## Two Tales of Baryogenesis

Hitoshi Murayama（Berkeley，Kavli IPMU） UC Davis Joint Theory Seminar，Jan 27， 2020


Director of the Institute for the Physics
and Mathematics of the Universe

## A lot of responsibility!



Director of the Universe

# Not high enough authority 

Voice of God


Director of the Universe


Oct 15, 2018
Kavli IPMU became officially a permanent institute on April 1, 2018

## PASSING THE TORCH



Oct 15, 2018


## Need a broad program



Dark Energy acgelerator v


## Five evidences

## for physics beyond SM

- Since 1998 , it became clear that there are at least five missing pieces in the SM
- non-baryonic dark matter
- neutrino mass
- dark energy
- apparently acausal density fluctuations
- baryon asymmetry

We don't really know their energy scales...

## deuterium

Kirkman, Tytler, Suzuki, O'Meara, Lubin

- the same chemically
- energy levels
$E_{n}=-\alpha^{2} \mu c^{2} / 2$
- reduced mass differs by ~ I/4000 between H \& D


baryon density parameter $\Omega_{\mathrm{B}} h^{2}$



## Beginning of Universe

I,000,000,00I
matter


## fraction of second later


turned a billionth of anti-matter to matter

## Universe Now

$$
\begin{gathered}
2 \\
\text { us }
\end{gathered}
$$

## matter <br> anti-matter

we were saved from the complete annihilation!


## too many theories for a single number



## Two tales

- Testing Leptogenesis with gravitational waves
- +Jeff Dror (Berkeley), Takashi Hiramatsu (ICRR), Kazunori Kohri (KEK), Graham White (TRIUMF)
- arXiv:1908.03227 accepted for PRL, Editors' Suggestion
- Asymmetric Matters from a dark first-order phase transition
- +Eleanor Hall (Berkeley), Thomas Konstandin (DESY), Robert McGehee (Berkeley)
- arXiv:1911.12342


## Testing seesaw and leptogenesis by gravitational wave

Hitoshi Murayama（Berkeley，Kavli IPMU） ＋Jeff Dror（Berkeley），Takashi Hiramatsu（ICRR）， Kazunori Kohri（KEK），Graham White（TRIUMF） arXiv：1908．03227，accepted for PRL


## Atmospheric Neutrinos



Zenith angle dependence

## neutrinos

 morph1998
a half of expected

UUp/Down syst. error for $\mu$-like
Prediction ( flux calculation $\ldots \ldots \lesssim 1 \%$.... 1 km rock above $5 k \ldots 1.5 \%$....8\%
Data $\binom{$ Energy calib. for $\uparrow \downarrow \cdots 0.7 \%}{$ Non $\nu$ Background $\cdots<2 \%} 2.1 \%$


## very light

$$
\begin{aligned}
& \text { neutrinos } \quad d \\
& u \vdash \square \quad c \bullet \\
& e \bullet \quad \mu \bullet \tau
\end{aligned}
$$



## Seesaw

$$
\mathcal{L}=-y L N H-\frac{1}{2} M N N
$$

- Seesaw mechanism explains
- small but finite neutrino masses $m_{v} \sim v^{2} / M$
- baryon asymmetry of the Universe through leptogenesis


$$
\Gamma\left(N_{1} \rightarrow \nu_{i} H\right)-\Gamma\left(N_{1} \rightarrow \bar{\nu}_{i} H^{*}\right) \propto \Im m\left(h_{1 j} h_{1 k} h_{l k}^{*} h_{l j}^{*}\right)
$$

- the dominant paradigm in neutrino physics
- probe to very high-energy scale
- notoriously difficult to test


## Sakharov Conditions

- all three ingredients satisfied
- Baryon number violation
- lepton number violation + Electroweak anomaly (sphaleron effect)
- CP violation
- Yukawa couplings yia $L_{i} N_{a} H+M_{a} N_{a} N_{a}$
- even two generations sufficient
- Non-equilibrium
- out-of-equilibrium decay of $N_{a}$ due to long lifetimes


## Leptogenesis



$$
\tilde{m}_{1}=\frac{\left(m_{D}^{\dagger} m_{D}\right)_{11}}{M_{1}}
$$

di Bari, Plümacher, Buchmüller


## how do we test it?

- possible three circumstantial evidences
- $0 v \beta \beta$
- CP violation in neutrino oscillation
- other impacts e.g. LFV (requires new particles/interactions $<100 \mathrm{TeV}$ )
- archeology
- any more circumstantial evidences?

