



# Hierarchy, Quirks and the LHC

Roni Harnik, SLAC/Stanford

past and ongoing works with  
G. Burdman, Z. Chacko, H.S. Goh  
and T. Wizansky.

# Brief Commercial

# Aspen 2008

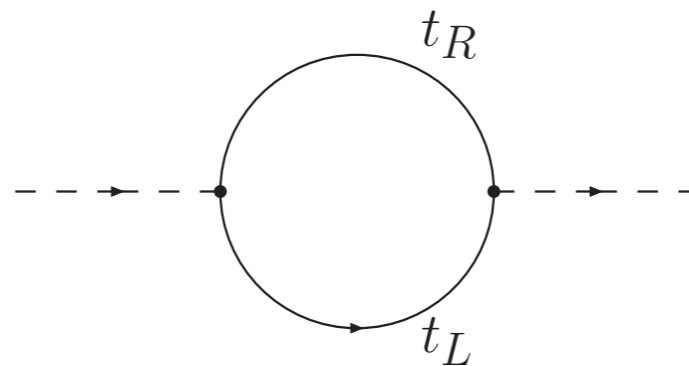
LHC: BSM signals  
in a QCD Background



# LHC is Coming!

- \* We are all excited to discover the mysteries of the TeV scale.
- \* One of the prime hints for new physics at a TeV is (still) **Naturalness**.

*Dominated by  
the top loop:*



$$\sim \frac{3y_t^2}{8\pi^2} \Lambda^2$$

LHC is a difficult environment for discovery:  
We should be ready for signals from a variety  
of natural (and non-natural) models.

# New Physics

Post LEP, we are left with the following picture:

- \* New physics at a TeV seems to be weakly coupled.
- \* A new **symmetry** exists to protect the Higgs.

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symmetry  $G$ :  $\phi_{\text{SM}} \rightarrow \phi_{\text{SM}} + \delta\phi_{\text{SM}}$

applying  $G$  on SM fields  
determines the particle content of NP.

# New Symmetry

\* Popular mechanisms:

**SUSY**

**Little Higgs**

\* In both cases: a new **continuous** symmetry guarantees cancelations.

Symmetry	SUSY	Little Higgs
Generator $\equiv G$	$Q^\alpha$	$T^a$

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For making predictions at LHC energies:  
only the cancelation of the  
**one-loop divergence from the top quark**  
is relevant.

# Top Partners

- \* Particle content of new physics:

$$\delta(\text{top}) = G(\text{top})$$



# Top Partners

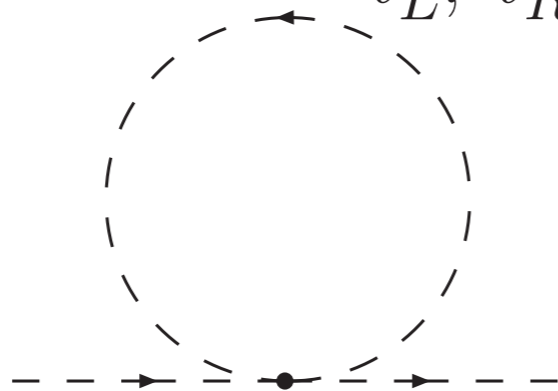
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$$\delta(\text{top}) = G(\text{top})$$

*SUSY:  
Generator does not act  
on gauge indices*

$$\delta(\text{top})_i = (\text{stop})_i$$

$\tilde{t}_L, \tilde{t}_R$



# Top Partners

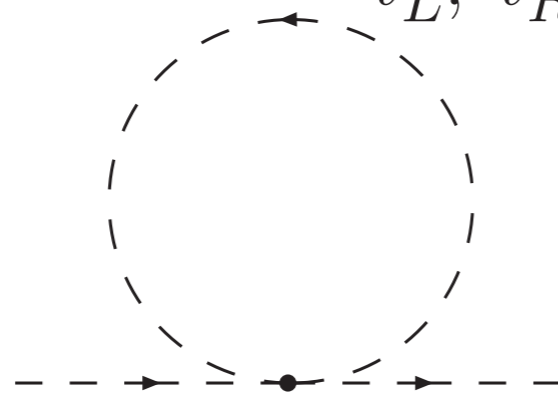
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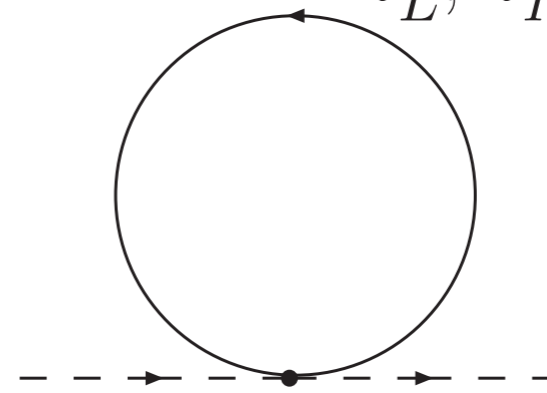
$\tilde{t}_L, \tilde{t}_R$



*Little Higgs:*  
Generator commutes  
with  $SU(3)_c$

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$t'_L, t'_R$



# Top Partners

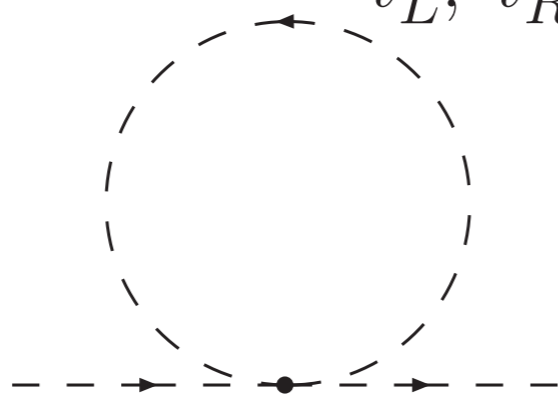
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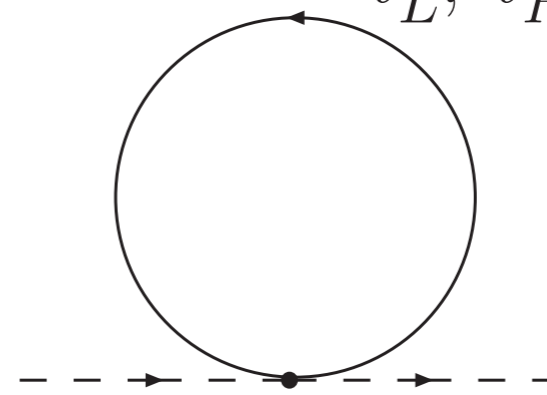
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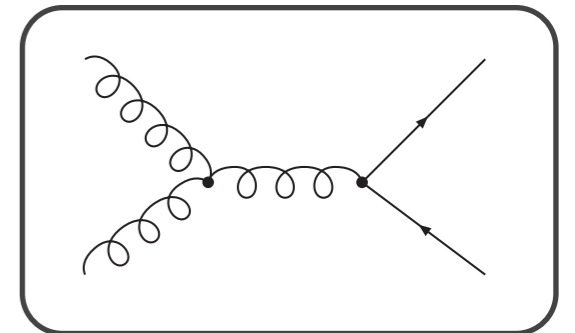
$t'_L, t'_R$



In both cases: **Top partner carries color**

# Colored Top Partners

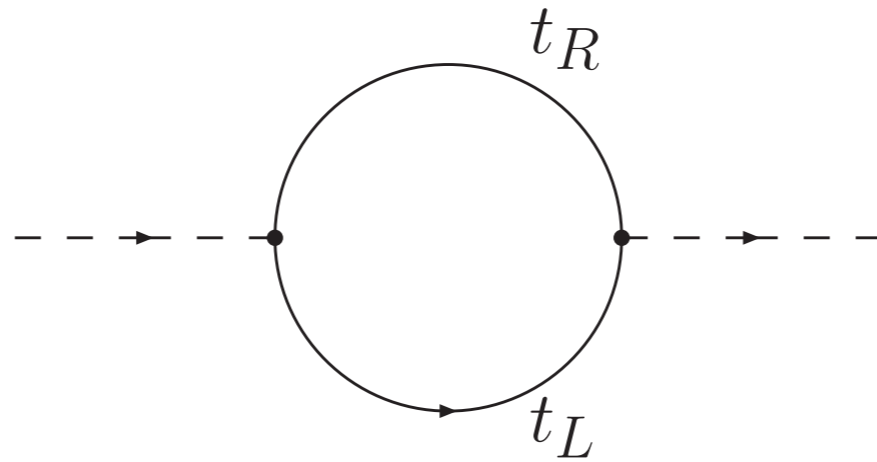
- \* Prejudice:  
**Naturalness predicts a colored top partner.**
- \* Great news for LHC:  
We'll see new physics. We'll see it early!



“Proving a theory is natural may be difficult.  
But, if nothing new is seen at LHC within a couple  
years naturalness is down the drain”

-anonymous

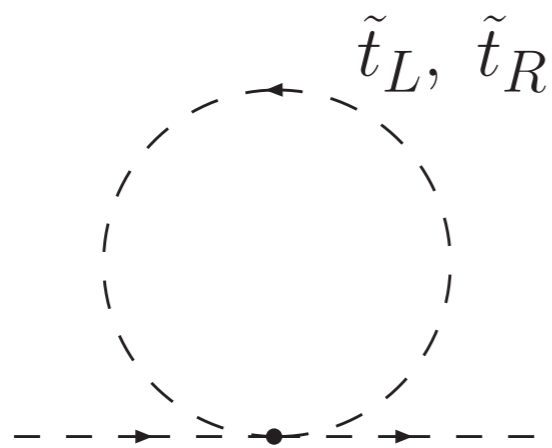
# Just a Factor of 3



Standard Model

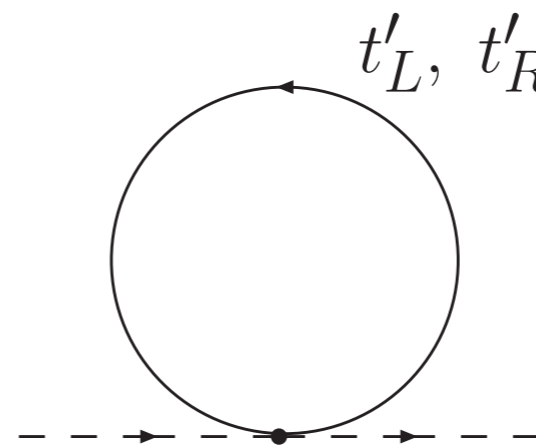
color factor:

$\times 3$



Supersymmetry

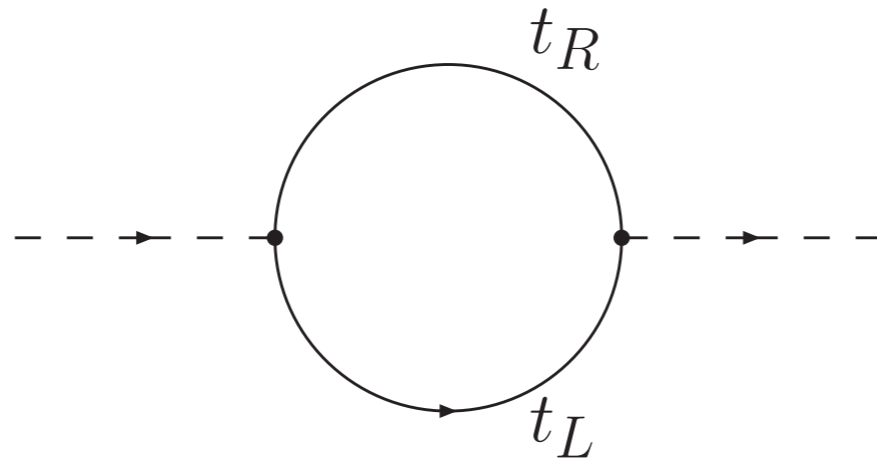
or



Little Higgs

$\times 3$

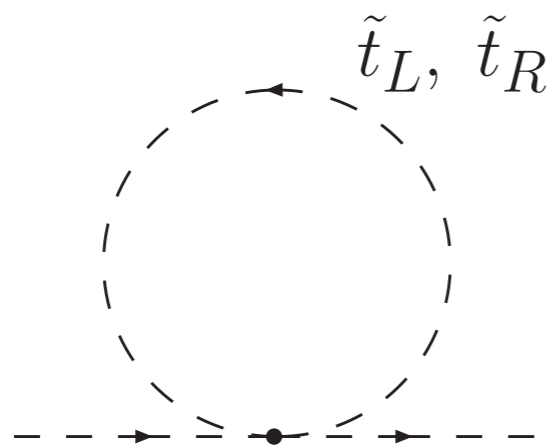
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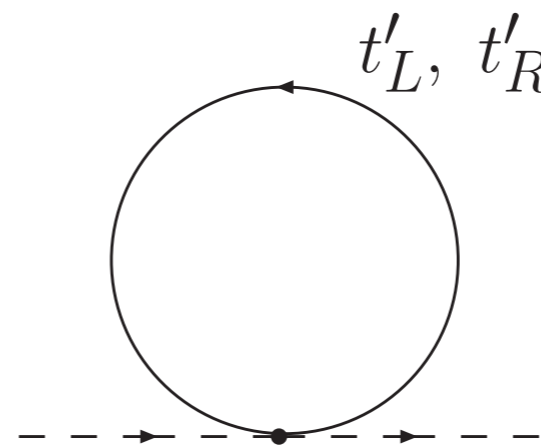
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Supersymmetry

or

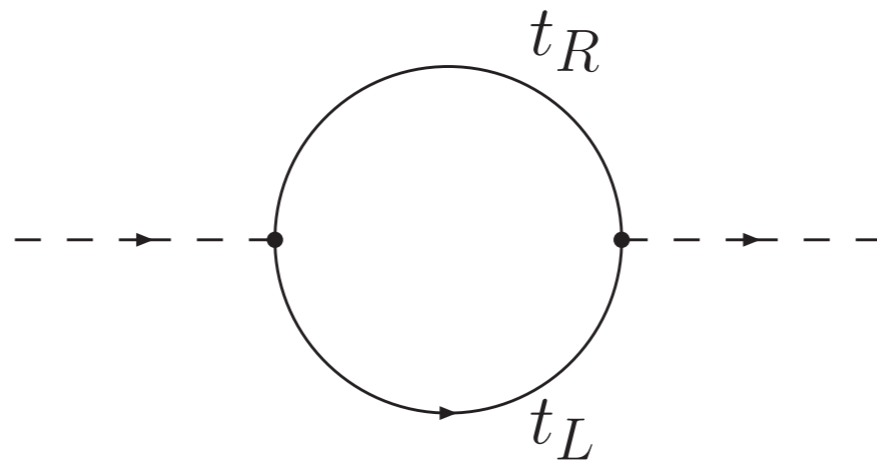


Little Higgs

$$\times \cancel{3}$$

$$3'$$

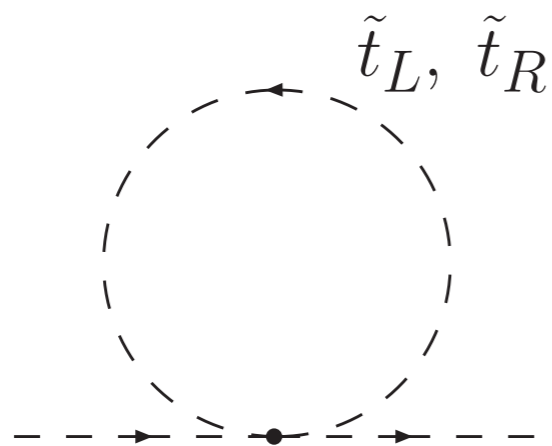
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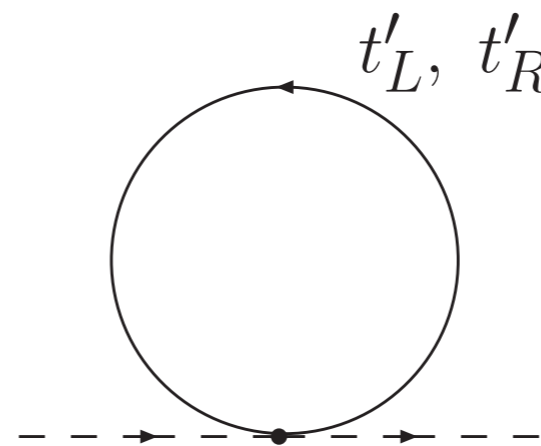
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Supersymmetry

or



Little Higgs

~~$\times 3$~~   
 $3'$

**Folded SUSY**

(today's talk)

**Twin Higgs**

(Chacko, Goh, RH)

# UnColored Partners

- \* This talk is devoted to the alternative scenario: Naturalness may be restored by **uncolored** top-partners.
- \* The protection of the EW scale can involve a **discrete symmetry**

$$(\text{top})_i \longrightarrow (\text{top}')_{i'}$$

- \* The implications for LHC signals can be profound.



# Folded SUSY.



## \* Uncolored Squarks -

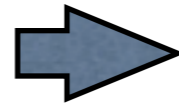
- Large  $N$  orbifold correspondence - basics.
- the Mechanism.
- A Model - a 5D orbifold.

## \* Phenomenology of uncolored squarks.

- Quirks and their dynamics
- Soft photons at the LHC

# Nonstandard SUSY

Supersymmetry charges  
don't act in gauge space.

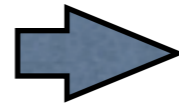


Superpartners *always*  
have the same quantum  
numbers as SM counterparts.

How can we get non-colored partners?

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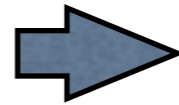
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$t$

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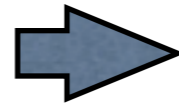
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$$\begin{array}{c} t \\ \updownarrow Q^\alpha \\ \tilde{t} \end{array}$$

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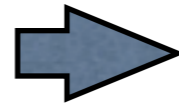
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How can we get non-colored partners?

$$\begin{array}{ccc} t & \xleftrightarrow{Z_2} & t' \\ Q^\alpha \updownarrow & & \\ \tilde{t} & & \end{array}$$

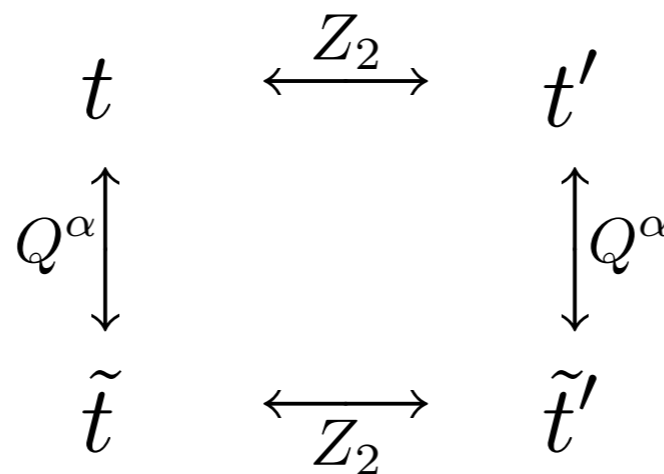
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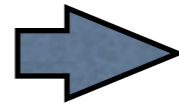
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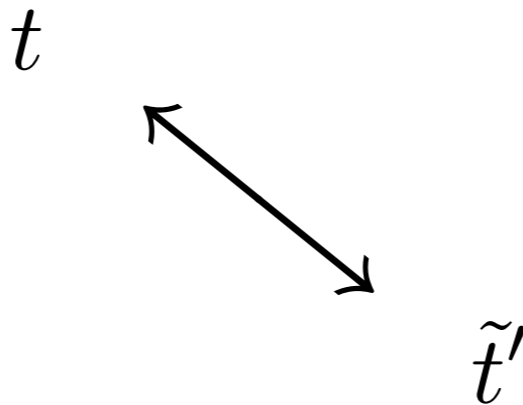
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How can we get non-colored partners?



