





## v Beyond the Standard Model

Ann Nelson "Pre SUSY" lecture 1 August 18, 2015

#### Today: Basics Tommorrow: Recent Developments in $\nu$ BSM

#### "We have a Limited Palette"

-Sidney Coleman, Quantum Field Theory

#### Parameters



- At low energy/long distance **renormalizable** terms dominate. With Particle/Field content of Standard Model, 19 renormalizable terms
- 6 quark masses, 3 quark mixing angles, 1 CP violating phase, determined by Higgs couplings
- 3 charged lepton masses
- 3 gauge couplings, 1 strong CP violating phase
- 2 parameter Higgs potential gives Higgs vev, Higgs self-coupling (Higgs mass)
- Sufficient for length scales to 10<sup>-33</sup> cm (if we neglect dark matter, gravity and v masses), tested to 10<sup>-17</sup> cm

## Searching for Physics Beyond

- New particles (allow new interactions)
- virtual effects (suppressed by powers of E/M)

# Why is $\nu$ special?

- *v* mass is BSM, window into GUTs, hidden sectors...
- *v* and *v* mass important for cosmology
  - *structure formation*
  - nucleosynthesis
  - baryogenesis
  - *dark matter(?)*
  - dark energy(?)
- *v* and *v* mass important for astrophysics
  - stars, supernovae, heavy element nucleosynthesis
- *Hints of anomalies*
- History of surprises

## Physics of mass

- mass:allow particle to rest
- spinning massless particles have no rest frame,
  - need only 1 helicity (+ CPT conjugate)
- spinning massive particles in complete spin multiplet
- spin 1/2: mass connects different <u>chiralities</u> (potentially with different properties, as in SM)
  - (helicity=chirality in massless limit only)

#### v mass in the Standard Model

- SM formulated with no " $v_R$ "
  - $\rightarrow$  No Renormalizable v mass



#### Why no v<sub>R</sub>?

- seemed like a good idea to explain why  $\nu$  massless
- $v_R$  not "necessary"
- $v_R$  is "sterile"
  - $\rightarrow$  v<sub>R</sub> v<sub>R</sub> mass term allowed
    - ➡ GUT/Planck scale?

## Two v standard models

- Model I: Dirac mass: 4 states/momentum mode
- Lepton number conserved

CP

- weak doublets:  $v_L \iff \overline{v}_R$
- "Sterile" weak singlets:  $\bar{v}_L \iff v_R$

#### Two $\nu$ models cont.

- II: Majorana mass: 2 states/momentum mode
- Lepton number violated  $v=\bar{v}$ , no light sterile v
- mass term vv breaks lepton number
- appears to break electroweak gauge invariance
- "seesaw model"

Seesaw Majorana mass

- $v_R$  is gauge singlet field
- $v_R v_R$  Majorana mass term is gauge and Lorentz invariant
- If both Majorana and Dirac terms are present the v mass terms may be written as a Majorana *mass matrix*:  $v_L = v_R$
- *m* is just like the Dirac mass term and could  $\frac{V_L}{V_R}$  have been written in usual way for Dirac term
- $\mathbf{m} \frac{\mathbf{v}_L}{\mathbf{v}_R} \quad \left(\begin{array}{cc} 0 & m \\ m & M \end{array}\right)$
- *M* is a Majorana mass term, breaking lepton number

$$\begin{array}{ccc}
 V_L & \overline{V_R} \\
 \hline
 V_L & \left(\begin{array}{cc}
 0 & m \\
 \overline{V_R} & \left(\begin{array}{cc}
 0 & m \\
 m & M
\end{array}\right)
\end{array}$$
SeeSa

- Consider limit  $M \gg m$  (motivated by GUTs)
- Diagonalize matrix perturbatively
- just like 2 state quantum system  $\frac{m^2}{M} \frac{m^2}{M}$
- approximate eigenvalues:
  - ➡ sign of fermion mass does not matter
  - $\rightarrow$  as M gets bigger, small eigenvalue gets smaller!