$M_{P I}$
Natural to think M is induced from symmetry breaking

$$
\text { e.g. } \mathcal{L}=-y\langle\varphi\rangle N N
$$



## 1st order Phase Transition

Taiki Hasegawa, Nobuchika Okada, Osamu Seto, arXiv:1904.03020


## $\mathrm{U}(1)_{B-L}$

- Consider $\langle\phi\rangle \neq 0$
- $M_{R}$ from $<\phi>V_{R} v_{R}$ or $\left\langle\phi^{2}\right\rangle V_{R} v_{R} / M_{P I}$
- U(1) breaking produces cosmic strings because $\Pi_{1}(U(1))=Z$
- nearly scale invariant spectrum
- simplification of the network produces gravitational waves
- stochastic gravitational wave background
https://www.ligo.org/science/Publication-S5S6CosmicStrings/index.php


## cosmic strings


$\mathrm{G} \mu \sim \mathrm{v}^{2} / \mathrm{MPI}^{2}$

## Kibble-Zurek mechanism

- far more defects in 2nd order
 phase transition than the original Kibble mechanism
- proximity to $T_{c}: \varepsilon=\left|T_{c}-T\right| / T_{c}$
- relaxation time: $\tau=\tau_{0} \varepsilon^{-\mu}$
- quenching rate: $\mathrm{T}_{\mathrm{Q}}=\left(t-t_{c}\right) / \varepsilon$
- available time for relaxation: $T(t)=\left|t-t_{c}\right|$
- $T_{0} \varepsilon\left(t_{t}\right)-\mu=\varepsilon\left(t_{t}\right) T_{Q}$
- $\varepsilon\left(\mathrm{t}_{\mathrm{t}}\right)=\left|\mathrm{T}_{\mathrm{Q}} / \mathrm{T}_{0}\right|^{-1 /(1+\mu)}$



## monopoles

- Kibble mechanism:

$$
\left.\frac{n_{P D}}{s}\right|_{T=T_{c}} \approx\left(\frac{T_{c}}{M_{p l}}\right)^{3}
$$

- Kibble-Zurek mechanism (mean field):

$$
\left.\frac{n_{P D}}{s}\right|_{T=T_{c}} \approx 0.1 \frac{T_{c}}{M_{p l}}
$$

overabundant if $\boldsymbol{T}_{c}>1 \mathbf{0}^{6} \mathbf{~ G e V}$

- Kibble-Zurek mechanism (quantum):

$$
\left.\frac{n_{P D}}{s}\right|_{T=T_{c}} \approx 0.006\left(\frac{30 T_{c}}{M_{p l}}\right)^{\frac{3 \nu}{1+\nu}}
$$

## Classification of gauge symmetries

- forbids $M V_{R} V_{R}$
- anomaly free with $Q d u L e+V_{R}$
- rank $\leq 5$

$$
\begin{aligned}
& \text { - no magnetic monopoles } \\
& G_{B-L}=G_{\mathrm{SM}} \times U(1)_{B-L}, \\
& Q\left(3,2, \frac{1}{6}, \frac{1}{3}\right), d^{c}\left(3^{*}, 1, \frac{2}{3},-\frac{1}{3}\right), u^{c}\left(3^{*}, 1,-\frac{1}{3},-\frac{1}{3}\right), L\left(1,2,-\frac{1}{2},-1\right), e^{c}(1,1,+1,+1), \nu_{R}^{c}(1,1,1,+1) \\
& \begin{aligned}
A_{B-L} & =G_{\mathrm{SM}} \times U(1)_{B-L}, \\
G_{L R} & =S U(3)_{C} \times S U(2)_{L} \times S U(2)_{R} \times U(1)_{B-L}, \\
& Q\left(3,2,1, \frac{1}{3}\right),\left(d^{c}+u^{c}\right)\left(3^{*}, 1,2,-\frac{1}{3}\right), L(1,2,1,-1),\left(e^{c}+\nu_{R}^{c}\right)(1,1,2,+1)
\end{aligned} \\
& G_{421}=S U(4)_{\mathrm{PS}} \times S U(2)_{L} \times U(1)_{Y}, \quad(Q+L)(4,2,0),\left(d^{c}+e^{c}\right)\left(4^{*}, 1, \frac{1}{2}\right),\left(u^{c}+\nu_{R}^{c}\right)\left(4^{*}, 1,-\frac{1}{2}\right) \\
& G_{\text {flip }}=S U(5) \times U(1) \text {. } \\
& \left(Q+d^{c}+\nu_{R}^{c}\right)(10,1),\left(L+u^{c}\right)\left(5^{*},-3\right), e^{c}(1,5)
\end{aligned}
$$