# The Large-N Orbifold Correspondence

Kachru and Silverstein (98)

...

Bershadsky and Johansen (98)

...

Schmaltz (99)



# Inheritance

Supersymmetric  
“mother” theory



*orbifolding*



less supersymmetric  
“daughter”

The daughter theory inherits the correlation functions of its mother in the large  $N$  limit.

## **Orbifolding-**

1. Identify a discrete symmetry,  $\Gamma$ , of the mother (perhaps an R-symmetry).
2. Eliminate all fields that are not invariant under  $\Gamma$ .

# Example I

\* A  $U(2N)$  SUSY gauge theory with  $2N$  flavors.

\* A discrete symmetries

$$Z_{2\Gamma} : \quad Q \rightarrow \Gamma Q \quad \bar{Q} \rightarrow \Gamma^* \bar{Q} \quad V \rightarrow \Gamma V \Gamma^\dagger$$

$$Z_{2R} : \quad \text{boson} \rightarrow \text{boson} \quad \text{fermion} \rightarrow -\text{fermion}$$

$$Z_{2F} : \quad Q \rightarrow Q \Gamma_F^\dagger \quad \bar{Q} \rightarrow \bar{Q} \Gamma_F^T$$

$$\Gamma = \Gamma_F = \begin{pmatrix} \underbrace{+1 \dots +1}_N & & \\ & & \underbrace{-1 \dots -1}_N \end{pmatrix}$$

# Example I

- \* The vector superfields transform as

$$A_\mu = \begin{pmatrix} A_{\mu,AA}(+) & A_{\mu,AB}(-) \\ A_{\mu,BA}(-) & A_{\mu,BB}(+) \end{pmatrix}$$

$$\lambda = \begin{pmatrix} \lambda_{AA}(-) & \lambda_{AB}(+) \\ \lambda_{BA}(+) & \lambda_{BB}(-) \end{pmatrix}$$

$$A = 1, \dots, N$$
$$B = N + 1, \dots, 2N$$

- \* The matter fields transform like

$$\tilde{q} = \begin{pmatrix} \tilde{q}_{Aa}(+) & \tilde{q}_{Ab}(-) \\ \tilde{q}_{Ba}(-) & \tilde{q}_{Bb}(+) \end{pmatrix}$$

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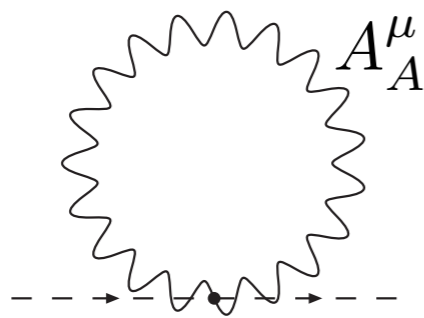
squarks and quarks  
w/ different  
quantum numbers!

$$a = 1, \dots, N$$

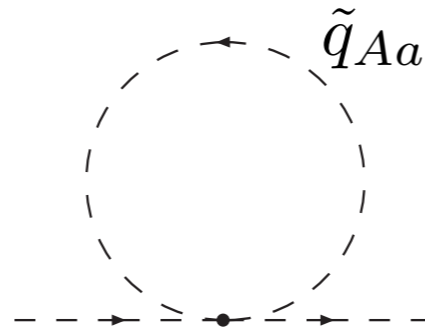
$$b = N + 1, \dots, 2N$$

# Example I

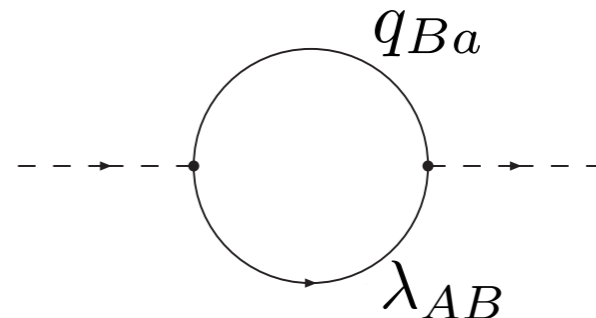
- \* Calculate radiative corrections to  $\tilde{q}_{Aa}$  squark mass



$$\frac{3g^2 N}{32\pi^2} \Lambda^2$$



$$\frac{g^2 N}{32\pi^2} \Lambda^2$$



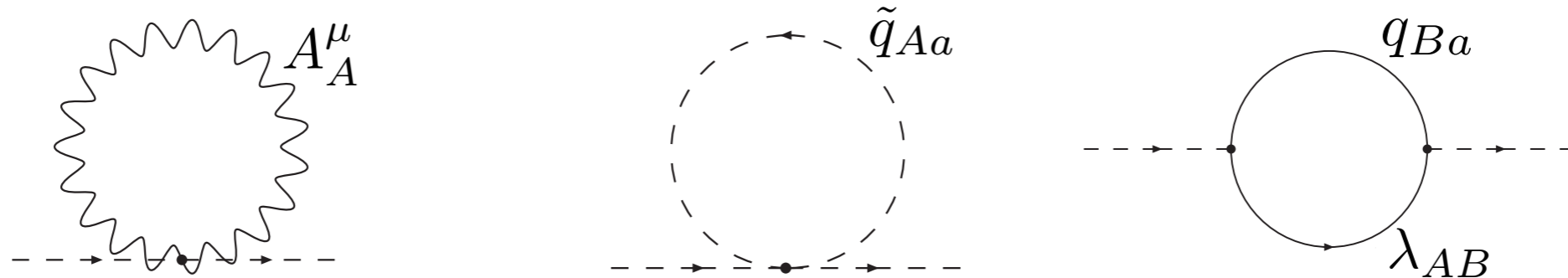
$$-\frac{g^2 N}{8\pi^2} \Lambda^2$$

*They cancel! (even at finite  $N$ ).*

---

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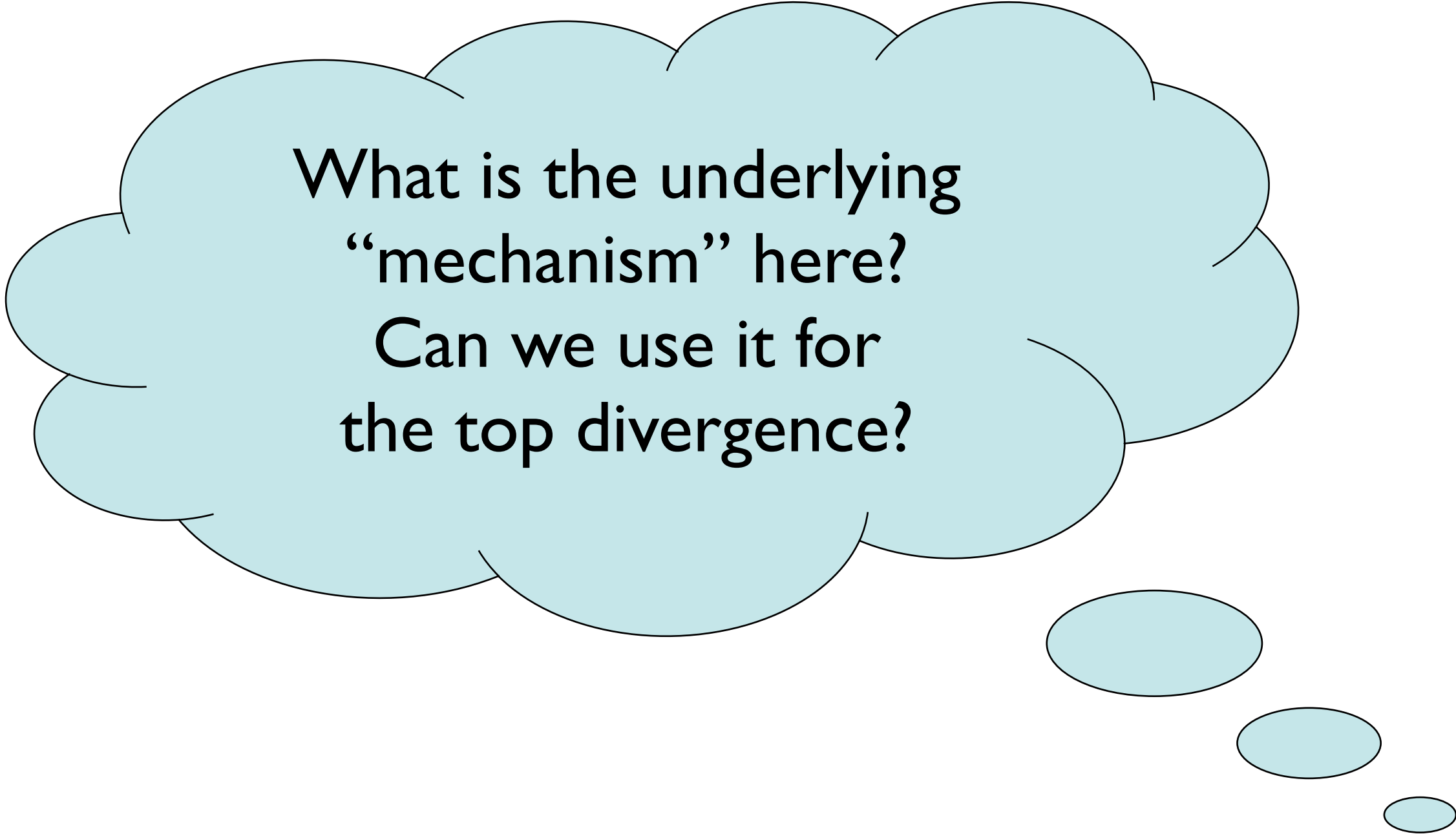
$$\frac{g^2 N}{32\pi^2} \Lambda^2$$

$$-\frac{g^2 N}{8\pi^2} \Lambda^2$$

*They cancel! (even at finite  $N$ ).*

- \* For  $SU(2N) \rightarrow SU(N) \times SU(N)$ :

Cancelation is incomplete:  $-\frac{g^2}{16\pi^2} \frac{1}{N} \Lambda^2$

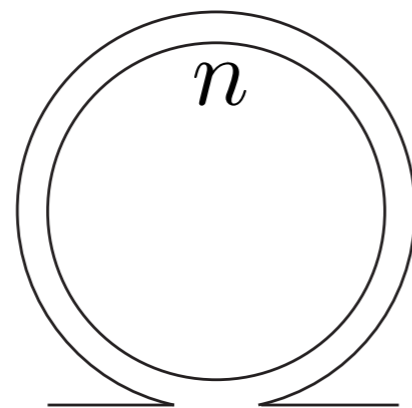


What is the underlying  
“mechanism” here?  
Can we use it for  
the top divergence?



# the Mechanism

- \* Consider the graphs that contribute to the mass of a particular scalar in these theories:



a summed index

$$n = 1, \dots, 2N$$

which states are running in the loops?  
who's canceling who?

# “Bifold protection”

supersymmetry  
↔

the index  $n$   $\updownarrow$

$$\begin{pmatrix} t_i \\ t_j \end{pmatrix} \quad \begin{pmatrix} \tilde{t}_i \\ \tilde{t}_j \end{pmatrix} \quad \begin{matrix} i = 1, \dots, N \\ j = N + 1, \dots, 2N \end{matrix}$$

*which way does the  
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$$\begin{pmatrix} t_i \\ t_j \end{pmatrix} \begin{matrix} \longleftrightarrow \\ \longleftrightarrow \end{matrix} \begin{pmatrix} \tilde{t}_i \\ \tilde{t}_j \end{pmatrix}$$

*Supersymmetric*

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supersymmetry  
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the index  $n$  ↑  
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*Supersymmetric*

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*Folded-Supersymmetric*

# Example II

\* Global  $U(2N)$ .

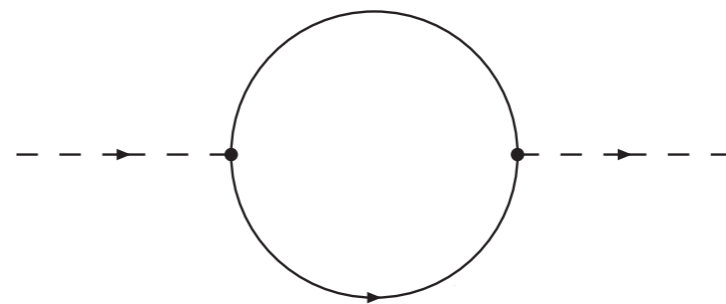
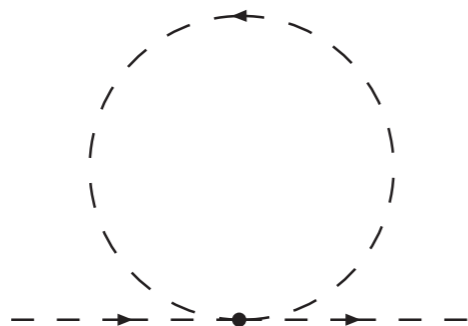
A fundamental, anti fundamental and singlet.

$$\lambda S Q \bar{Q}$$

\* Orbifold by  $Z_{2\Gamma} \times Z_{2R}$

$$Z_{2\Gamma} : \begin{cases} Q \rightarrow \Gamma Q \\ \bar{Q} \rightarrow \Gamma^* \bar{Q} \end{cases}$$

$$\tilde{q} = \begin{pmatrix} \tilde{q}_A(-) \\ \tilde{q}_B(+) \end{pmatrix} \quad q = \begin{pmatrix} q_A(+) \\ q_B(-) \end{pmatrix}$$



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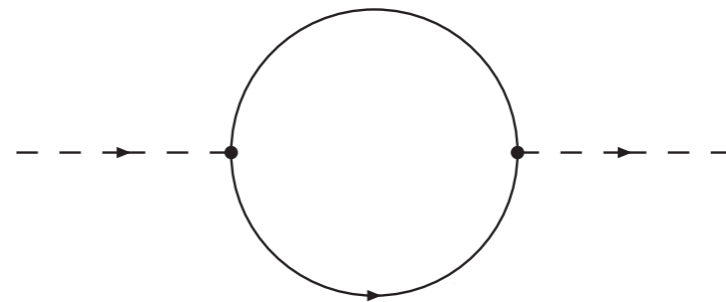
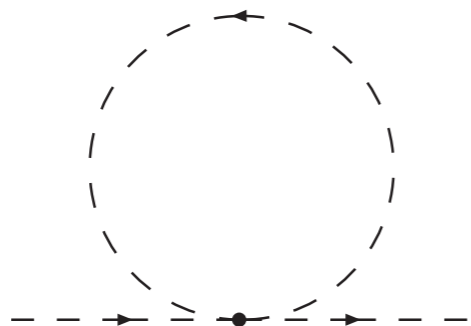
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*s is "bifold" protected*

# Example II

- \* The interactions of the daughter,

$$\mathcal{L} = \lambda \tilde{s} q_B \bar{q}_B + \lambda^2 |\tilde{s}|^2 (|\tilde{q}_A|^2 + |\hat{q}_A|^2)$$

look awfully supersymmetric...

- \* Only  $\tilde{s}$  is protected.
- \* Protection only at one loop.

*that's fine for  
the little hierarchy...*

- \* **But:** Daughter theory does not have a symmetry.

*UV completion is crucial!*

**A Model  
(with a UV Completion)**



# $SU(3)^2$

- \* Enlarge quark sector to  $SU(6)$

$$\lambda_t (3, 2)_{Q_3} (1, 2)_{H_U} (\bar{3}, 1)_{U_3} \longrightarrow \lambda_t (6, 2)_{Q_{3T}} (1, 2)_{H_U} (\bar{6}, 1)_{U_{3T}}$$

---

- \* Alternatively:

only *global*  $SU(6)$  is needed to ensure cancelation.

It is sufficient to gauge  
 $SU(3)_A \times SU(3)_B \times Z_2$

(this just eliminates exotic off-diagonal gluinos)

# The IR Model

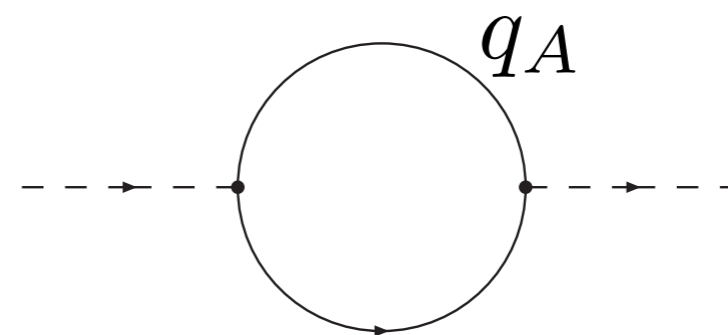
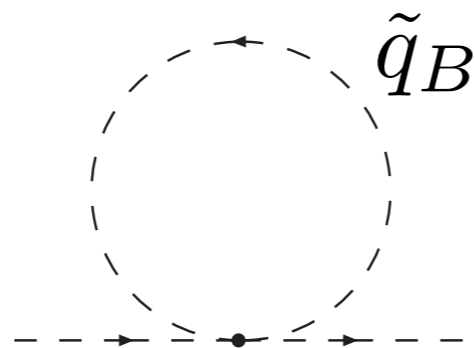
\* Below  $\sim 10$  TeV we have the daughter of

$$(SU(3)_A \times SU(3)_B \times Z_{AB}) \times SU(2)_L \times U(1)_Y$$

as orbifolded by  $Z_{2\Gamma} \times Z_{2R}$  :

$$\tilde{q} = \begin{pmatrix} \tilde{q}_A(-) \\ \tilde{q}_B(+) \end{pmatrix} \quad q = \begin{pmatrix} q_A(+) \\ q_B(-) \end{pmatrix}$$

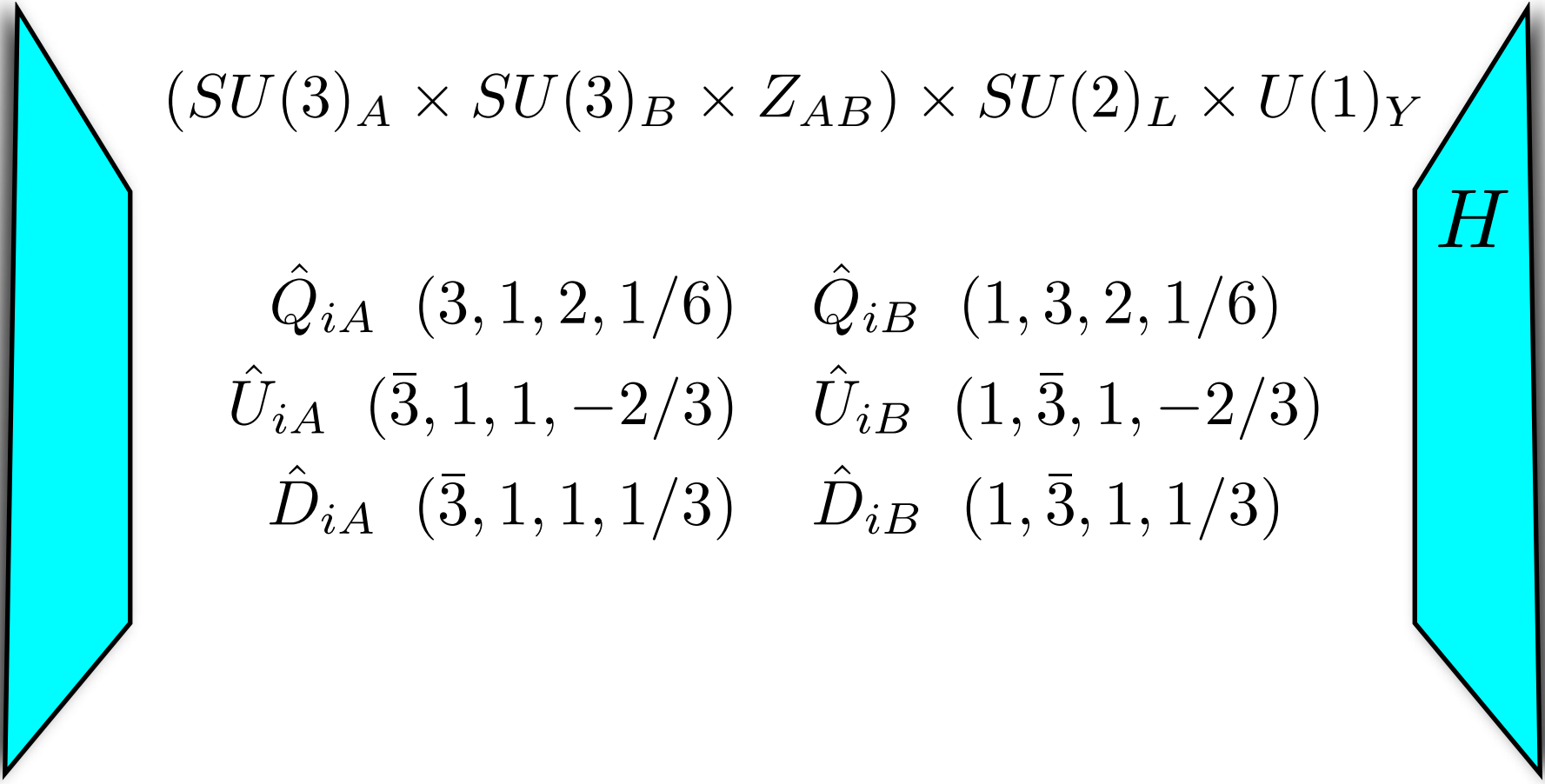
*squarks*                      *quarks*



# A Full Model

\* A supersymmetric theory.

