.v, mixing is very small.
- 2) Degenerate: $M_O \sim M_U$ depends on ϕ .



$$egin{pmatrix} M_Q & \lambda v \ \lambda v & e^{i\phi} M_U \end{pmatrix}$$

- 1) Non-degenerate: $M_Q >> M_U$ or v.v, mixing is very small.
- 2) Degenerate: $M_Q \sim M_U$ depends on φ.
 - 1) $\phi = 0$ mixing is maximal.



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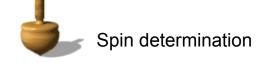
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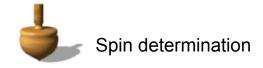
UED predicts

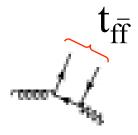
 $\phi = \pi$

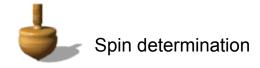




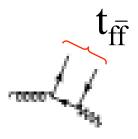


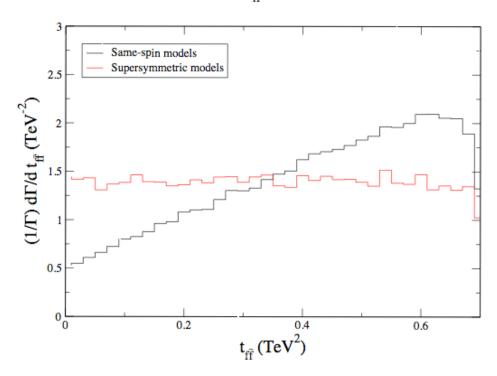




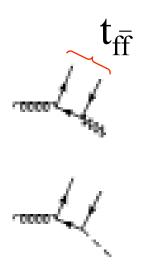


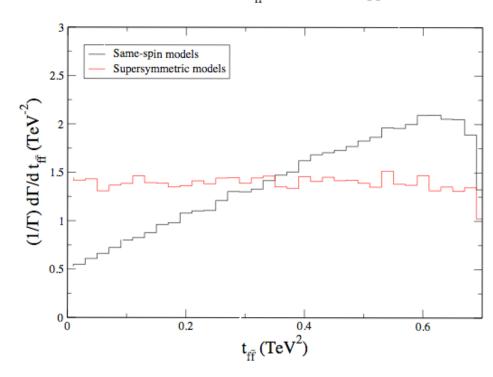
A histogram of t_{ff} with no cuts applied



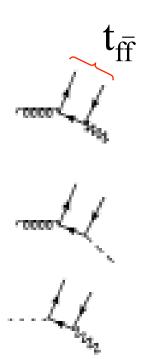


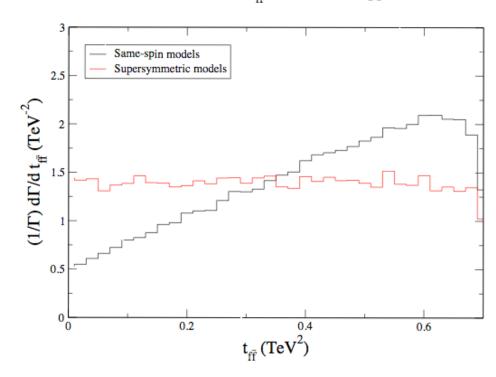
A histogram of $t_{f\bar{f}}$ with no cuts applied





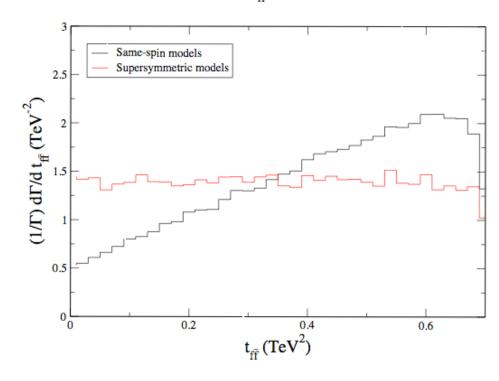
A histogram of $t_{f\bar{f}}$ with no cuts applied



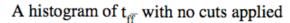


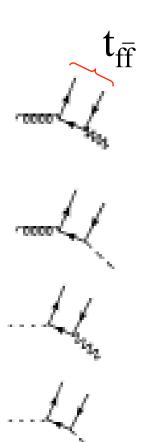
A histogram of $t_{f\bar{f}}$ with no cuts applied