$Z_{2}$ matter parity: flips signs of all fermions $0=\pi_{2}(G) \rightarrow \pi_{2}(G / H) \rightarrow \pi_{1}(H) \rightarrow \pi_{1}(G) \rightarrow \pi_{1}(G / H) \rightarrow \pi_{0}(H) \rightarrow \pi_{0}(G)=0$

$$
\begin{array}{lllllllllll}
10^{-6} \\
10^{-7} \\
10^{-8} \\
10^{-9}
\end{array}
$$

J. Dror, T. Hiramatsu, K. Kohri, HM, G. White, arXiv:1908.03227 covers pretty much the entire range for leptogenesis! caveat: particle emission from cosmic strings

## SO(10)

- It is natural to embed $\mathrm{U}(1)_{\mathrm{B}-\mathrm{L}}$ etc into $\mathrm{SO}(10)$
- However, $\mathrm{SO}(10) \rightarrow \mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1)$ doesn't lead to cosmic strings because $\pi_{1}(\mathrm{SO}(10) / \mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1))=0$
- $\mathrm{SO}(10) \rightarrow \mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1) \times \mathrm{U}(1)_{B-L}$ produces monopoles
- SO(10) scale is presumably $V \sim 10^{16} \mathrm{GeV}>\mathrm{V}$
- need inflation below this scale
- $\mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1) \times \mathrm{U}(1) \mathrm{B-L} \rightarrow \mathrm{SU}(3) \times \mathrm{SU}(2) \times \mathrm{U}(1)$ produces strings
- strings can be cut by monopole-anti-monopole pairs through a tunneling process


## monopoles

- string from $U(1)_{B-L}$ breaking is basically Abrikosov flux in a superconductor
- For the Higgs $\phi( \pm Q)$
- magnetic flux $h /(g Q) \times$ integer $(Q=1,2, \ldots)$
- minimum monopole charge $h / g$
- If $Q=1$, monopole can saturate the flux and cut the string
- If $Q=2$, the minimum string cannot be cut by monopoles



## Schwinger

- Schwinger computed the production of $e^{+} e^{-}$pairs in a constant electric field in 3+1 dimension
- dualize it to magnetic field $\frac{\Gamma}{L}=\frac{e E}{4 \pi^{2}} \sum_{n=1}^{\infty} \frac{1}{n} e^{-\pi m^{2} n / e E}$
- cross section of the string $A \sim(g v)^{-2}$
- B A~2T/(g Q)
- length of the string $L \sim H^{-1}$
- strings get cut when $H \sim \Gamma / L \times L \sim \Gamma / L \times H^{-1}$
- string network persists until $H^{2} \sim(\Gamma / L) \sim(g v)^{2} \exp \left(-\pi m^{2} / g B\right)$
- monopole mass $m \sim V / g$
- survives to date if $v<10^{15} \mathrm{GeV}$


## Hybrid inflation

- $\mathrm{U}(1)_{B-L}$ broken after inflation
$W=\lambda X\left(S^{+} S^{-}-v^{2}\right)$
$V=\lambda^{2}\left|S^{+} S^{-}-v^{2}\right|^{2}+\lambda^{2}|X|^{2}\left(\left|S^{+}\right|^{2}+\left|S^{-}\right|^{2}\right)+\frac{e^{2}}{2}\left(\left|S^{+}\right|^{2}-\left|S^{-}\right|^{2}\right)^{2}$
- D-flat direction $S=S^{+}=S^{-}$
$V=\lambda^{2}\left|S^{2}-v^{2}\right|^{2}+2 \lambda^{2}|X|^{2}|S|^{2}$
- flat: $S=0, V=\lambda^{2} v^{2}$
- falls down to $S=v$ near $X \sim 0$
- forms cosmic strings
- requires high $v \geq a$ few $10^{15} \mathrm{GeV}$



## hybrid inflation



## Conclusions

- stochastic gravitational waves as another possible circumstantial evidence for seesaw+leptogenesis
- for rank $\leq 5$ gauge groups, more than a half of them produce cosmic strings
- future missions promising to cover most range of seesaw scales
- if we do detect scale-invariant gravitational waves, helps establish not only seesaw but also the breaking pattern
- if strings appear to break, evidence for grand unification!
- any experimental technique to probe gravitational waves of much higher frequencies?