SUSY is broken at 10 TeV by B.C.'s on 5D orbifold.


$$(SU(3)_A \times SU(3)_B \times Z_{AB}) \times SU(2)_L \times U(1)_Y$$

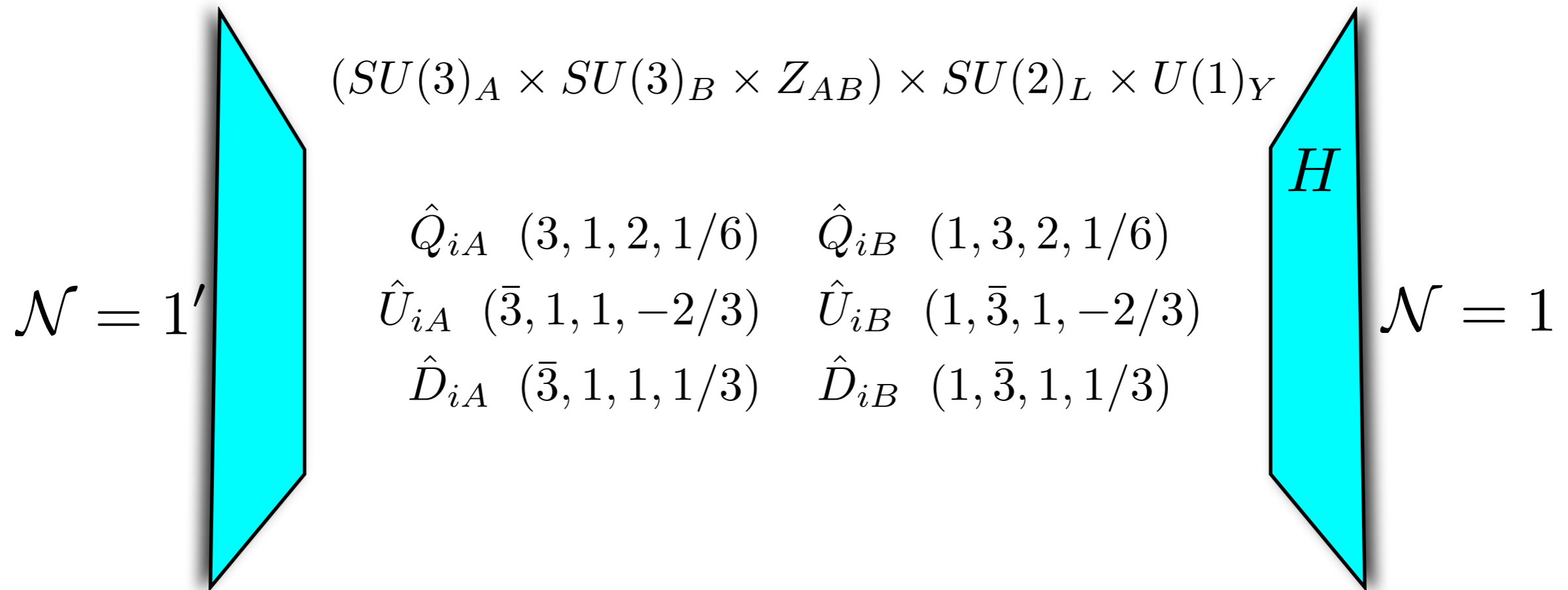
$\hat{Q}_{iA}$	$(3, 1, 2, 1/6)$	$\hat{Q}_{iB}$	$(1, 3, 2, 1/6)$
$\hat{U}_{iA}$	$(\bar{3}, 1, 1, -2/3)$	$\hat{U}_{iB}$	$(1, \bar{3}, 1, -2/3)$
$\hat{D}_{iA}$	$(\bar{3}, 1, 1, 1/3)$	$\hat{D}_{iB}$	$(1, \bar{3}, 1, 1/3)$

*H*

# A Full Model

\* A supersymmetric theory.

SUSY is broken at 10 TeV by B.C.'s on 5D orbifold.

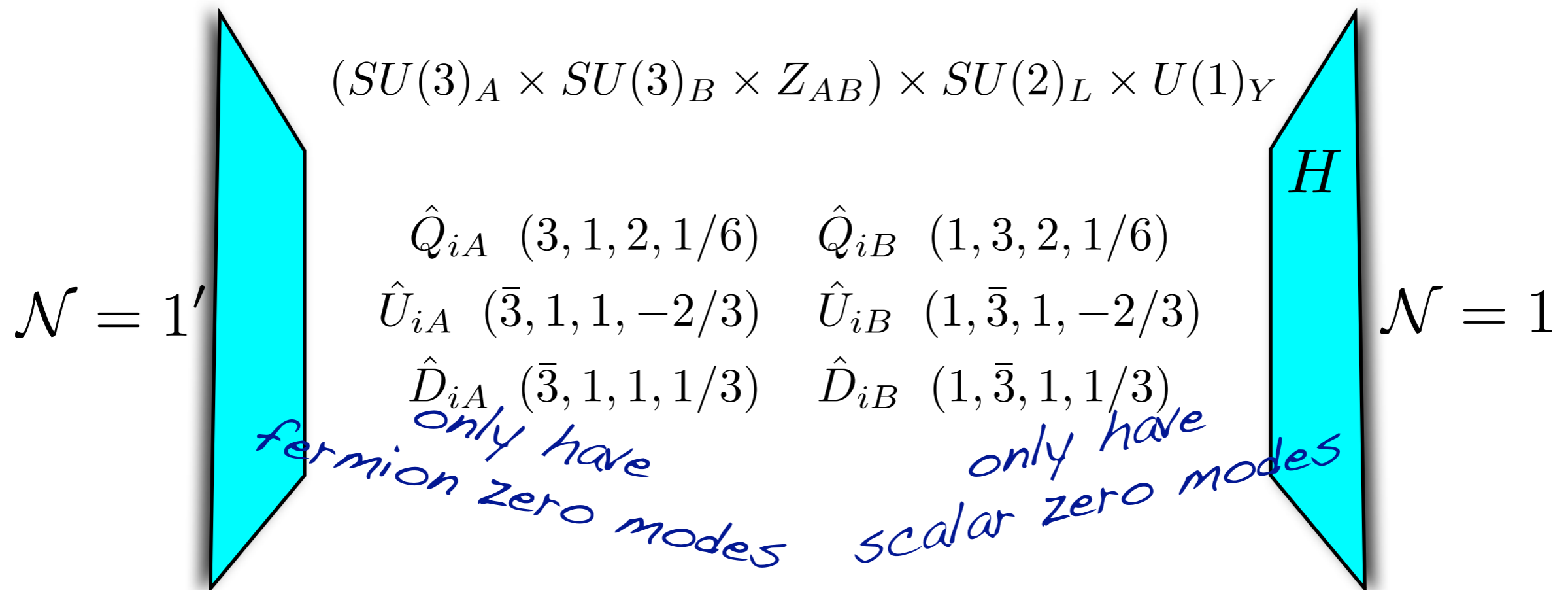


Technology by Quiros et al and Barbieri, Hall, Nomura et al.

# A Full Model

\* A supersymmetric theory.

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# Interim Summary

- \* **The prejudice:**

The top-Higgs sector will be made natural by a new colored particle. Easy to discover.

- \* **Large-N Orbifold Inheritance:**

SUSY-style cancelations by scalars charged under a different gauge group.

- \* **Folded SUSY:**

A model inspired by LNOL that cancels one-loop Higgs divergences with uncolored squarks.

$$\begin{pmatrix} t_i \\ t_j \end{pmatrix} \begin{matrix} \longleftrightarrow \\ \longleftrightarrow \end{matrix} \begin{pmatrix} \tilde{t}_i \\ \tilde{t}_j \end{pmatrix}$$

$$\begin{pmatrix} t_i \\ t_j \end{pmatrix} \begin{matrix} \times \\ \times \end{matrix} \begin{pmatrix} \tilde{t}_i \\ \tilde{t}_j \end{pmatrix}$$

# LHC Signals of Uncolored squarks

What are the signals of a “Hidden Valley” that is associated with the Hierarchy problem?

**work in progress**

# LHC Signals of Uncolored ~~squarks~~ squirks

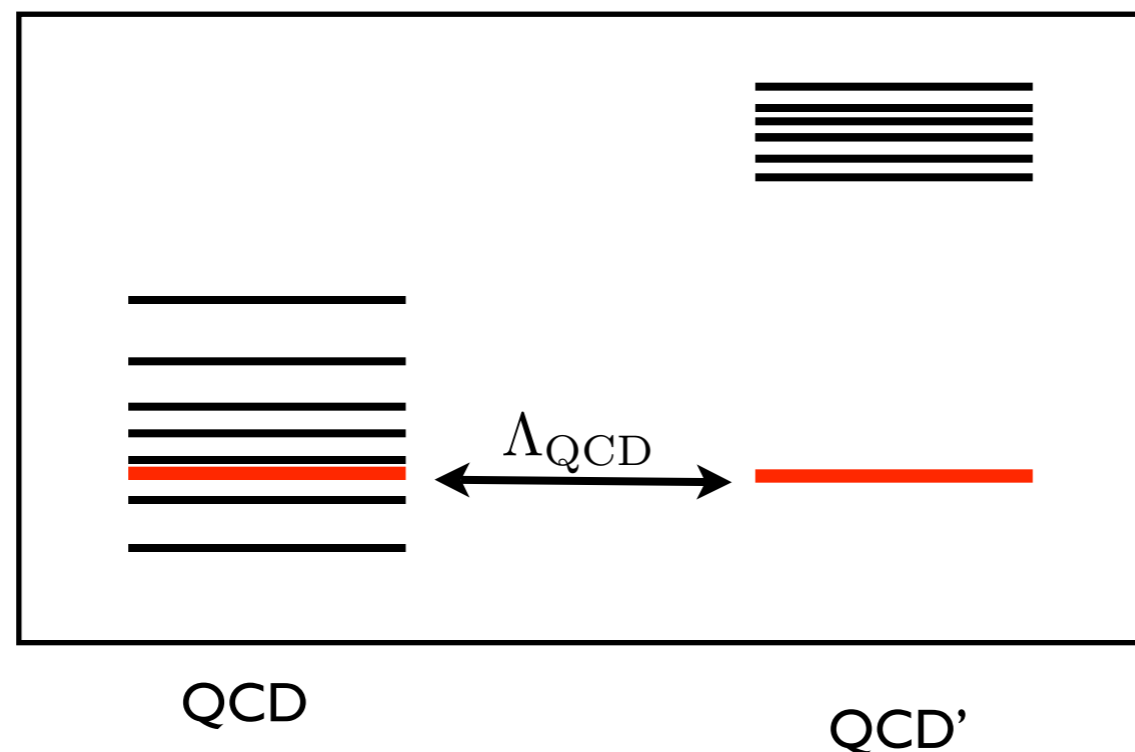
What are the signals of a “Hidden Valley” that is associated with the Hierarchy problem?

**work in progress**



# Spectrum of QCD'

- \* Assume the quark partners live in QCD'. Compare the spectra of the two QCDs.

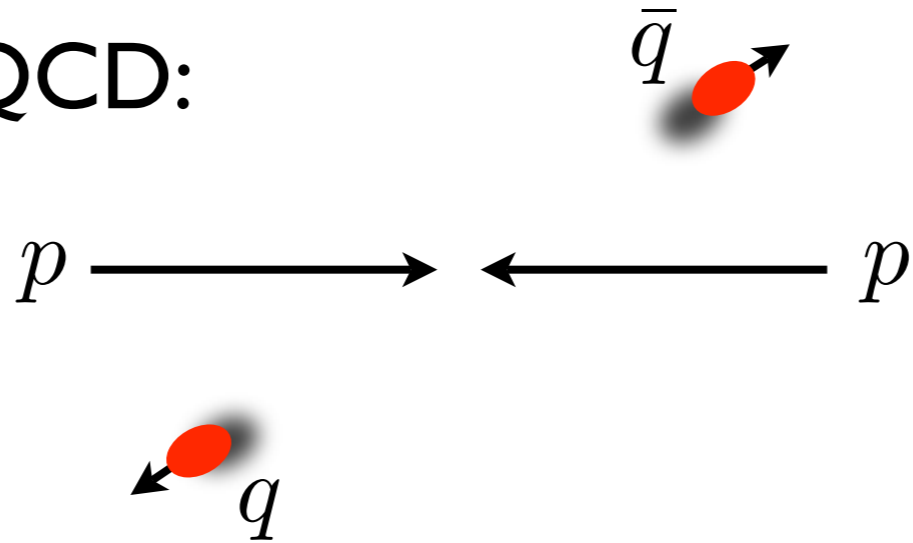


*LEP bounds*  
*QCD scales are related by the  $Z_2$ .*

- \* There are no squarks below the QCD scale. Qualitatively different behavior at a collider.  
[Bjorken (79), Quinn and Gupta (81)]

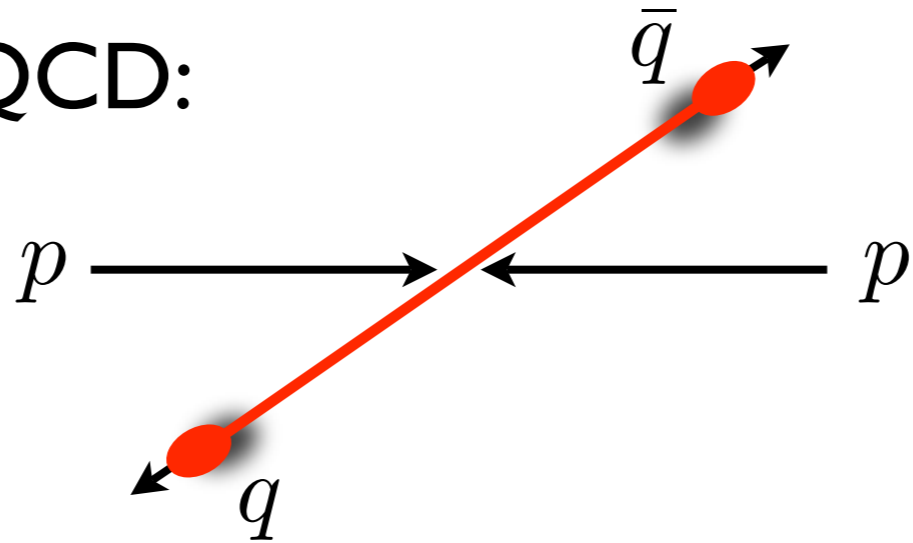
# Squirks

\* In regular QCD:



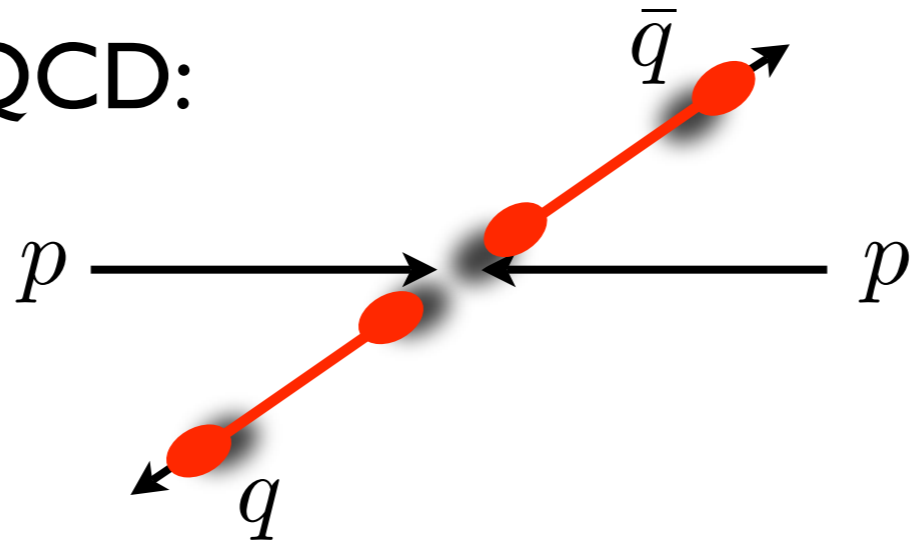
# Squirks

\* In regular QCD:



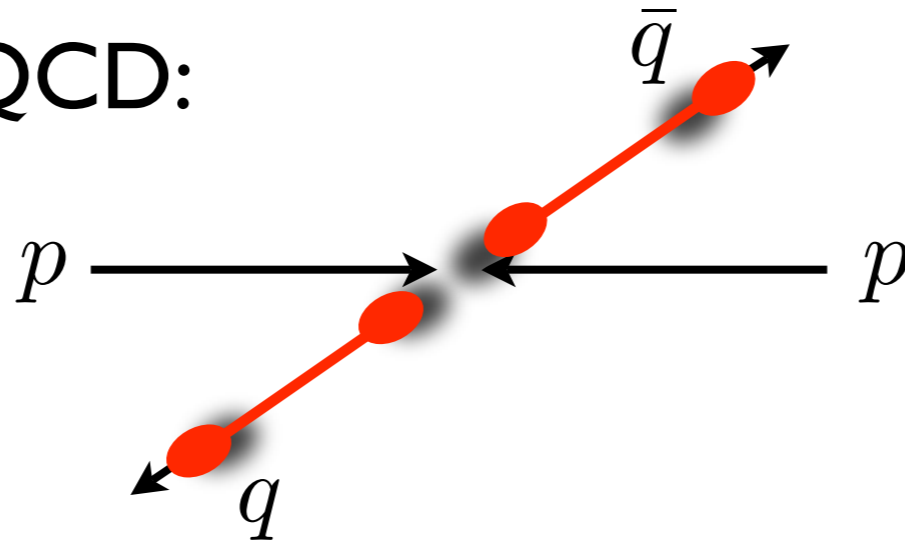
# Squirks

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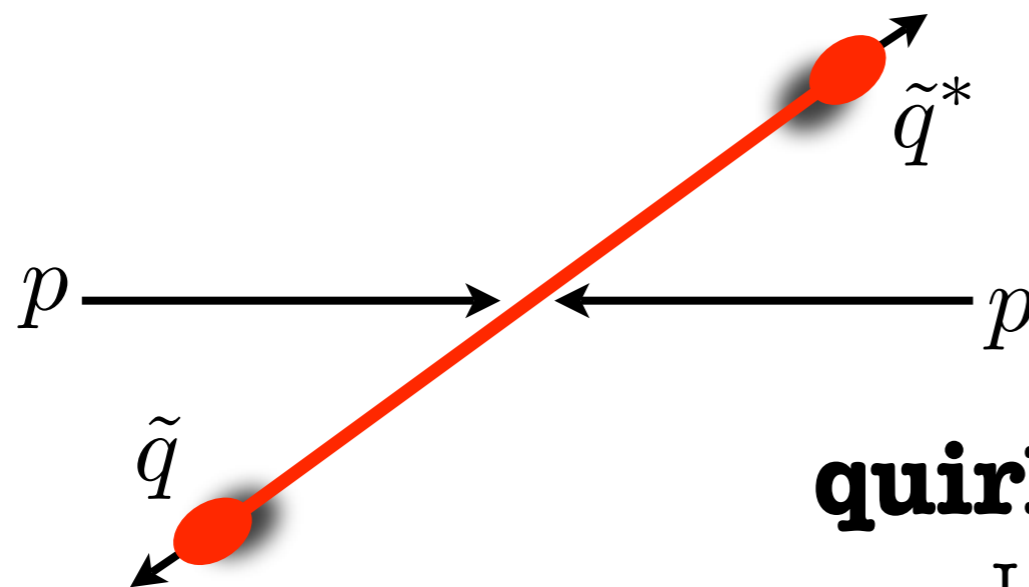


# Squirks

- \* In regular QCD:



- \* In “quirky QCD” this costs too much energy. squarks’ are produced and **remain bound!**

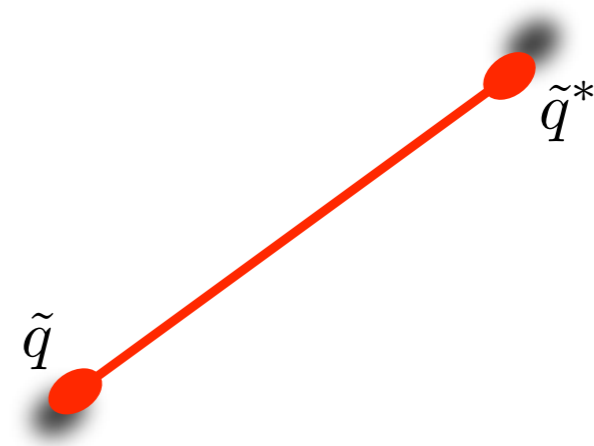


**quirks** (or **squirks**, rather) -

Luty et al, Strassler and Zurek.