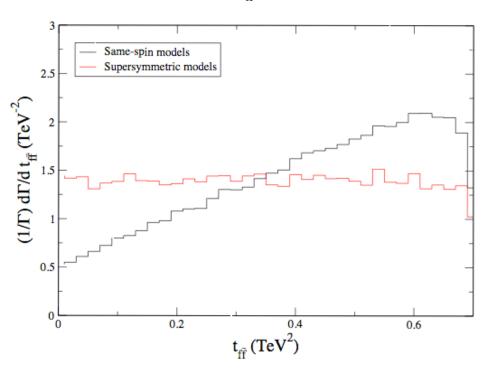








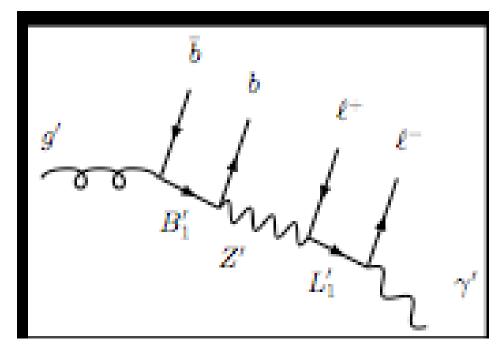




The sign of the slope removes some of the degeneracies.



Possible to determining all the spins in a cascade



Suppose one measures the slope of the b-b pair to be negative with $M_{B'}^2/M_{Z'}^2 < 2$ and that of the dilepton pair to be negative with $M_{V_c}^2/M_{V_c}^2 < 2$ as well. Then, either all three partners, g', Z' and γ ', are vector-bosons, or all three are scalars. Hence, with a single spin measurement of the Z', one can determine all the spins in the event.

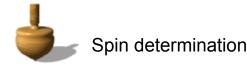


The requirement for chiral vertices can be formulated as the requirement that the intermediate propagator has the mass term dominating over the momentum term or vice-versa.

As was pointed out by *L. Wang* and myself and investigated in detail by *Csaki* et al, hep-ph/0707.0014 this also happens when the intermediate fermion is offshell.

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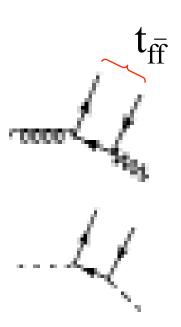
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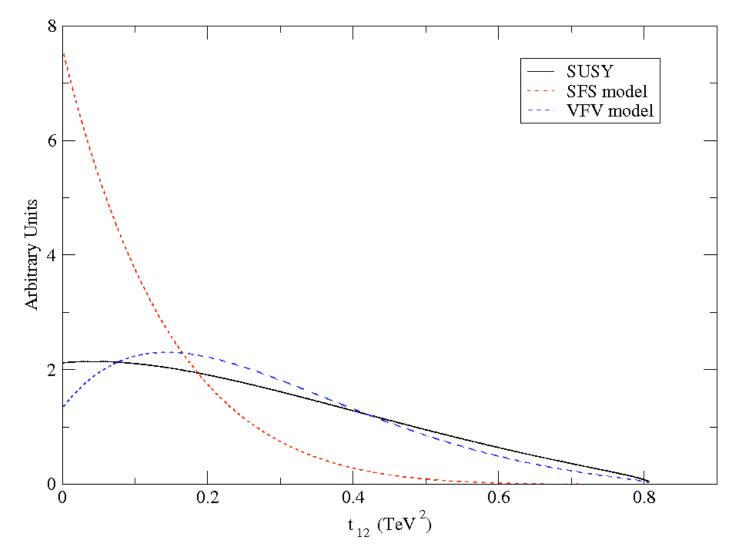


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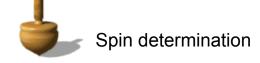


Spin determination

UC Davis

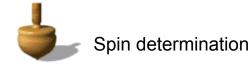
Itay Yavin

Future directions



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- Experimental difficulties:
 - o Background
 - o Can the correct pairing be determined and combinatorics reduced?
 - o How well will b-tagging work?



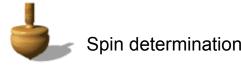
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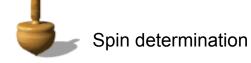
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- o Background
- o Can the correct pairing be determined and combinatorics reduced?
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New methods

- o A recent interesting paper by Cheng et al, 0707.0030 [hep-ph] tries to determine all the masses in certain cascades. Can it also help in determining the spin?
- o Methods using rate information are important and should be pursued further. Are there any model independent statements one can make?





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• Not all fermionic matter partners can be distinguished from scalars. It depends on the spectrum!