## Asymmetric Matters

## from a dark first－order

## phase transition

Hitoshi Murayama（Berkeley，Kavli IPMU） ＋Nell Hall（Berkeley），Thomas Konstandin （DESY），Robert McGehee（Berkeley） arXiv：1911．12342


## Sakharov Conditions

- Standard Model may have all three ingredients
- Baryon number violation
- Electroweak anomaly (sphaleron effect)
- CP violation
- Kobayashi-Maskawa phase

$$
\underset{\mathrm{um}}{J} \propto \operatorname{det}\left[M_{u}^{\dagger} M_{u}, M_{d}^{\dagger} M_{d}\right] / T_{E W} 12 \sim 10^{-20} \ll \mid 0^{-10}
$$

- Non-equilibrium
- First-order phase transition of Higgs
- Experimentally testable?


## Phase diagram for the Standard Model:




## <H>=0 from gauge invariance (Elitzur) $<\mathrm{HtH}>$ is not an order parameter

## for $m_{h}=125 \mathrm{GeV}$, it is crossover

No phase transition in the Minimal Standard Model

## Scenario

## Cohen, Kaplan, Nelson

- First-order phase transition
- Different reflection probabilities for $t_{L}, t_{R}$
- asymmetry in top quark
- Left-handed top quark asymmetry partially converted to lepton asymmetry via anomaly
- Remaining top quark asymmetry becomes baryon asymmetry
- need varying CP phase inside the bubble wall (G. Servant)
- fixed KM phase doesn't help
- need CPV in Higgs sector



## Electric Dipole Moment

## ARTICLE

- baryon asymmetry limited by the sphaleron rate

$$
\Gamma \sim 20 \alpha w^{5} T \sim 10^{-6} T
$$

Improved limit on the electric dipole moment of the electron

ACME Collaboration*

$$
d_{\mathrm{e}} \leq 1.1 \times 10^{-29} \mathrm{e} \mathrm{~cm}
$$

- Can't lose much more to obtain 10-9
- need
- new physics for 1st order PT at the Higgs scale v=250 GeV
- CP violationxefficiency $\geq 10^{-3}$

$$
d_{e} \approx \frac{e m_{e}}{\left(16 \pi^{2}\right)^{2}} \frac{1}{v^{2}} \sin \delta=1.6 \times 10^{-22} e \mathrm{~cm} \sin \delta
$$

dark sector $N_{\text {gen }}=1$

SM
$N_{\text {gen }}=3$

2 Higgs doublets with CPV
1st order PT
heavy leptons play role of top quark
light $\boldsymbol{u}, \mathbf{d}$


$$
n, p, \pi^{-} \quad \pi^{0} \quad \gamma^{\prime}-v \text { mixing } e^{+} e^{-}
$$



If $\boldsymbol{M}_{\boldsymbol{N}}>\boldsymbol{T}_{\text {sphaleron }} B_{\mathrm{SM}}=\frac{36}{133} B_{\text {dark }}, \quad L_{\mathrm{S}}$
If $\boldsymbol{M}_{\boldsymbol{N}}<\boldsymbol{T}_{\text {sphaleron }} \quad B_{\mathrm{SM}}=\frac{12}{37} B_{\text {dark }}, \quad L_{\mathrm{S}}$

## $n-n$ scattering

- $n-n$ scattering has an anomalously large cross section $a=18.9 \mathrm{fm}$
- If so, it violates astrophysical bounds on self-interaction
- a fine cancellation between the bare and one-loop couplings in the pion-less EFT
- According to lattice simulations (HAL QCD), the cross section is more or less of the geometric size

v/c


## baryon spectrum

- $m_{u}$ and $m_{d}$ free parameters
- If $m_{d}<m_{u} \ll \Lambda_{\mathrm{QCD}}, n^{\prime}$ dominates
- If $m_{u} \ll m_{d} \ll \Lambda_{Q C D}, p^{\prime}$ dominates, together with $\pi^{\prime}$ - for charge neutrality
- possibly a resonant interaction $\pi^{\prime-} p^{\prime} \rightarrow \Delta^{0} \rightarrow \pi^{\prime-} p^{\prime}$
- may solve core/cusp problem


Robert McGehee, HM, Yu-Dai Tsai, in prep


Xiaoyong Chu, Camilo Carcia-Cely, HM, Phys.Rev.Lett. 122 (2019) no.7, 071103

## some history

- asymmetric dark matter
- S. Nussinov, PLB 165, 55 (1985) "technocosmology"
- R. Kitano, HM, M. Ratz, arXiv:0807.4313, moduli decay
- D.E. Kaplan, M. Luty, K. Zurek, arXiv:0901.4117
- darkogenesis (= "EW baryogenesis" in the dark sector)
- J. Shelton, K. Zurek, arXiv:1008.1997