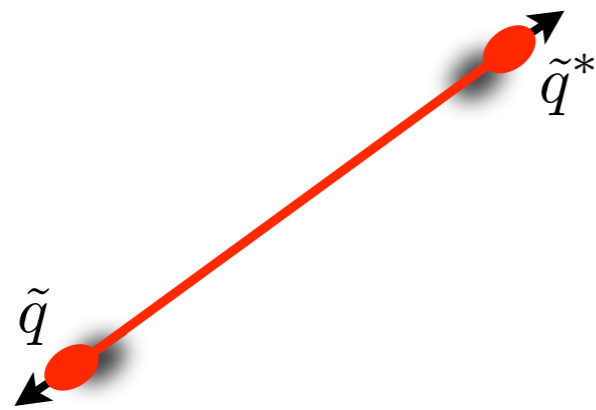
# Quirky Dynamics

- \* The squirks eventually stop.  
come back.  
oscillate.

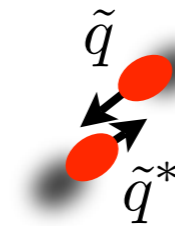


- \* This system will loose energy by radiation.

$$\omega \sim \frac{\Lambda^2}{m_{\tilde{q}}} \ll \Lambda \sim m_{\text{glue}}$$



*Soft:  
photon dominated*



*Hard:  
glueball dominated.*

*(decreases with  
impact parameter!)*

# Photons vs. Glue

\* Can we guesstimate  $E_\gamma / E_{\text{glue}}$  ?

o Suppose the photon was massive:  $m_\gamma \sim m_{\text{glue}}$

We'd expect 
$$\frac{E_\gamma}{E_{\text{glue}}} \sim \frac{\alpha(m_\gamma)}{\alpha_{s'}(m_{\text{glue}})} \sim \frac{1}{20} .$$

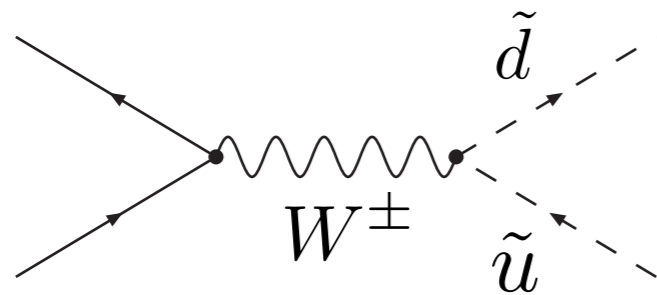
o **But** photon does not have a mass!

The kinematic suppression due to the mass depends on impact parameter and energy. May easily be a factor few

$$\frac{E_{\text{soft}}}{E_{\text{hard}}} \sim \frac{m_{\tilde{q}} \Lambda^2 b^3}{\alpha_{s'}^2}$$

# An Event

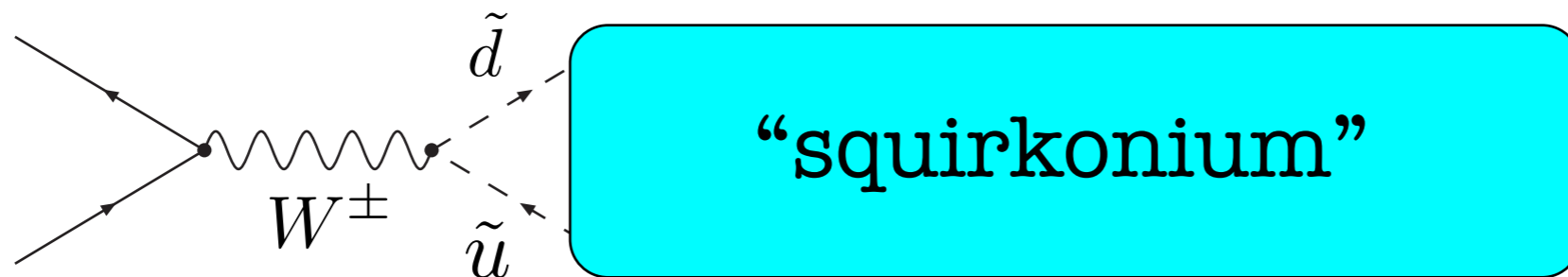
- \* Consider squirk production via a W:





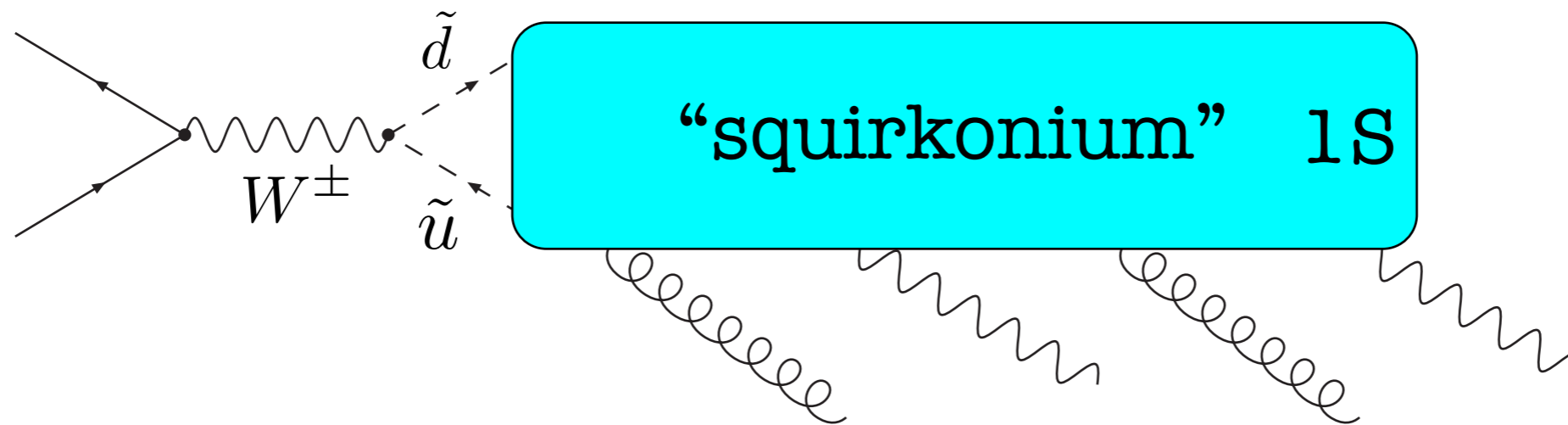
# An Event

- \* Consider squirk production via a W:



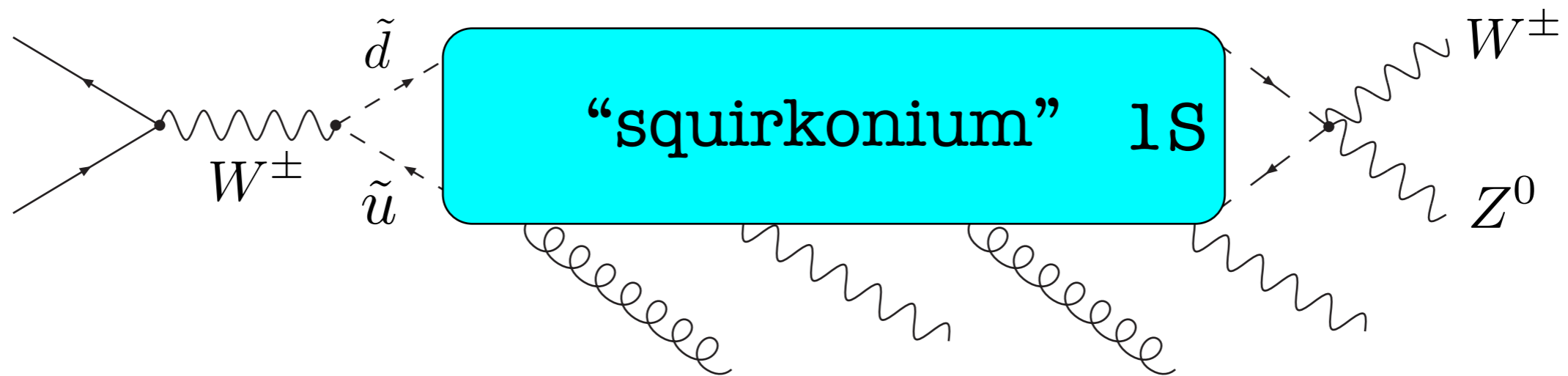
# An Event

- \* Consider squirk production via a W:



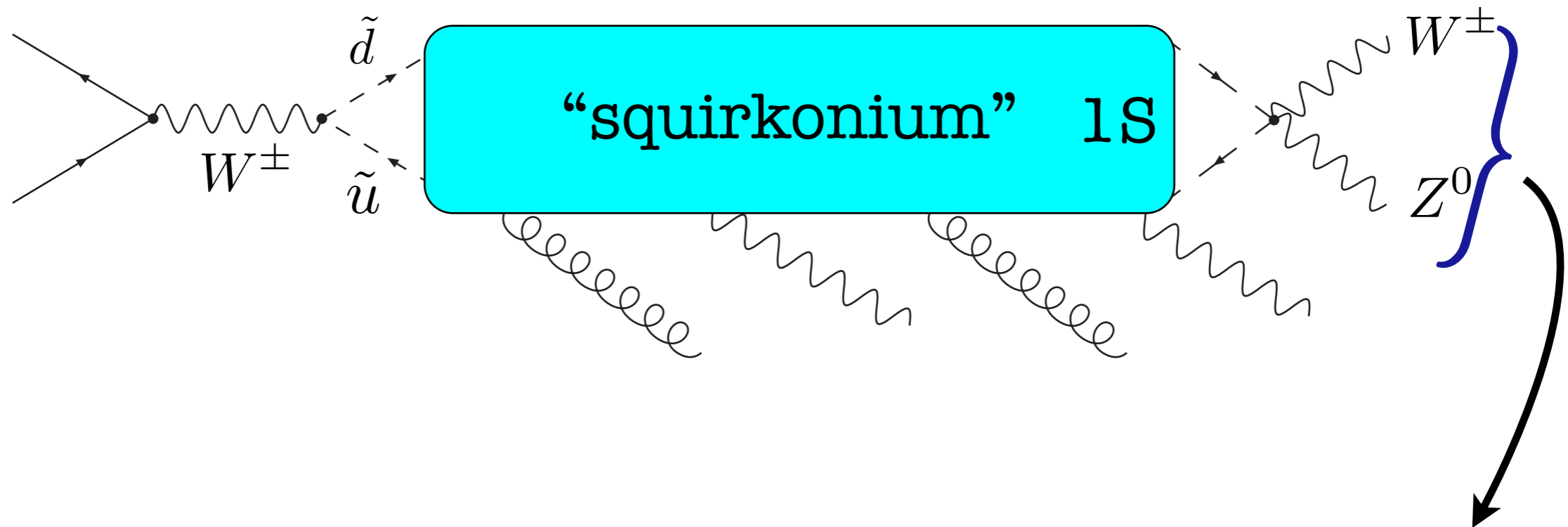
# An Event

\* Consider squirk production via a W:



# An Event

- \* Consider squirk production via a W:

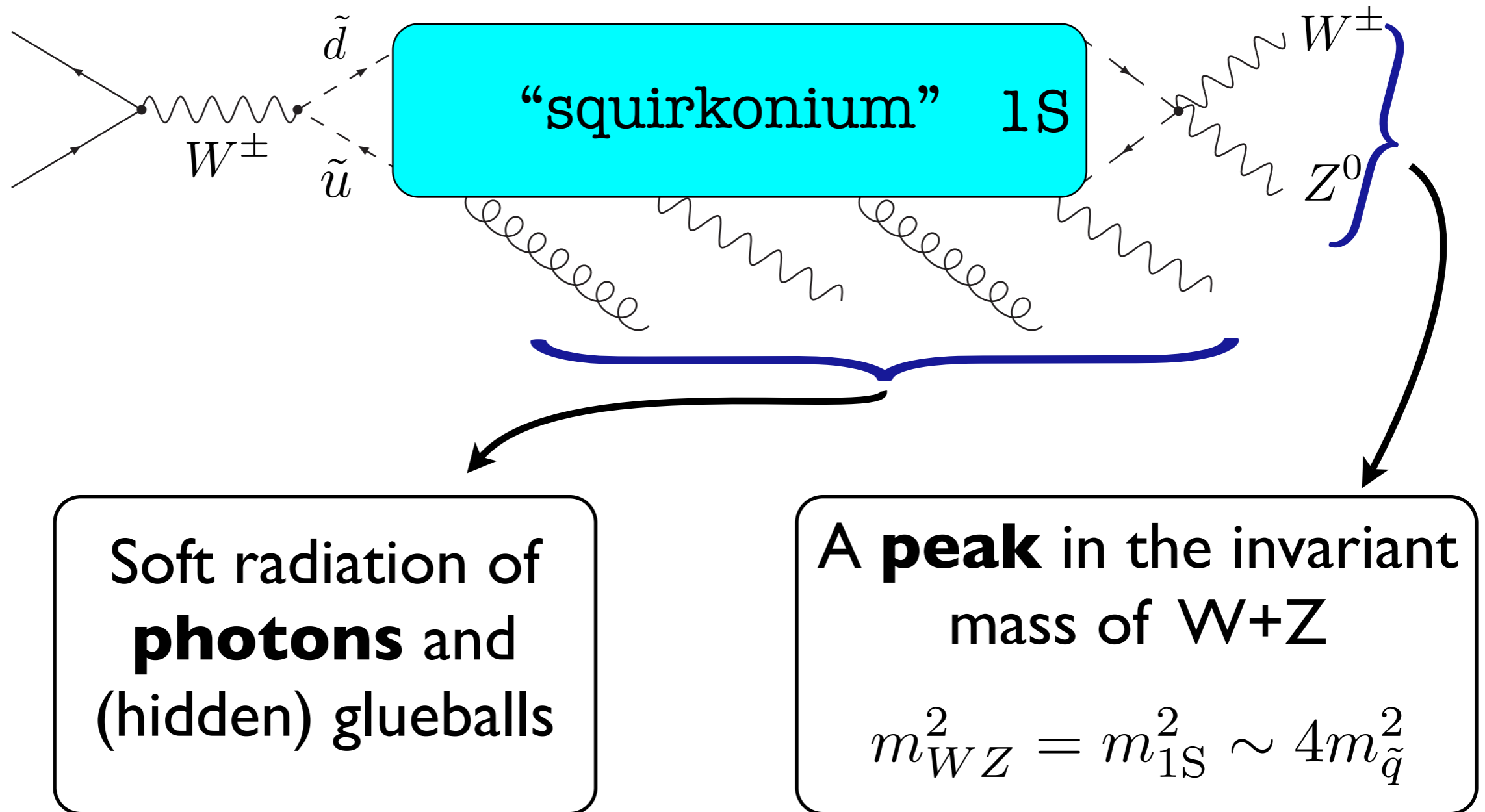


A **peak** in the invariant mass of  $W+Z$

$$m_{WZ}^2 = m_{1S}^2 \sim 4m_{\tilde{q}}^2$$

# An Event

\* Consider squirk production via a W:



Soft radiation of  
**photons** and  
(hidden) glueballs

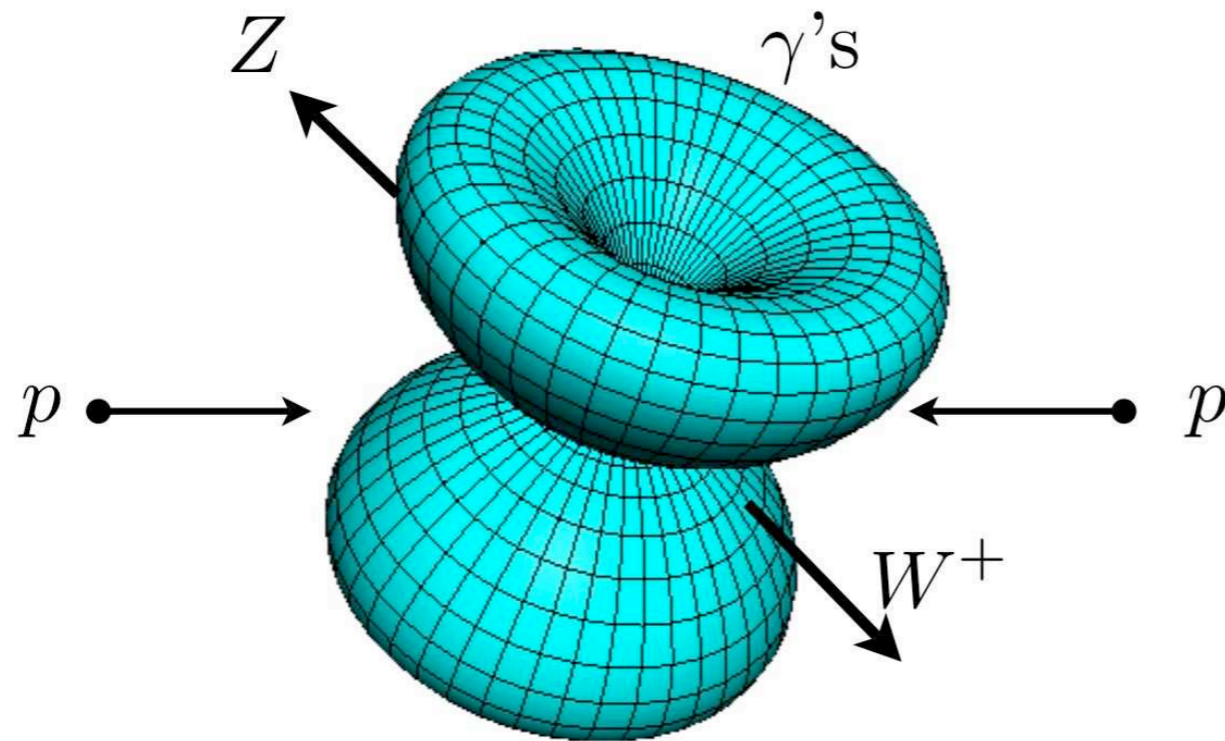
Ongoing work w/ Wizansky.