★  $m_v \approx 0.1 \text{ eV}, m \approx 100 \text{ GeV} \Rightarrow M \approx 10^{14} \text{ GeV}!$ 

- (at low energy, we can only determine  $|m^2/M|$ )

## Both v Models

- New degrees of freedom! (sterile  $\nu$ )
- Dirac: light sterile  $\nu$
- Majorana seesaw: light  $\nu$  is partly sterile

Important note about "left" and "right"

- When referring to *fields* "L" and "R" refer to *chirality*
- When referring to *particles*, "L" and "R" refer to *helicity*
- chirality and helicity coincide for massless particles and are opposite for massless antiparticles.
- Neutrinos are so ultra relativistic, so close to massless, that chirality and helicity almost coincide.



kinematic Effects of mass

- Usually we observe effects of mass through the kinematic relation  $E = \sqrt{p^2 + m^2}$
- Produce v with E >> MeV
- m<eV
  - $\rightarrow p \approx E m^2/(2E)$

 $\rightarrow \Delta p < 10^{-15} \text{ MeV}$ 

Ax > 100 m ! classical kinematic effects of mass not observable



PMNS matrix in Lepton Sector

• lepton doublets:

$$\left( \begin{array}{c} v_{Le} \\ e_L \end{array} \right), \left( \begin{array}{c} v_{L\mu} \\ \mu_L \end{array} \right), \left( \begin{array}{c} v_{L\tau} \\ \tau_L \end{array} \right)$$

- lepton weak eigenstates are not mass eigenstates
- lepton mixing: •  $U=U_{PMNS}$ •  $UU^{\dagger}=1$   $\begin{pmatrix} v_{eL} \\ v_{\mu L} \\ v_{\tau L} \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu 1} & U_{\mu 2} & U_{\mu 3} \\ U_{\tau 1} & U_{\tau 2} & U_{\tau 3} \end{pmatrix} \begin{pmatrix} v_{1L} \\ v_{2L} \\ v_{3L} \end{pmatrix}$
- mixing requires neutrinos to be massive, and have nondegenerate masses
- observing mixing requires observing effects of nondegenerate neutrino mass

## Quantum Mechanical Effects of V mass

- Neutrino wave packet is so ultra relativistic that it propagates with  $\omega \cong k$ 
  - essentially no dispersion, distance traveled  $x \cong t$
  - effect of mass on overall phase of wave packet:
  - flavor eigenstate produced in coherent superposition of mass eigenstates which acquire different phases as they travel
  - If only 2 v's mix (e.g.  $\nu_{\mu}, \nu_e$ ) simple formula for probability of flavor transition

$$P_{\mu \to e} = \sin^2(2\theta)\sin^2\left(\frac{(m_1^2 - m_2^2)x}{4E}\right)$$

 $-i\frac{m^2t}{2E}$ 

mass vs flavor eigenstates



Figure 1: a). Representation of the flavor neutrino states as the combination of the mass eigenstates. The length of the box gives the admixture of (or probability to find) corresponding mass state in a given flavor state. (The sum of the lengths of the boxes is normalized to 1. b). Flavor composition of the mass eigenstates. The electron flavor is shown by red (dark) and the non-electron flavor by green (grey). The sizes of the red and green parts give the probability to find the electron and non-electron neutrino in a given mass state. c). Portraits of the electron and non-electron neutrinos: shown are representations of the electron and non-electron neutrino states as combinations of the eigenstates for which, in turn, we show the flavor composition.

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> 2 flavor mixing

Probability of producing flavor *a* in a beam of flavor *b* at a distance *x* from the source

$$P_{ab} = \left| \sum_{j=1}^{n} U_{aj} U_{bj}^{*} e^{-i \frac{m_j^2 x}{2E}} \right|^2$$

 $UU^{\dagger}=1 \Rightarrow$ no flavor change at x=0

 With >2 flavors, U can have a CPV phase, just like in quark mixing. For antineutrinos:

$$\overline{P}_{ab} = \left| \sum_{j=1}^{n} U_{aj}^* U_{bj} e^{-i \frac{m_j^2 x}{2E}} \right|^2 = P_{ba} \neq P_{ab}$$

The MSW mechanism: effects

of propagating though matter

Ve

Ve

- neutrinos propagate through matter
- matter is full of electrons
- forward scattering of electron neutrino
- additional phase for Ve

Effective 4 for I propatin

- in flavor basis: (simplified case of 2 neutrinos)
- ignore terms  $\propto l$ , only can see  $\Delta m^2 = m_2^2 m_1^2$

$$H_{eff} = \begin{pmatrix} -\left(\frac{\Delta m^2}{4E}\right)\cos(2\theta) + V & \left(\frac{\Delta m^2}{4E}\right)\sin(2\theta) \\ \left(\frac{\Delta m^2}{4E}\right)\sin(2\theta) & \left(\frac{\Delta m^2}{4E}\right)\cos(2\theta) \end{pmatrix} (+ \text{ terms } \propto 1)$$

• V is matter effect for electron neutrinos from electrons

- V∞density of electrons
- when diagonal terms are equal, resonant enhancement of mixing

Level crossing in the sun

#### • adiabatic conversion "start heavy, stay heavy"



Figure 3: Level crossing scheme. Dependence of the eigenvalues of the Hamiltonian in matter,  $H_{1m}$  and  $H_{2m}$ , on the ratio  $x \equiv l_{\nu}/l_0$  for two different values of vacuum mixing  $\sin^2 2\theta = 0.825$  (solid, blue lines) and  $\sin^2 \theta = 0.08$  (dashed, red lines).