## neutrino portal

$$
\begin{gathered}
\mathcal{L}=y^{\prime} \bar{L}^{\prime} H \nu_{R}+y_{i} \bar{L}_{i} H \nu_{R} \\
\epsilon_{i}=\frac{y_{i}}{\sqrt{\left(y^{\prime}\right)^{2}+\left(y_{i}\right)^{2}}}
\end{gathered}
$$

$$
M_{\nu}=\sqrt{\left(y^{\prime}\right)^{2}+\left(y_{i}\right)^{2}} v
$$

- charged current universality: $\varepsilon \ell^{2}<10^{-3}$
- $\mu \rightarrow e \gamma$ constraint: $\varepsilon_{e} \varepsilon_{\mu}<4 \times 10^{-5}\left(G_{F} M_{v}\right)$
- $\tau \rightarrow \mu \gamma$ constraint: $\varepsilon_{e} \varepsilon_{\mu}<0.03$ (GF $M_{v}$ )
- If $M_{v}<70 \mathrm{GeV}, \varepsilon^{2}<10^{-5}$ (DELPHI: $Z \rightarrow v \mathrm{~V}_{\mathrm{R}}, \mathrm{v}_{\mathrm{R}} \rightarrow$ lff)
- equilibration of asymmetries requires only $\varepsilon_{i}>10^{-16}$ or so
- (orders of magnitude estimates so far)


Dark Neutron Dark Matter

## Dark Proton \& Pion Dark Matter




## exotic signal

- SU(2)' instanton generates $u^{\prime} d^{\prime} d^{\prime \prime} v^{\prime} e^{-8 \pi 2 / g 2 / v^{2}}$
- dark neutron mixes to dark neutrino to neutrino portal to SM neutrino, decays into SM $\boldsymbol{\ell}+($ qqbar or $\boldsymbol{\ell} \boldsymbol{v})$
- indirect detection of gamma's from galactic halos $\tau>10^{25} \mathrm{sec}$
- can happen if $a^{\prime} w>0.3$


Essig, Kuflik, McDermott, Volansky, Zurek aarXiv:1309.4091

- not possible when $N_{\text {gen }}>1$


## Conclusions

- Electroweak baryogenesis too testable, dead?
- do it in the dark sector
- dark $\operatorname{SU}(3) \times S U(2) \times U(1)$, one generation
- two Higgs doublet CPV, 1st order phase transition
- neutrino portal to transfer asymmetry to SM baryons
- dark neutron 1.33 or 1.58 GeV , or multi-component $p+\pi^{-}$
- amazingly wide array of experimental signatures
- dark proton good target for direct detection
- exotic Z-decay, h-decay (ILC, CEPC, FCC-ee)
- dark photon search at Belle II, LHC-b, beam dump
- gravitational wave at LIGO, LISA, Einstein Telescope, etc
- potential instanton-induced dark neutron decay in halos
- explain coincidence $\Omega_{\mathrm{Dm}} \sim \Omega_{b}$ if $N_{\mathrm{gen}}=3$ and unification


## Five evidences

## for physics beyond SM

- Since I998, it became clear that there are at least five missing pieces in the SM
- non-baryonic dark matter
- neutrino mass
- dark energy
- apparently acausal density fluctuations
- baryon asymmetry

We don't really know their energy scales...

experiments


## healthy field!

Stifumany things to look forwardsto!

## DDO 154 dwarf galaxy



can be explained if dark matter scatters against itself Need $\sigma / m \sim 1 \mathrm{~b} / \mathrm{GeV}$
only astrophysical information beyond gravity

## Diversity in stellar distribution

Similar outer circular velocity and stellar mass, but different stellar distribution

- compact $\rightarrow$ redistribute SIDM significantly


Ayuki Kamada

- extended $\rightarrow$ unchange SIDM distribution



## self interaction



- $\sigma / m \sim \mathrm{~cm}^{2} / \mathrm{g}$ $\sim 10^{-24} \mathrm{~cm}^{2} / 300 \mathrm{MeV}$
- flattens the cusps in NFW profile
- suppresses substructur
- actually desirable for dwarf galaxies?


## SIDM

Spergel \& Steinhardt (2000)
now complete theory


## Resonant scattering




Xiaoyong Chu, Camilo Garcia-Cely, HM, Phys.Rev.Lett. 122 (2019) no.7, 071103

## Unified description of SIDM

- Hans Bethe: effective range theory


Xiaoyong Chu, Camilo Garcia-Cely, HM, arXiv:1908.06067