A **peak** in the invariant  
mass of  $W+Z$

$$m_{WZ}^2 = m_{1S}^2 \sim 4m_{\tilde{q}}^2$$

Ongoing work w/ Burdman et al

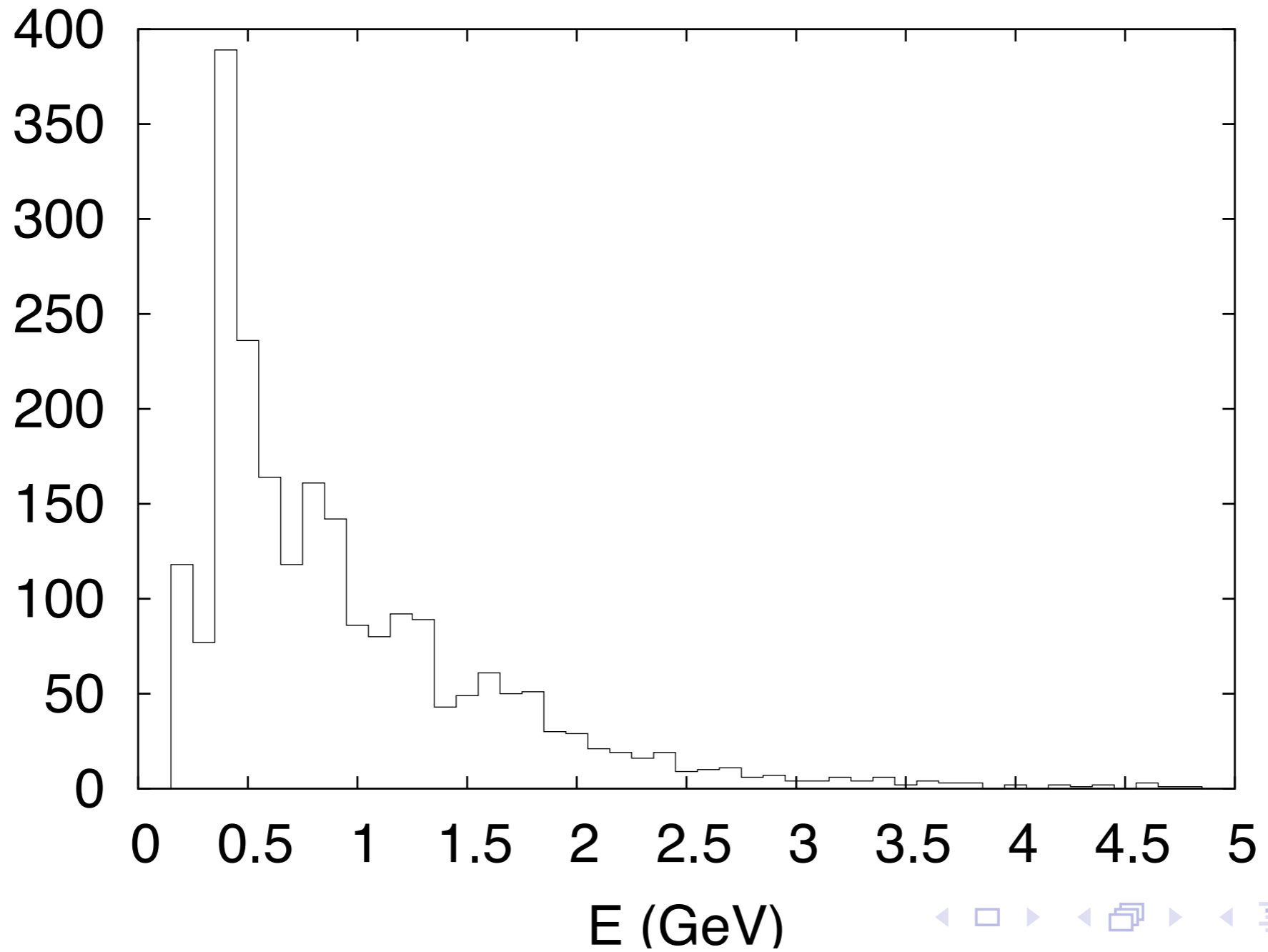
# An Event



$$E_\gamma \sim \frac{\Lambda^2}{\sqrt{\hat{s}}} \sim \frac{\Lambda^2}{m_{\tilde{q}}}$$
$$\sim 0.1 - 1 \text{ GeV}$$

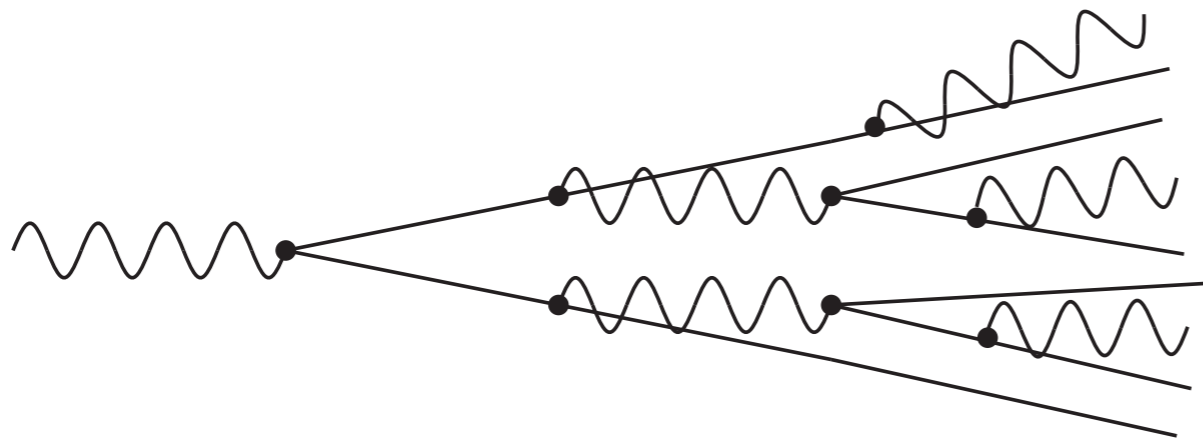
**Can we see such soft photons?**  
**Isn't there plenty of soft background?**  
**Is the "antenna pattern" visible?**  
(This is not what the detectors were designed for!)

# Photon Spectrum

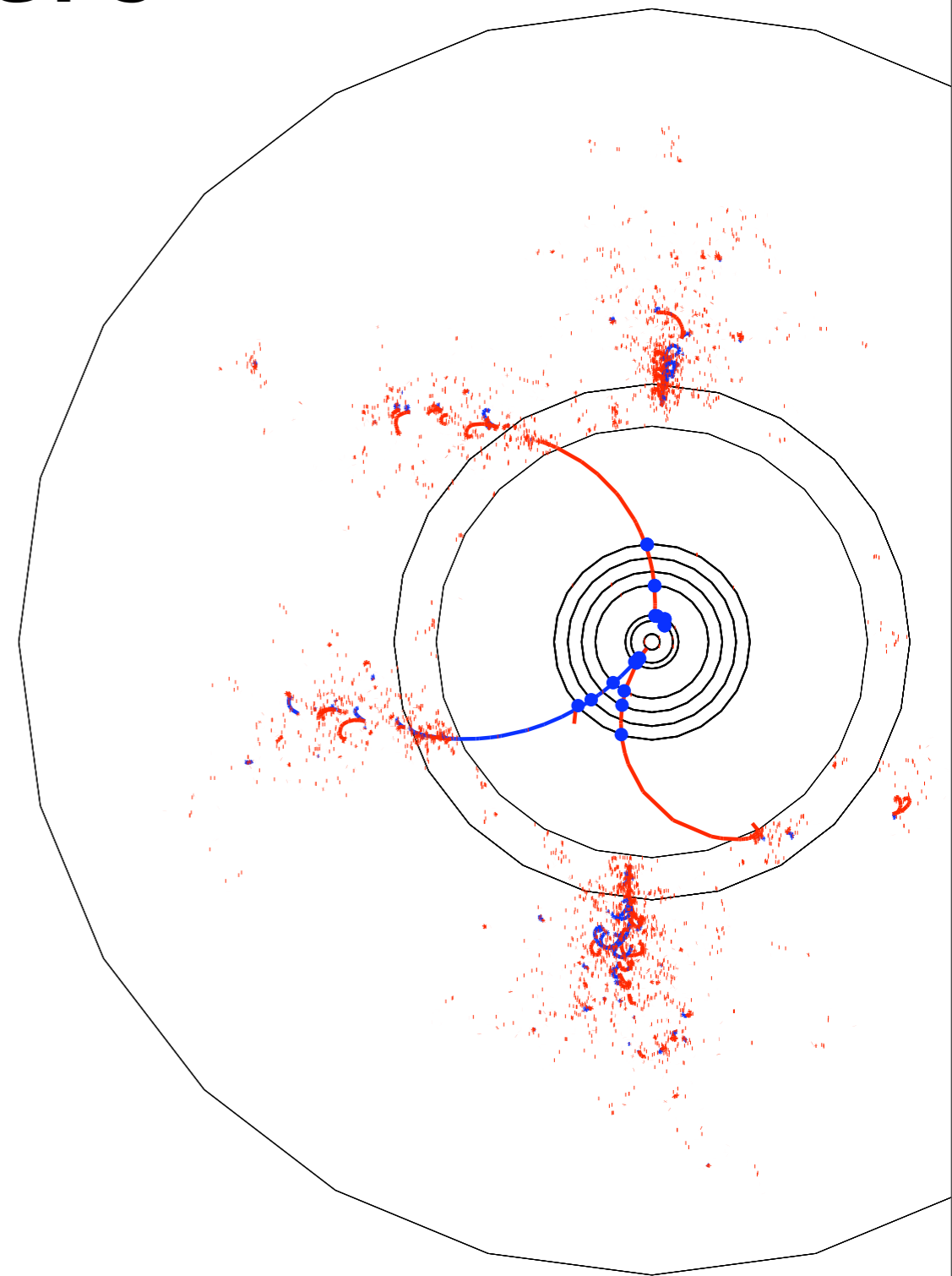


# EM Showers

- \* Soft photons initiate EM showers in the detector.



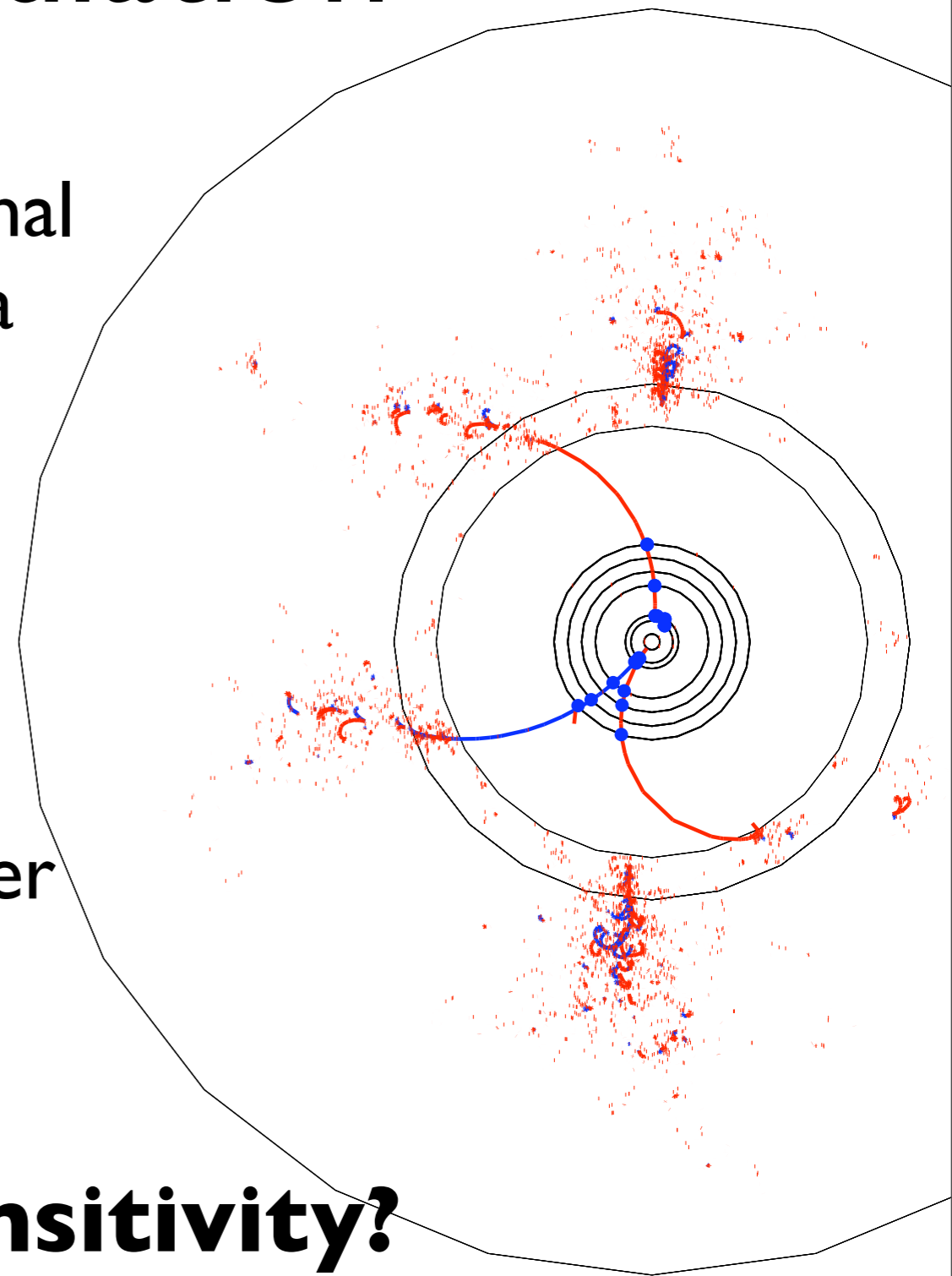
- \* A naive estimate:
  - o ~30% of photons convert to electron-positron pair in tracking system.
  - o ~50% of energy reaches Ecal.





# Detector Simulation

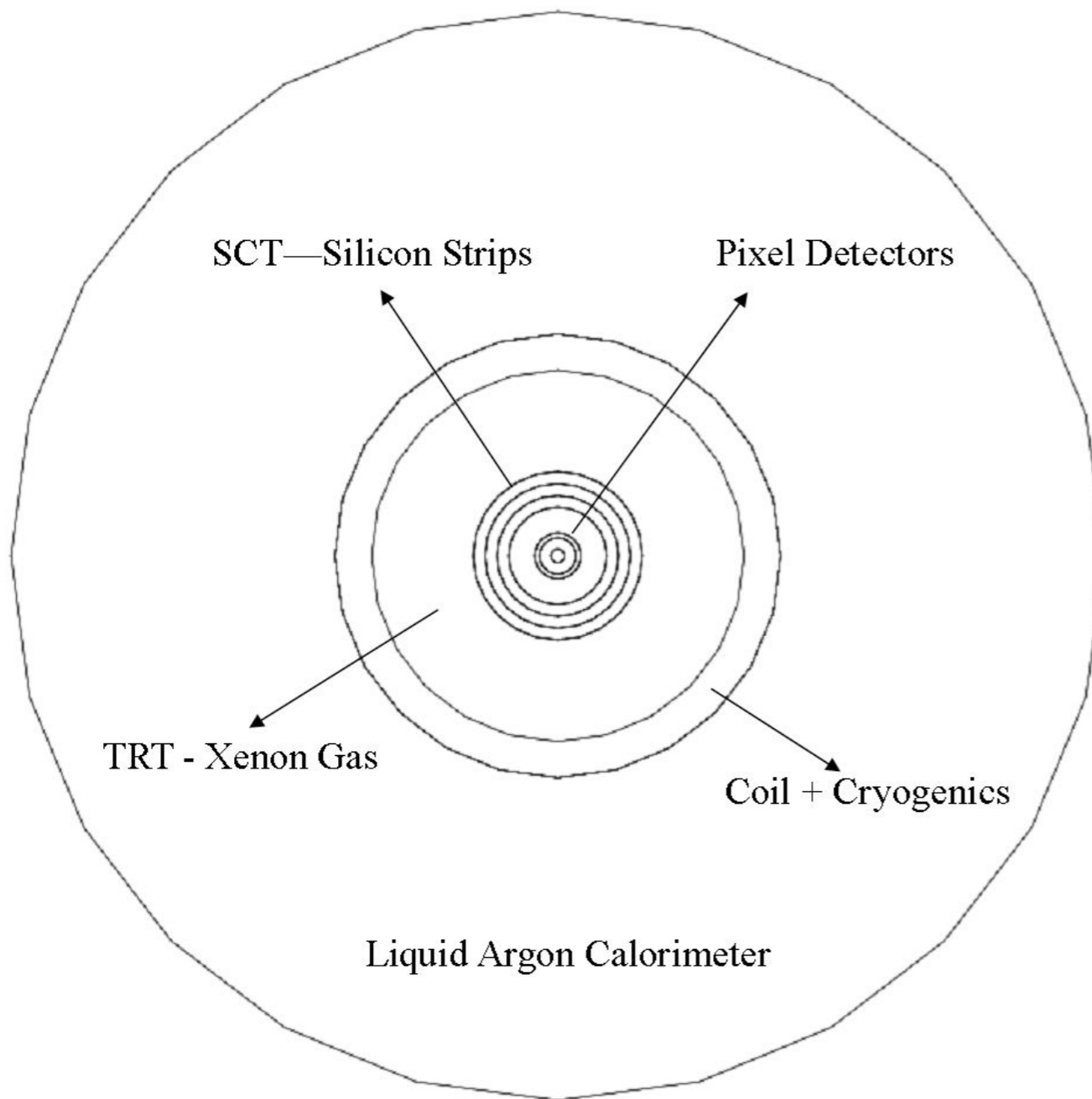
- \* We simulated the photon signal according to a simple antenna model.
- \* Analyze soft photons with a dedicated simulation of a “toy detector” (using GEANT4).
- \* Take  $E_\gamma/E_{\text{glue}}$  as a parameter (can change event by event).