S. Parke Neutrino 2010

# Open questions

- Majorana or Dirac?
- CP?
- $\nu$  mass hierarchy?
- absolute  $\nu$  mass scale?



- Are there light "sterile  $\nu$ " s?
- Do  $\nu$ 's have other interactions (besides weak, gravitational?)

who cares ?

Neutrino mass is physics "beyond the Standard Model", but . . .

we can account for neutrino mass with right handed neutrinos and/or lepton number violating nonrenormalizable interactions in

"the v Standard Model(s)"

no revision of sacred principles needed either way

#### Usual reasons to care about

Neutrino mass/mixing

- Window into GrandUnifiedTheorieS
- May be related to Leptogenesis/Baryogenesis
- Affects structure formation in Universe
- May affect supernovae dynamics
- Neutrino astronomy affected by mixing
- Use of neutrinos as probe, e.g. geophysical, requires knowledge of mixing parameters

#### Exotic Physics beyond the V

#### standard model

Visible oscillations are affected by tiny GUT scale suppressed operators ('standard' seesaw) and weak force(s)

Neutrinos can mix with "dark" (sterile) fermions

Neutrinos can thus experience "dark forces" much more strongly than other known particles

matter effect on oscillations is sensitive to new forces

Neutrinos are Special! Neutrino physics great place to search for exotica! Window on the Dark Sector!

The v portal



- (Beyond) The vStandard Model
- Sectors and the theoretical terrain

#### **PORTALS TO NEW SECTORS**

V portal: sterile V's, V anomalies, V forces....

What is a portal ???

- in science fiction and virtual 'reality': a useful short cut to another sector.
- in particle theory???
- Better than a "window". You don't just see the indirect effects of the hidden sector, you can go there. (make new kinds of particles)
- Two useful ingredients of a portal
  - I. Dimensional analysis: possibility of a term in an effective theory which connects two sectors
  - 2. A long lived particle associated with the operator which can use the connection to oscillate or decay into the hidden sector

# Portal to hidden sector $\mathcal{O}_{\mathrm{hidden}}\mathcal{O}_{SM} \over M^d$



#### $d = \dim(\mathcal{O}_{SM}\mathcal{O}_{\text{hidden}}) - 4$

M = scale of "messenger physics"



$$\mathcal{V} \text{ mixing, } \mathcal{V} \text{ force}$$
  
 $\mathcal{L} \supset -m_{ij} \frac{H^2}{v^2} \ell_i \ell_j - MN_1 N_2 - \lambda_i N_1 H \ell_i - y_1 \phi^* N_1 \chi - y_2 \phi N_2 \chi$ 

- first term gives tiny Majorana  $\nu$  masses
- last four terms conserve lepton number
- mass matrix from first three terms:

$$\left(\begin{array}{cccc}
m_{ij} & \lambda_j v & 0 \\
\lambda_i v & 0 & M \\
0 & M & 0
\end{array}\right)$$

- 3 very light Majorana v's, mass from first term
- 1 heavy (e.g. eV—TeV) Dirac  $\nu$ , mass  $\sqrt{M^2 + \sum_i \lambda_i^2 v^2}$
- $4x4 \nu$  mixing matrix

$$\nu_i = U_{ij}\hat{\nu}_j,$$





#### $\nu$ force

- N's could carry new gauge charges (broken by  $\phi$ )
- $\phi$  scalar is a new force
- light  $\nu$  are part N, experience new forces
- anomalous MSW matter effects: N has no weak neutral current

What good is v portal ???

- Dark Energy
- Dark Matter (will discuss v connection)

# Summary and Outlook

- $\nu$  mass
  - tiny, inferred via flavor oscillations
  - is physics beyond the standard model, probably involving a new fermion with no standard gauge interactions
- Beyond the "standard" neutrino model
  - Does  $\nu$  interact with Dark Matter? (stay tuned)
  - Non standard *v* interactions via *v* portal (mixing with nonstandard fermion)
  - Are (fractions of) the  $\nu$  part of a dark sector?