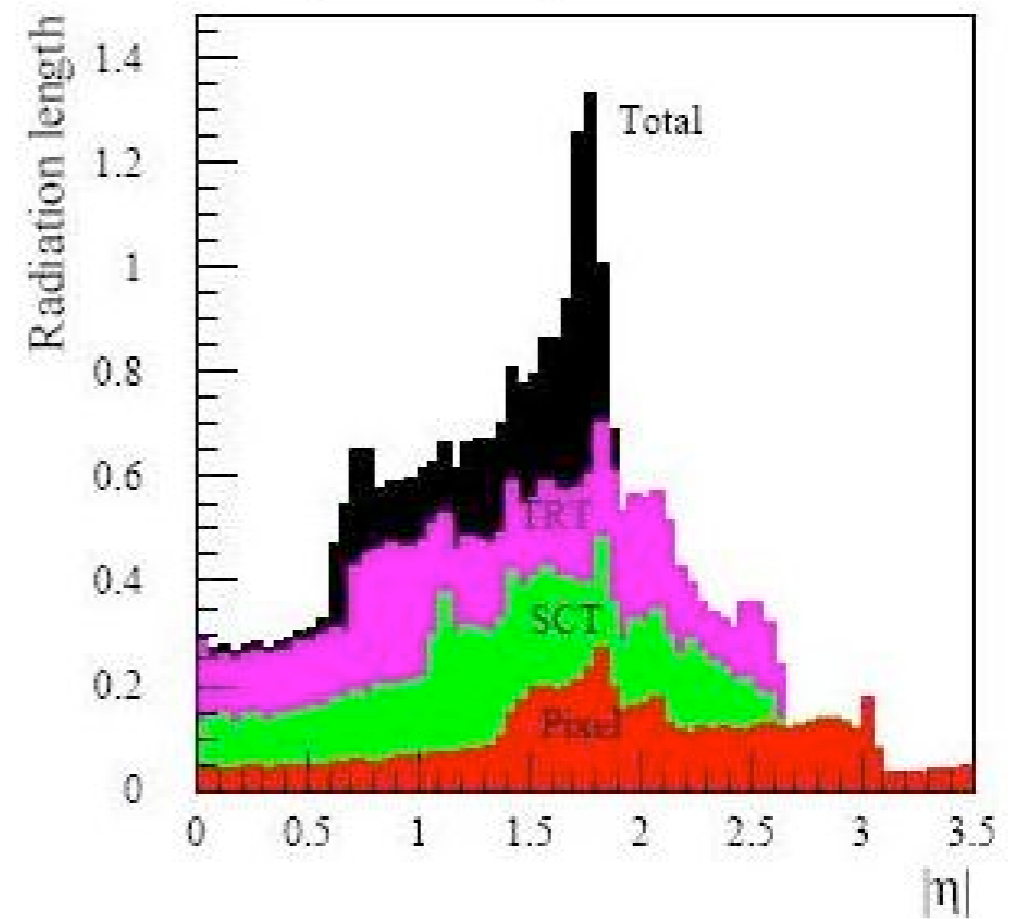
**what is the sensitivity?**

what are the backgrounds? min-bias? pile-up? etc.

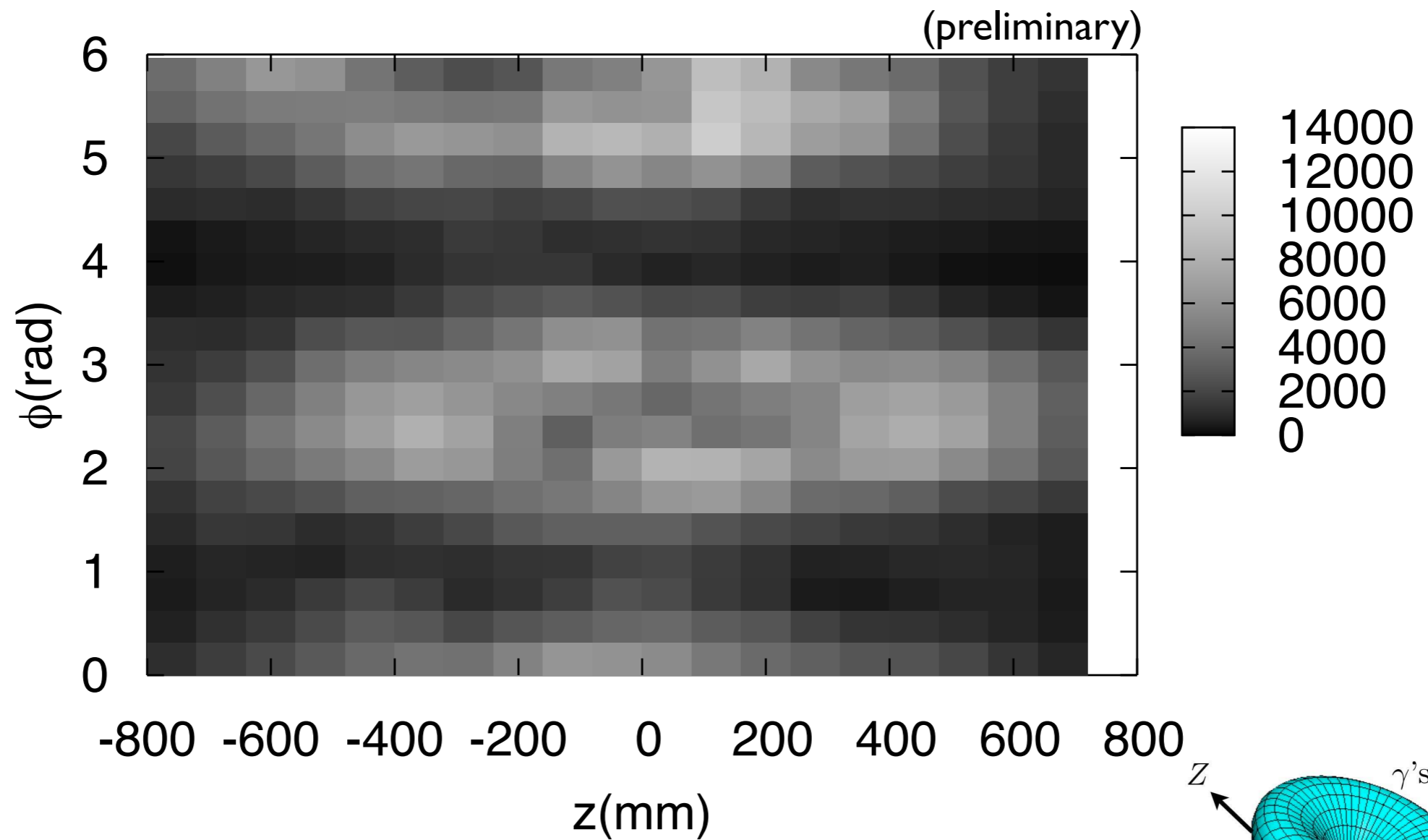
# PBS



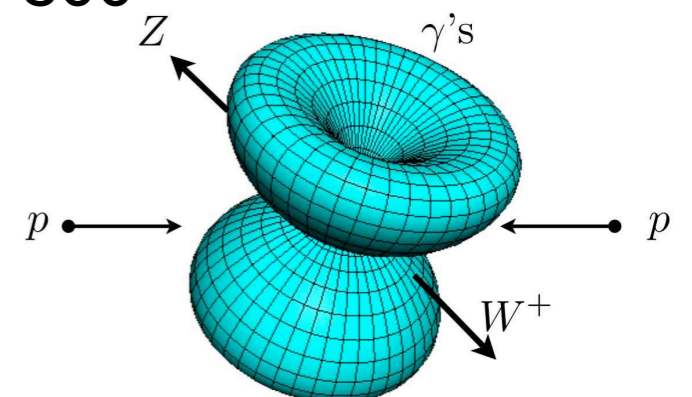
Material Budget In Front of Coil  
(ATLAS TDR)



# Pattern Recognition

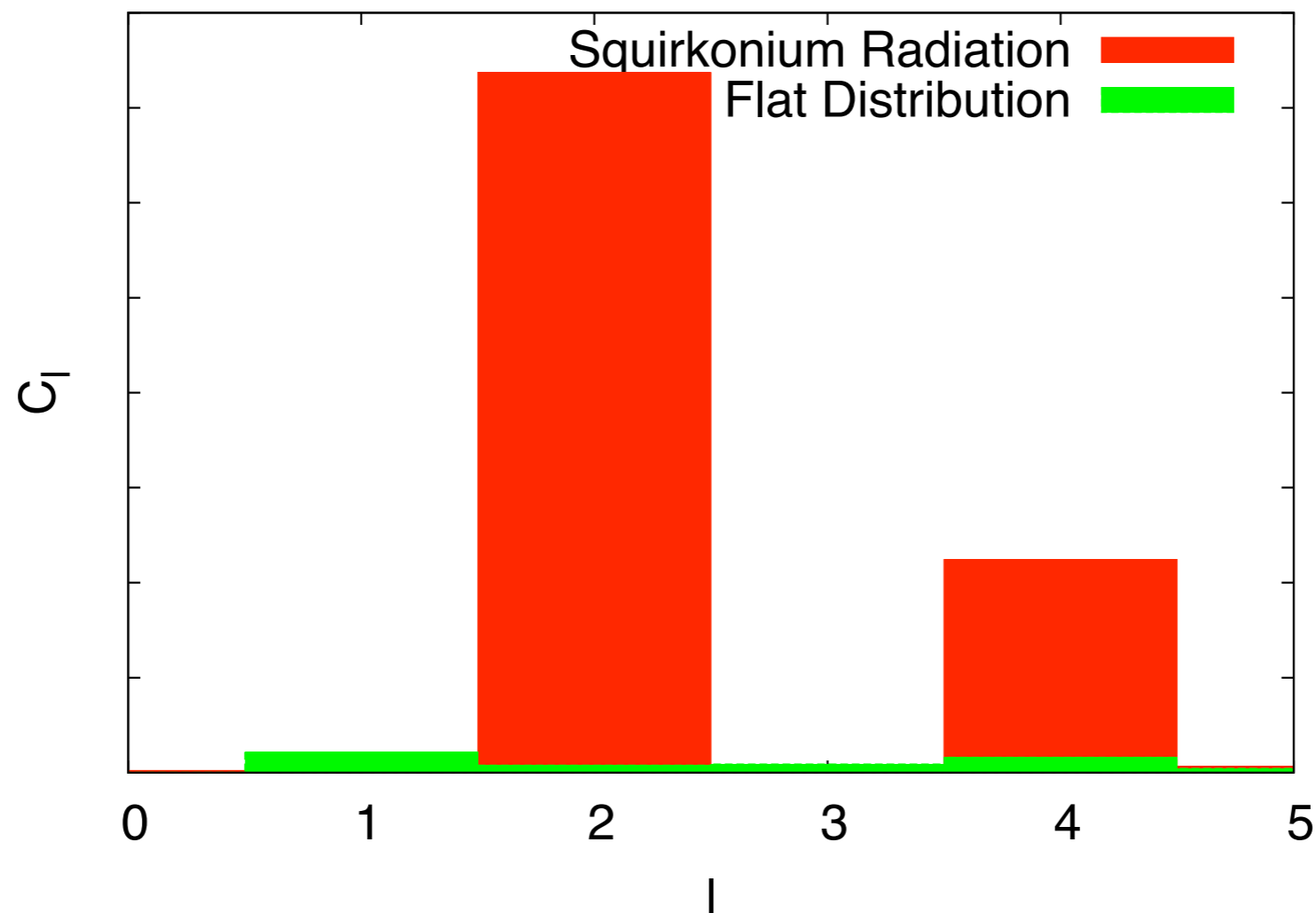


The pattern is visible!

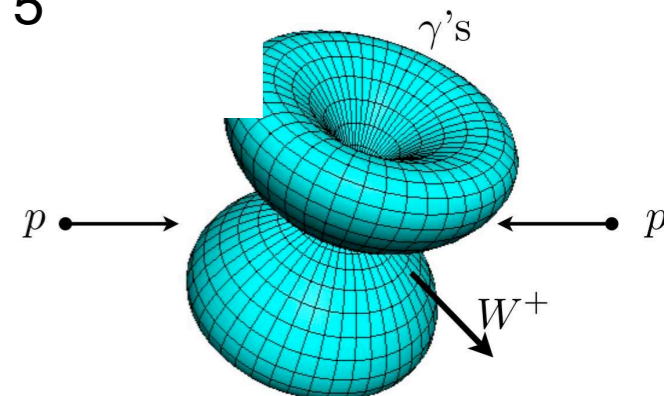


# Pattern Recognition

$$C_l = \frac{\sum_m |a_l^m|^2}{2l+1}; \quad a_l^m = \int d\Omega E(\Omega) (Y_l^m(\Omega))^*$$



Angular distribution distinct from the background.

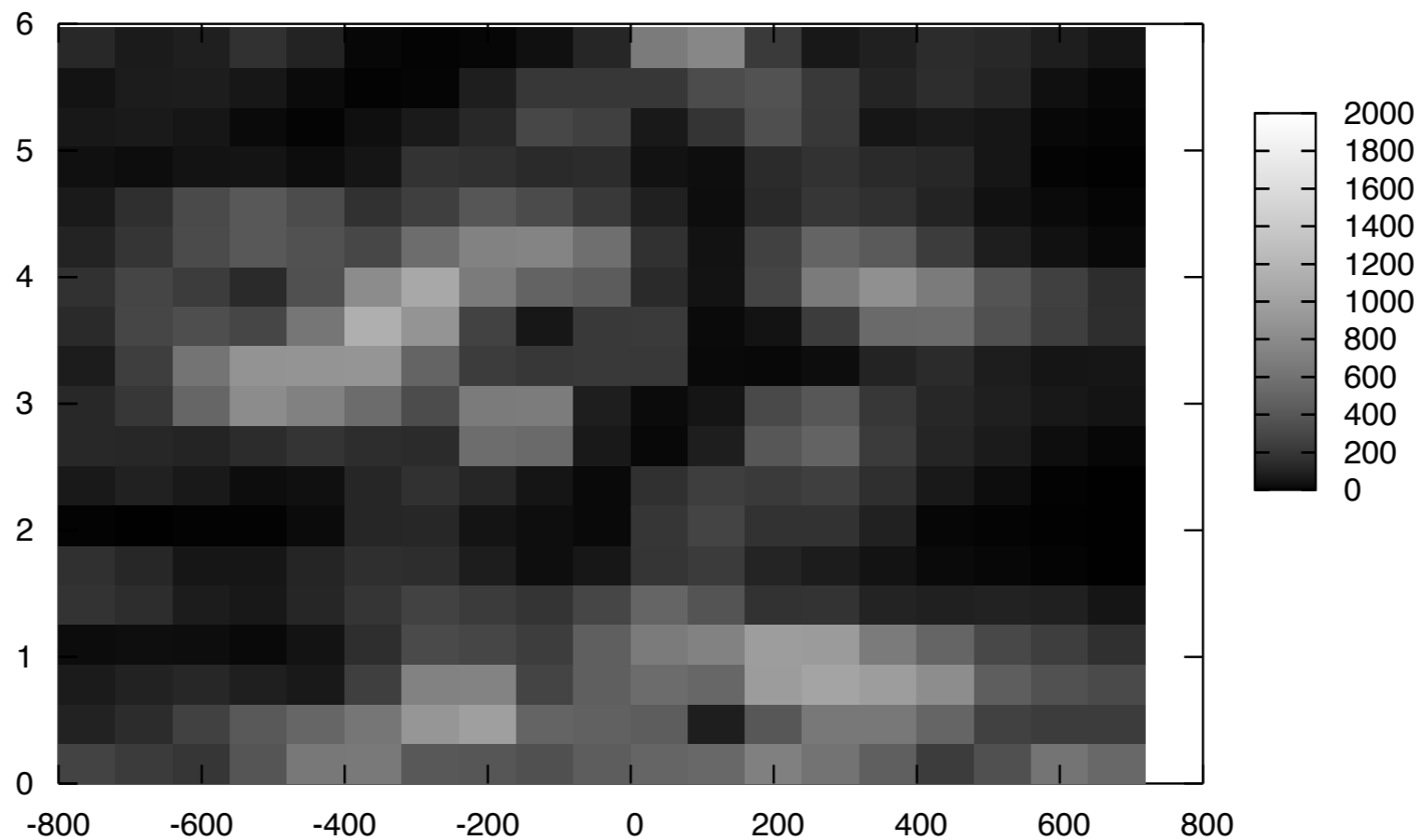


# Work in Progress...

\* Preliminary:

$$\frac{E_{\gamma}}{E_{\text{glue}}} \sim 10\%$$

may be enough to beat background



# SUSY vs F-SUSY

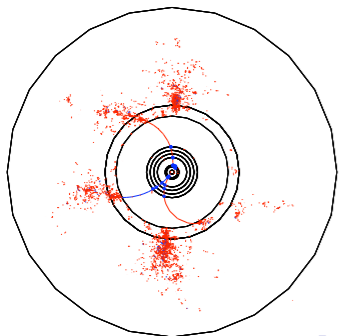
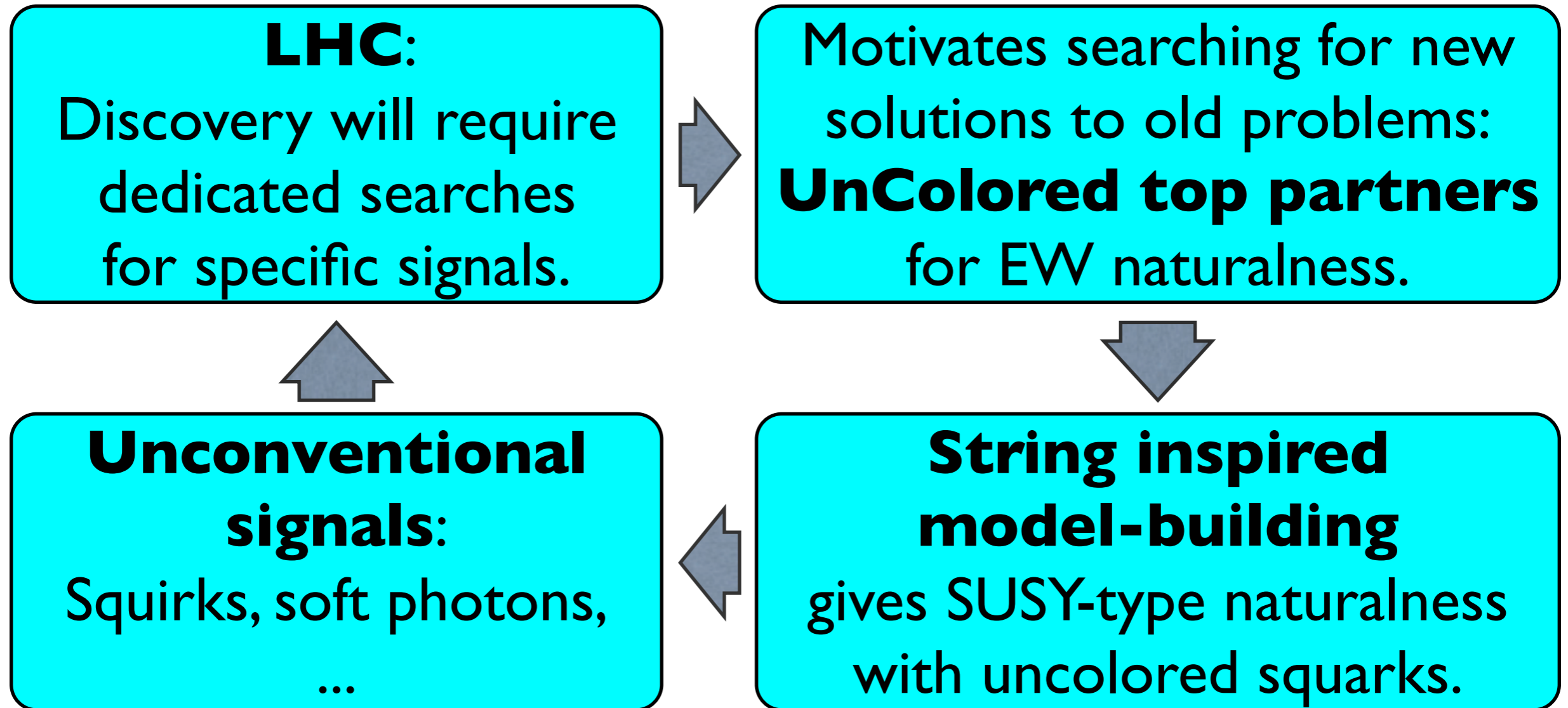
## \* Typical SUSY discovery signal:

- Squarks and gluinos are **strongly** produced.
  - Cascade to jets and/or leptons plus large  $E_{\cancel{T}}$ .
  - May quickly stand above backgrounds.
- 

## \* Folded SUSY signal:

- Superpartners are **weakly** produced.
- Heavy resonances in  $WZ$  plus soft photons.
- Soft photons could help distinguish from background.
- Requires looking at very different observables.

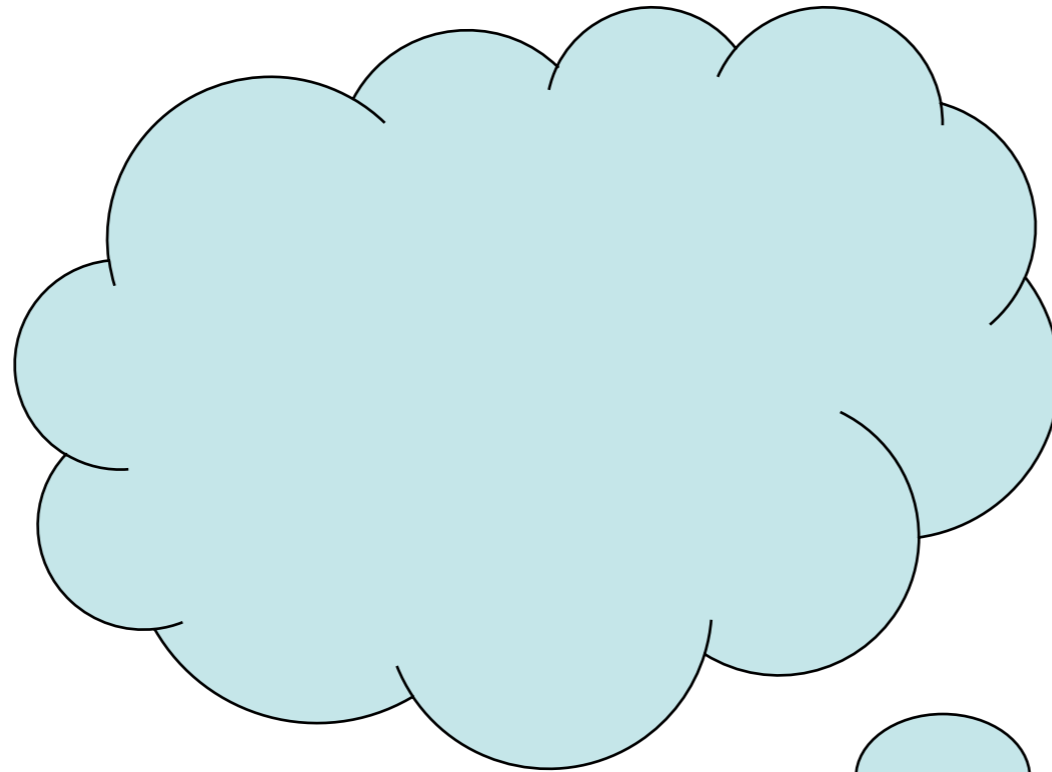
# Conclusion



*A good time for interplay  
between theory and experiment.*



# EXTRA SLIDES

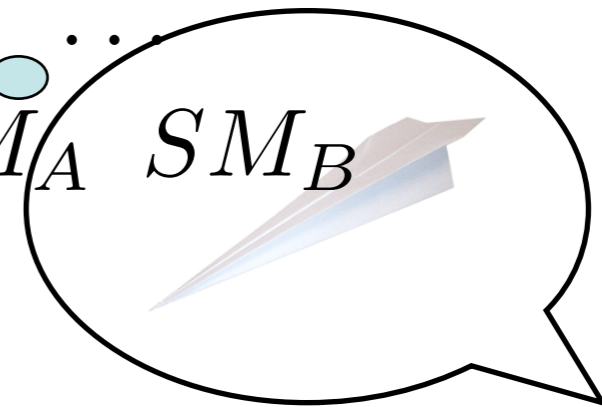


*bla bla bla opposite spin  
cancelation without identical  
quantum numbers!*

$$\hat{Q}_A \quad \hat{Q}_B$$

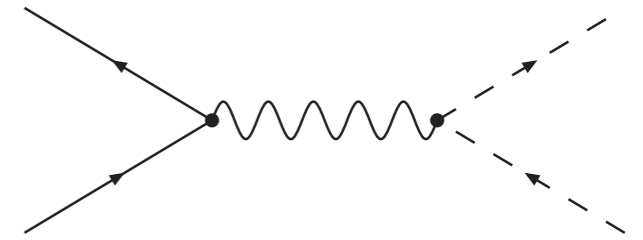
$$\hat{U}_A \quad \hat{U}_B$$

$$S\hat{M}_A \quad S\hat{M}_B$$

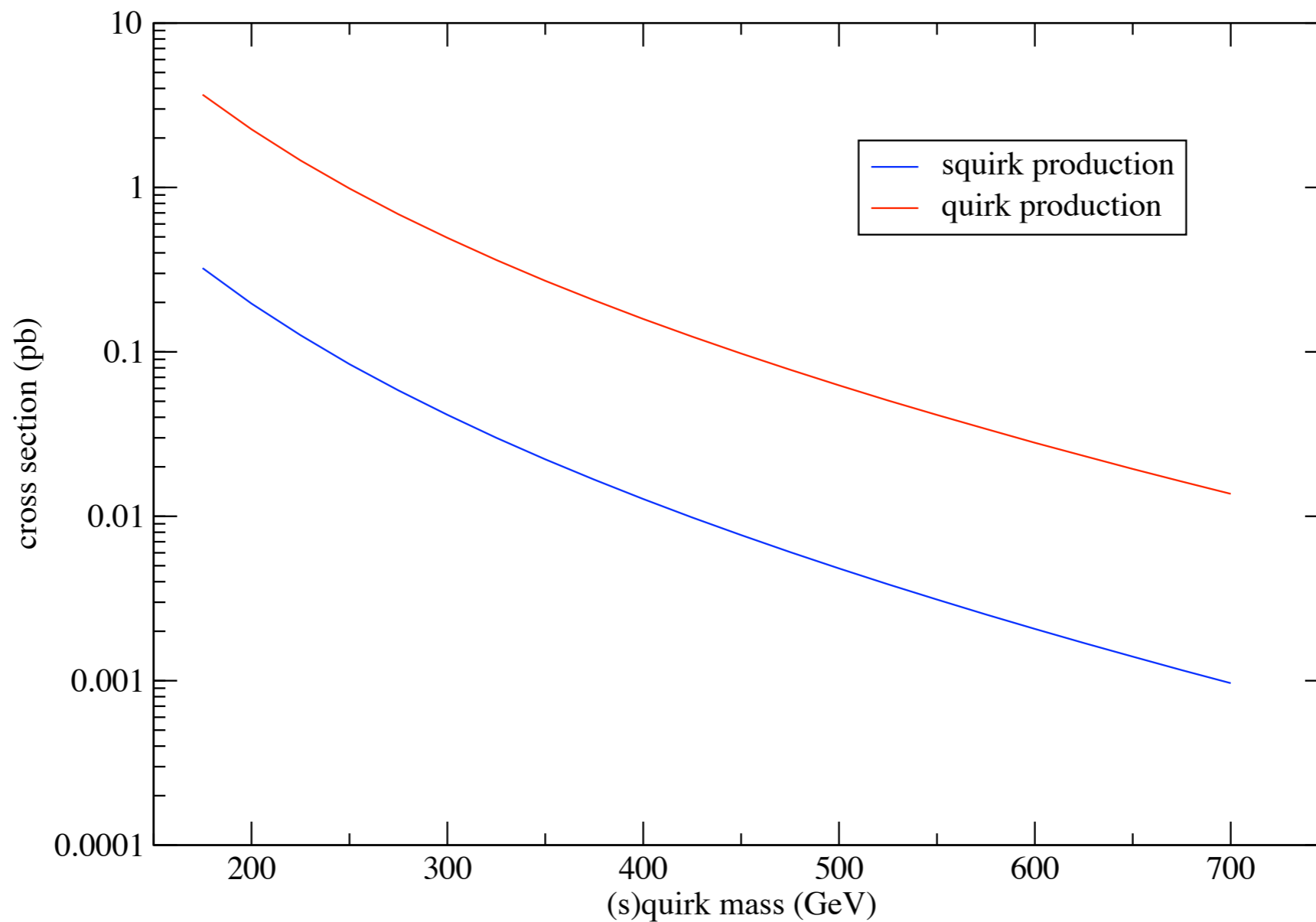




# LHC Signals



\* Squarks' are produced via Drell-Yan or VBF.



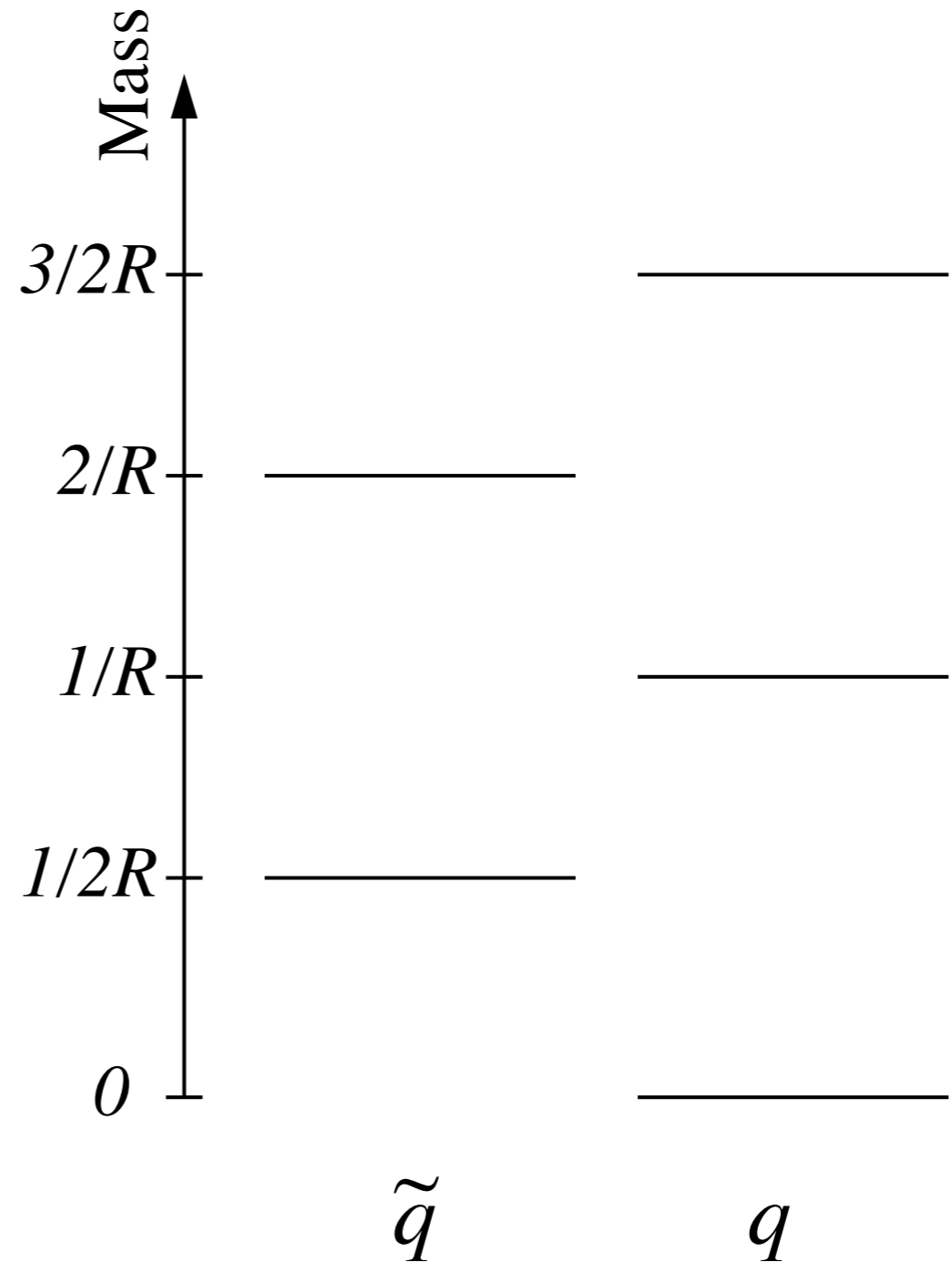
# Assignments

$$\hat{Q}_A = (Q_A, Q_A^c) \quad \hat{Q}_B = (Q_B, Q_B^c)$$

$Z'_2$	$Z_2$
$+ : Q'_A = \begin{pmatrix} \tilde{q}_A^{c*} \\ q_A \end{pmatrix}$ $- : Q_A^{c'} = \begin{pmatrix} \tilde{q}_A^* \\ q_A^c \end{pmatrix}$	$+ : Q_A = \begin{pmatrix} \tilde{q}_A \\ q_A \end{pmatrix}$ $- : Q_A^c = \begin{pmatrix} \tilde{q}_A^c \\ q_A^c \end{pmatrix}$
$+ : Q'_B = \begin{pmatrix} \tilde{q}_B \\ \bar{q}_B^c \end{pmatrix}$ $- : Q_B^{c'} = \begin{pmatrix} \tilde{q}_B^c \\ \bar{q}_B \end{pmatrix}$	$+ : Q_B = \begin{pmatrix} \tilde{q}_B \\ q_B \end{pmatrix}$ $- : Q_B^c = \begin{pmatrix} \tilde{q}_B^c \\ q_B^c \end{pmatrix}$

# Sherk-Schwartz +

SS SUSY breaking produces a staggered KK tower.



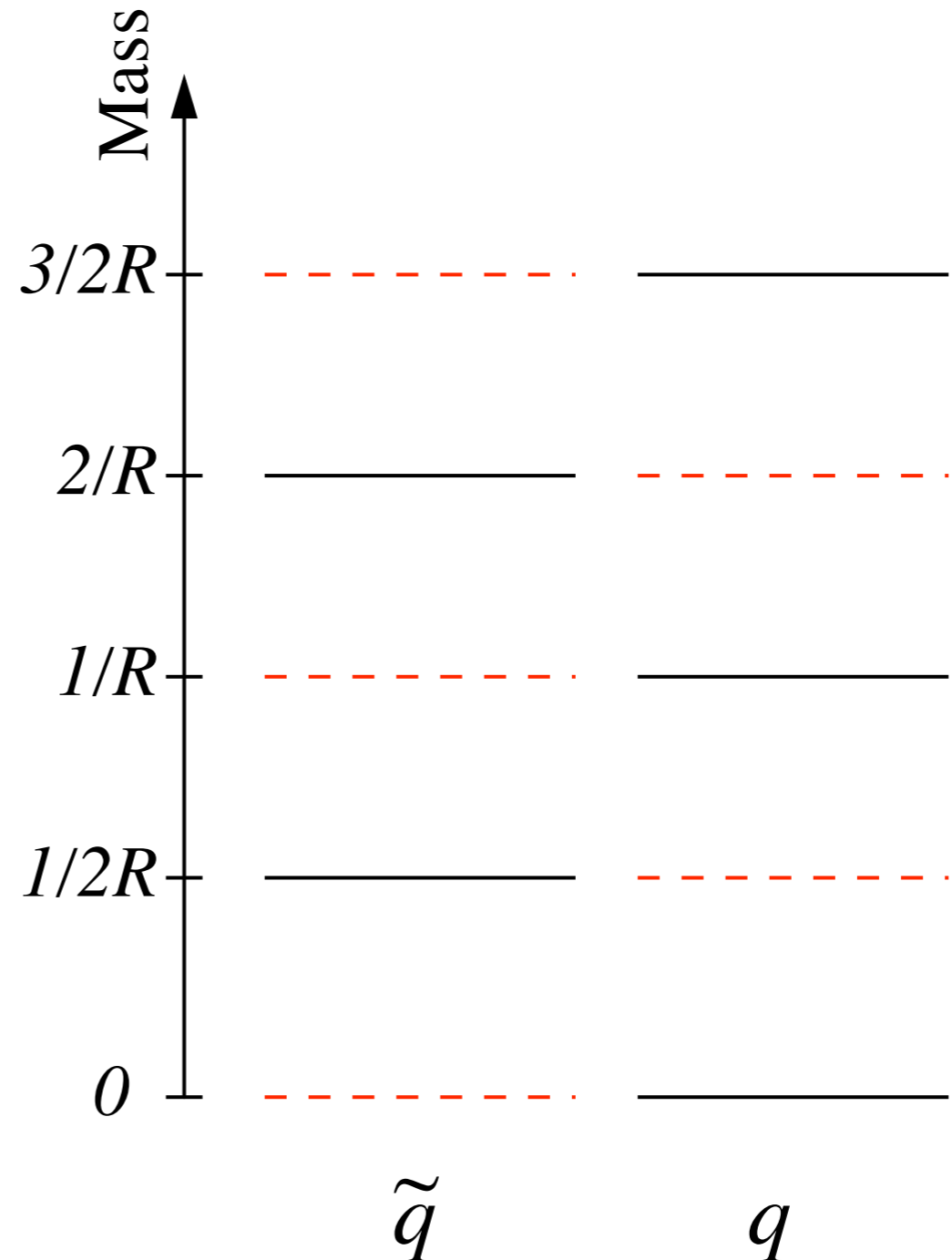
# Sherk-Schwartz +

SS SUSY breaking produces a staggered KK tower.

In our model the tower is supplemented to give the Higgs a “supersymmetric feeling”.

At tree level  $m_H^2 = 0$ .

Cancelation occurs one KK level at a time.



# Twin Higgs.

(Chacko, Goh ,RH)

# The Mechanism

(Chacko, Goh ,RH)

\* Consider two SM's:  $SM_A \times SM_B$

\* Impose a  $Z_2$ :  $A \longleftrightarrow B$

The only gauge  $\times Z_2$  quadratic operator

$$H_A^\dagger H_A + H_B^\dagger H_B$$

is invariant under an  $SU(4)$  with  $\begin{pmatrix} H_A \\ H_B \end{pmatrix} = 4$ .

\* The Higgs is a pseudo-Goldstone boson

$$SU(4) \rightarrow SU(3)$$

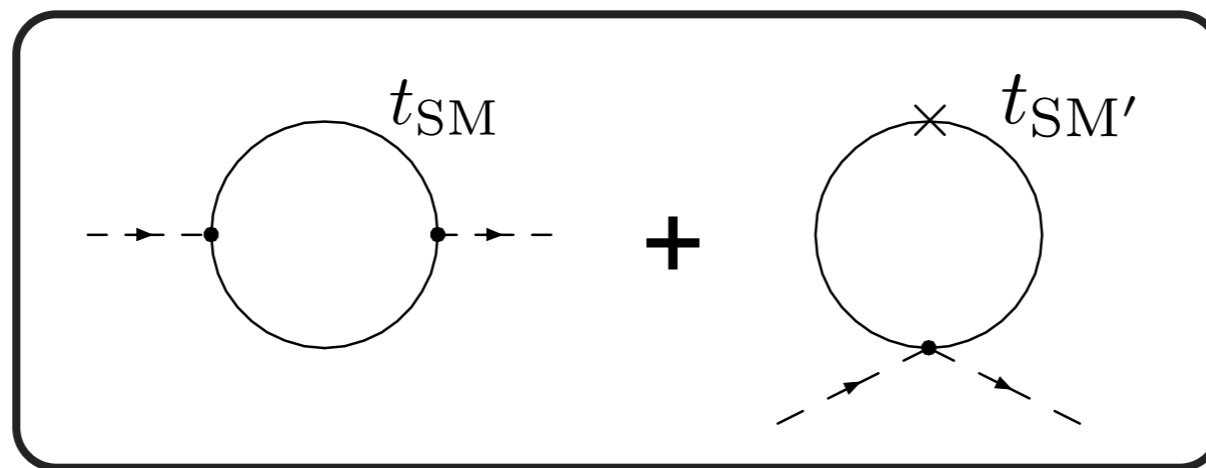
# SM × SM

- \* At high energies the Higgs interaction respect  $Z_2$

$$\mathcal{L} \supset y_t H_A \bar{t}_A t_A + y_t H_B \bar{t}_B t_B$$

- \* Loops only contribute to  $H_A^\dagger H_A + H_B^\dagger H_B$  *SU(4) invariant!*

- \* Alternatively:



*Cancelation guaranteed by  $Z_2$*

**All new physics is in SM singlets**

# “Striking” LHC Signals

- \* A standard model Higgs.



# “Striking” LHC Signals

- \* A standard model Higgs.
- \* After several years we can hope to measure-
  - Higgs decay to invisibles,  $\text{BR} \sim O(v^2/f^2)$ .
  - Modification of  $ZZh, WW h, tth, h^3, \dots$   
also of  $O(v/f)$ . (correlations).

# “Striking” LHC Signals

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  - Higgs decay to invisibles,  $\text{BR} \sim O(v^2/f^2)$ .
  - Modification of  $ZZh, WW h, tth, h^3, \dots$   
also of  $O(v/f)$ . (correlations).
- \* If we are *really* lucky:  
Twin hadrons decay back to SM with displaced vertices. A “Hidden Valley” signal (Strassler and Zurek).

# Finite ~~SUSY~~

- \* one loop squarks, sleptons get finite soft masses

$$m_Q^2 = K \frac{1}{4\pi^4} \left( \frac{4}{3}g_3^2 + \frac{3}{4}g_2^2 + \frac{1}{36}g_1^2 \right) \frac{1}{R^2}$$

$$m_U^2 = K \frac{1}{4\pi^4} \left( \frac{4}{3}g_3^2 + \frac{4}{9}g_1^2 \right) \frac{1}{R^2}$$

$$m_D^2 = K \frac{1}{4\pi^4} \left( \frac{4}{3}g_3^2 + \frac{1}{9}g_1^2 \right) \frac{1}{R^2}$$

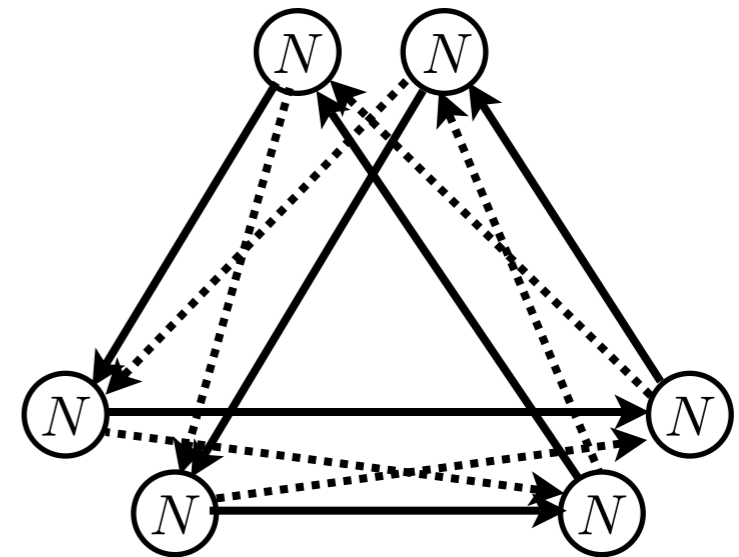
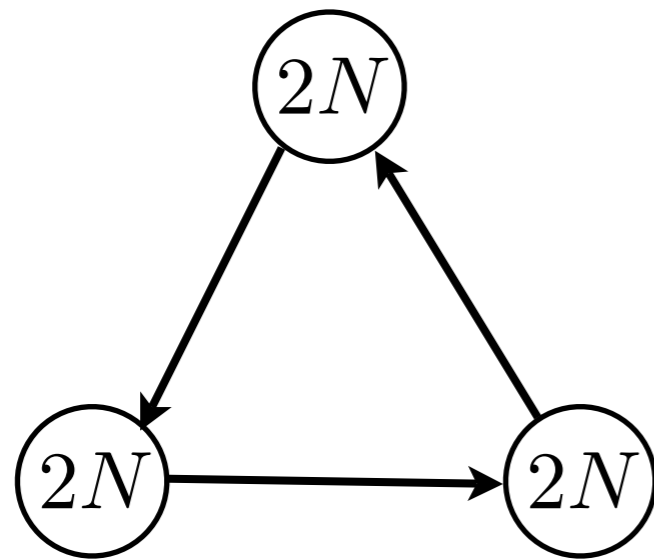
...

- \* Higgs mass parameter generated at two-loops from top and at one-loop from gauge.

$$\delta m_H^2|_{\text{top}} \approx -\frac{3\lambda_t^2}{4\pi^2} \tilde{m}_t^2 \log \left( \frac{1}{R \tilde{m}_t} \right)$$

$$\delta m_H^2|_{\text{gauge}} = K \frac{3g_2^2 + g_1^2}{16\pi^4} \frac{1}{R^2}$$

# Example II - Yukawas

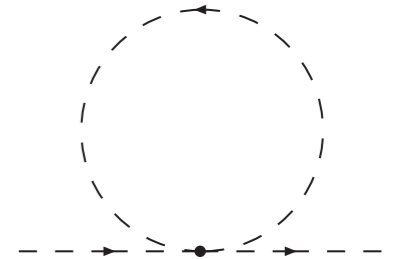
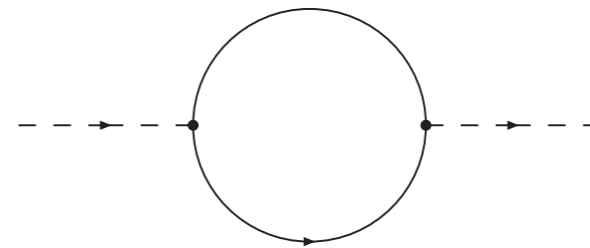


$$\lambda Q_{12} Q_{23} Q_{31}$$



$$\left[ \sqrt{2} \lambda \tilde{q}_{1A,2A} q_{2A,3B} q_{3B,1A} + \text{h.c.} \right] + 2 \lambda^2 |\tilde{q}_{1A,2A}|^2 |\tilde{q}_{3A,1A}|^2 + 2 \lambda^2 |\tilde{q}_{1A,2A}|^2 |\tilde{q}_{2A,3A}|^2$$

radiative corrections  
to all masses are  
canceled by exotics.



# But...

\* Previous example has bi-fundamentals.

SM does not. :-)

\* SM is not quite at large N. :-)

\* Recall-

We are aiming at solving the Little hierarchy problem.

- Only one loop.
- Only the Higgs needs protection.
- Problem is numerically little, but is important (LHC).

# SM $\times$ SM

(Chacko, Goh ,RH)

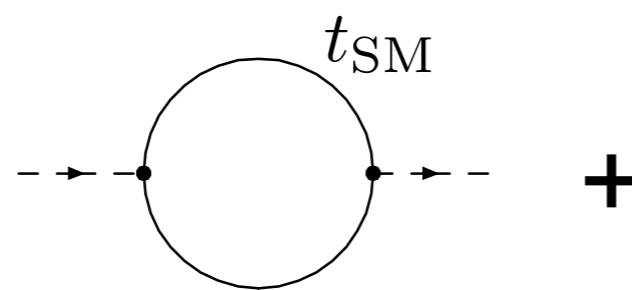
\* The whole SM has a mirror copy.

$$\mathcal{L} \supset y_t \underbrace{H_A \bar{t}_A t_A} + y_t \underbrace{H_B \bar{t}_B t_B}$$

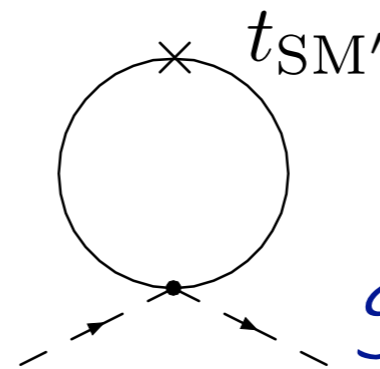
$$\downarrow \qquad \qquad \downarrow$$

$$h + \dots \qquad \qquad f - \frac{h^2}{2f} + \dots$$

$$\downarrow \qquad \qquad \downarrow$$



+

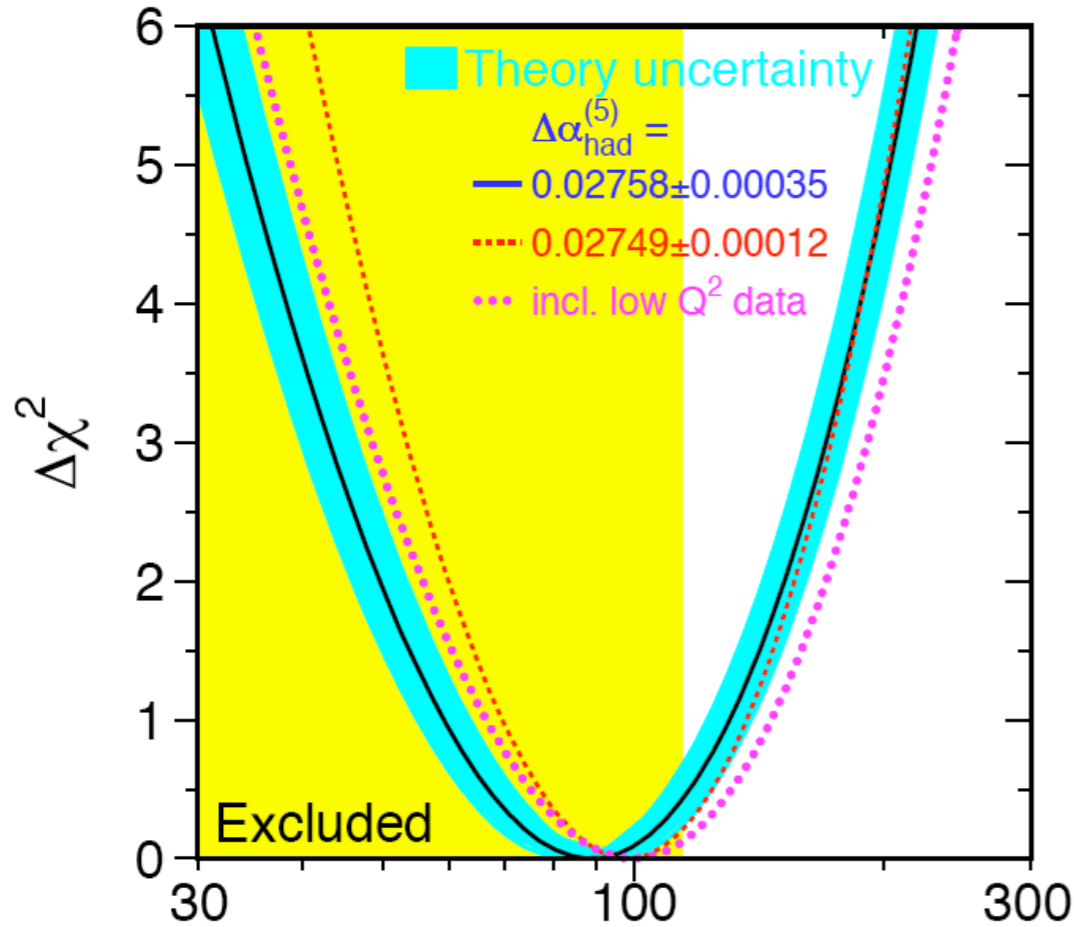


*Cancelation guaranteed by  $Z_2$*

**All new physics is in SM singlets**

# LEP's legacy for LHC

Barbieri, Strumia



Dimensions six operators		$m_h = 115 \text{ GeV}$	
		$c_i = -1$	$c_i = +1$
$\mathcal{O}_{WB}$	$= (H^\dagger \tau^a H) W_{\mu\nu}^a B_{\mu\nu}$	9.7	10
$\mathcal{O}_H$	$=  H^\dagger D_\mu H ^2$	4.6	5.6
$\mathcal{O}_{LL}$	$= \frac{1}{2} (\bar{L} \gamma_\mu \tau^a L)^2$	7.9	6.1
$\mathcal{O}'_{HL}$	$= i(H^\dagger D_\mu \tau^a H) (\bar{L} \gamma_\mu \tau^a L)$	8.4	8.8
$\mathcal{O}'_{HQ}$	$= i(H^\dagger D_\mu \tau^a H) (\bar{Q} \gamma_\mu \tau^a Q)$	6.6	6.8
$\mathcal{O}_{HL}$	$= i(H^\dagger D_\mu H) (\bar{L} \gamma_\mu L)$	7.3	9.2
$\mathcal{O}_{HQ}$	$= i(H^\dagger D_\mu H) (\bar{Q} \gamma_\mu Q)$	5.8	3.4
$\mathcal{O}_{HE}$	$= i(H^\dagger D_\mu H) (\bar{E} \gamma_\mu E)$	8.2	7.7
$\mathcal{O}_{HU}$	$= i(H^\dagger D_\mu H) (\bar{U} \gamma_\mu U)$	2.4	3.3
$\mathcal{O}_{HD}$	$= i(H^\dagger D_\mu H) (\bar{D} \gamma_\mu D)$	2.1	2.5

SM Higgs seems to be light.

No sign of NP up to  $\Lambda \sim 5 - 10 \text{ TeV}$

*'Paradox'!?*

# F-sleptons

\* F-sleptons are stable. A problem for cosmology.

\* Add:

$$\delta(y) \int d^2\theta \left( \frac{Q_A Q_A Q_A L_B}{\Lambda} + \frac{Q_B Q_B Q_B L_A}{\Lambda} \right)$$



\* F-sleptons decay to 3 jets+ missing energy.

\* F-baryons decay to leptons, but not vice-versa.



# Uncolored Top Partners ?

**Can top partners be uncolored?  
The impact on LHC performance, and  
how we interpret its results is profound!**

- \* The **twin Higgs** is a counter example:  
Higgs may be protected by a **discrete** symmetry

$$(\text{top})_i \longrightarrow (\text{top}')_{i'}$$

*\*\* For the purpose of the LHC, only the 'little hierarchy' may be addressed. Protection only at 1-loop.*

# Twin Mechanism

Protecting the Higgs with a discrete symmetry

Chacko, Goh, RH

# A Toy Example

- \* A global  $SU(4)$  symmetry w/ one fundamental

$$V(H) = -m^2 |H|^2 + \lambda |H|^4$$



$$\langle |H|^2 \rangle = \frac{M^2}{2\lambda} \equiv f^2$$

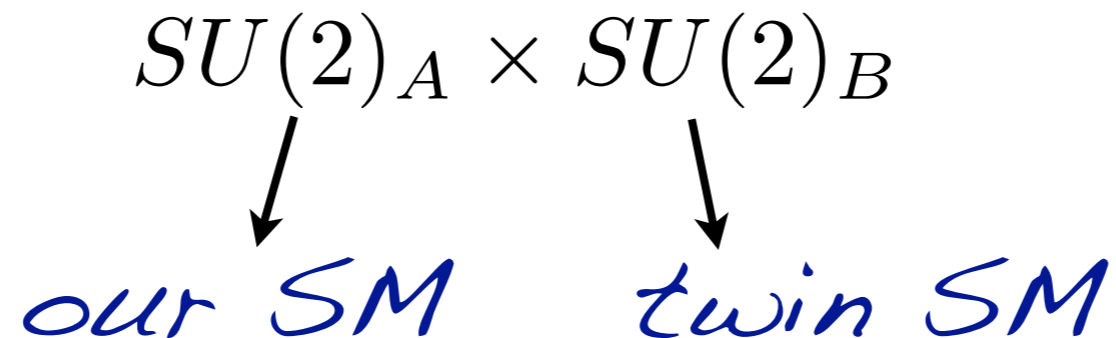


$$SU(4) \longrightarrow SU(3)$$

*7 Goldstones*

# $SU(2)_A \times SU(2)_B$

- \* Gauge a subgroup



- \* In some basis,  $H$  transforms as

$$H = \begin{pmatrix} H_A \\ H_B \end{pmatrix} \begin{array}{l} 6 \text{ eaten.} \\ 1 \text{ Goldstone left.} \end{array}$$

- \*  $SU(2)_A \times SU(2)_B$  breaks global  $SU(4)$ .

# The Mechanism

- \* Impose a  $Z_2$ :  $A \longleftrightarrow B$

The only gauge  $\times Z_2$  quadratic operator is

$$H_A^\dagger H_A + H_B^\dagger H_B$$

*SU(4) invariant!*

- \* If  $Z_2$  is preserved at low energies, radiative corrections will only generate this operator.

**No mass for the Goldstone.**

# Left-Right Model

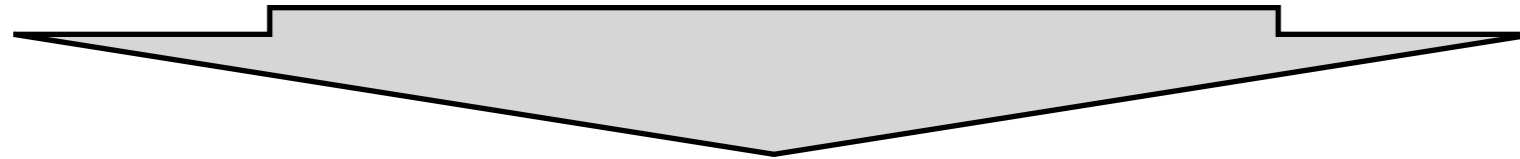
Chacko, Goh, RH, hep-ph/0512088

- \* The twin mechanism can be embedded in an  $SU(2)_L \times SU(2)_R$  structure.
- \* Top partners *are* colored.
- \* Exciting LHC signals. :-)

# Do We Care?

SM Higgs seems  
to be light.

No new physics up to  
 $\Lambda \sim 5 - 10 \text{ TeV}$

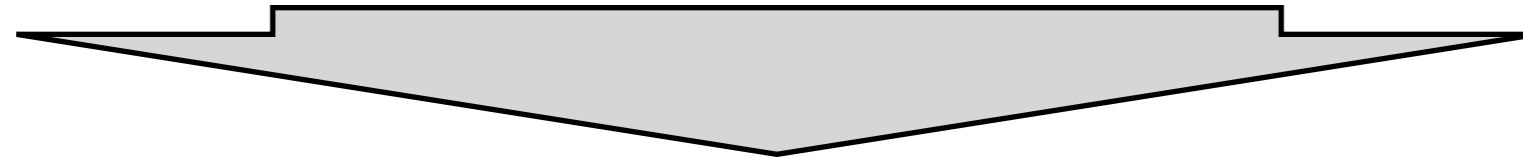


There are new light states below  $\Lambda$ .  
*but*  
They do not contribute to precision EW.

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There are new light states below  $\Lambda$ .  
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They do not contribute to precision EW.

New light states just beyond EW scale:  
**Directly determines NP at LHC.**



# Radiative Corrections

\* At 1-loop:

$$\Delta V =$$

\* Impose a  $Z_2$  “twin” symmetry:

$$A \longleftrightarrow B$$



$$g_A = g_B$$

$$\Delta V = \frac{9g^2 \Lambda^2}{64\pi^2} \left( H_A^\dagger H_A + H_B^\dagger H_B \right) \quad \text{SU(4) invariant!}$$

Does not give a Goldstone mass.

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---

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