

Same Sign Dilepton Search: A Model Independent Interpretation

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How does a theorist rule out a model?

1. Ask experimentalist friends to redo their analysis for the model and tell the answer.

No work! Easy, more accurate, full simulation.

Issue: Have to depend on someone else who is really busy.

2. Run a detector simulation, like PGS

- Get the cuts the experimentalists use

- Apply the cuts to model

- Compare expectations to observed number of events (get number of background events from paper)

Don't have to rely on someone else.

Issue: PGS has not been validated by ATLAS or CMS

Thanks to Jay Wacker and his group
for sharing their samples with us.

How does a theorist rule out a model?

3. Emulation: Prescribed by the CMS collaboration.

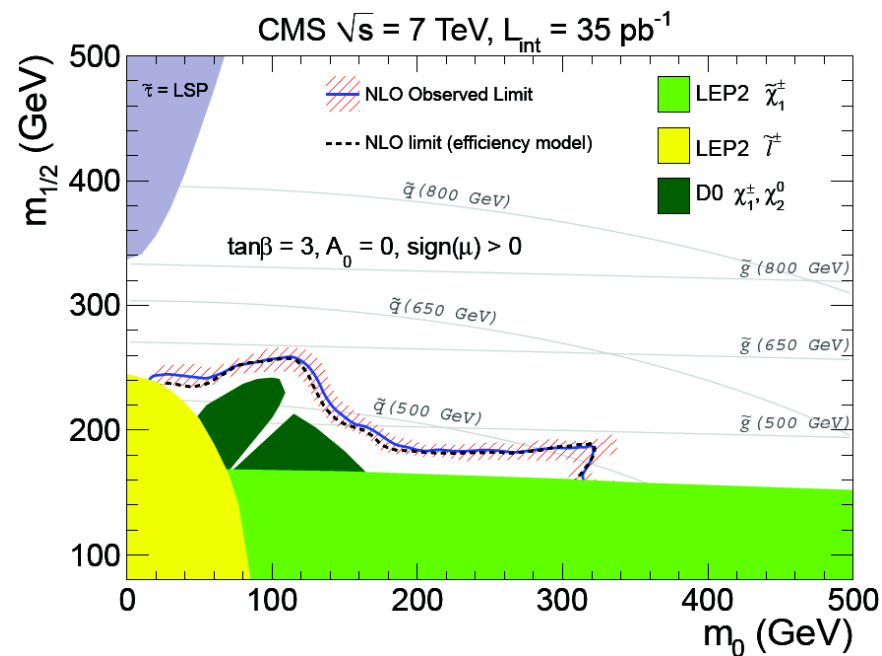
-Theorist only needs to compute σ .BR

-Impose cuts at parton level

-Don't have to worry about Hadronization, Fragmentation or Underlying Event

Issue: Only given for same sign dilepton channel.

Must be supplied for each signature \rightarrow must depend on someone else



Method 2: Using Detector simulation

We divide this in 2 steps.

1. Step 1 (Model Independent part)

- Choose the search channel (the signal we are looking for).

In our case: same sign dilepton search.

- Identify the relevant production channel to produce the signature

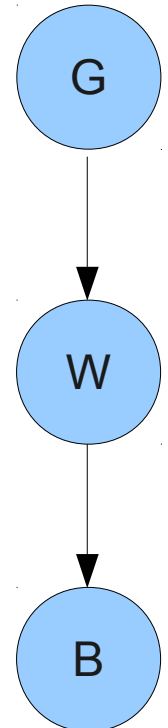
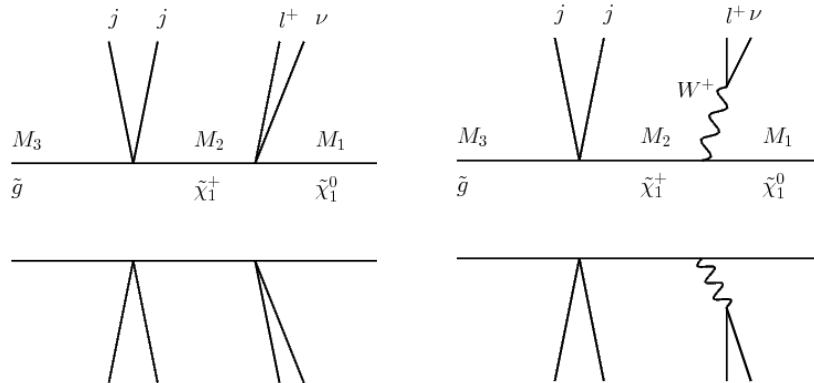
In our case:

Parameters (M_1 , M_2 and M_3)

$$pp \rightarrow \tilde{g}\tilde{g}$$

$$\tilde{g} \rightarrow \tilde{\chi}_1^+ 2j$$

$$\tilde{\chi}_1^+ \rightarrow \tilde{\chi}_1^0 l\nu$$



- Conservative bound, there usually are
 - extra production subprocesses and
 - extra decay channels for gluino decays,
 both of which increase the signal.

Cuts

- Get cuts and the number of background events passing the cuts for the search channel from the experimental paper ([CMS PAPER SUS-10-004](#)).

In our case:

Minimum number of jets: 2

P_{\top} cut for electrons: 10 GeV, muons: 5 GeV, jets: 30 GeV

H_{\top} (=sum of all jet P_{\top}) cut: 300 GeV

MET cut: 30 GeV

N_{bkg} (for 34.7 pb^{-1} luminosity) = 0.4096 (scale to luminosity)

* Cuts change \rightarrow pile up, reoptimization

Parameter Space

- Run detector simulation in the chosen parameter space.

In our case:

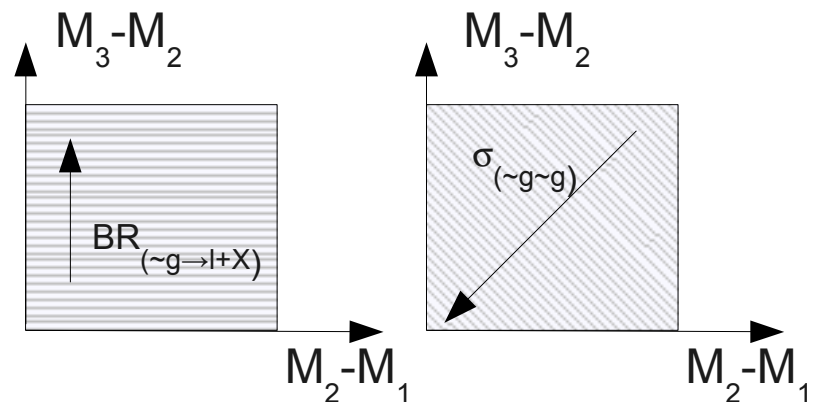
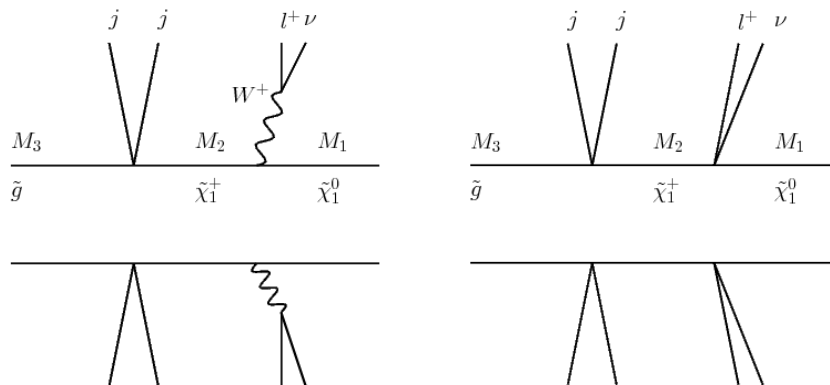
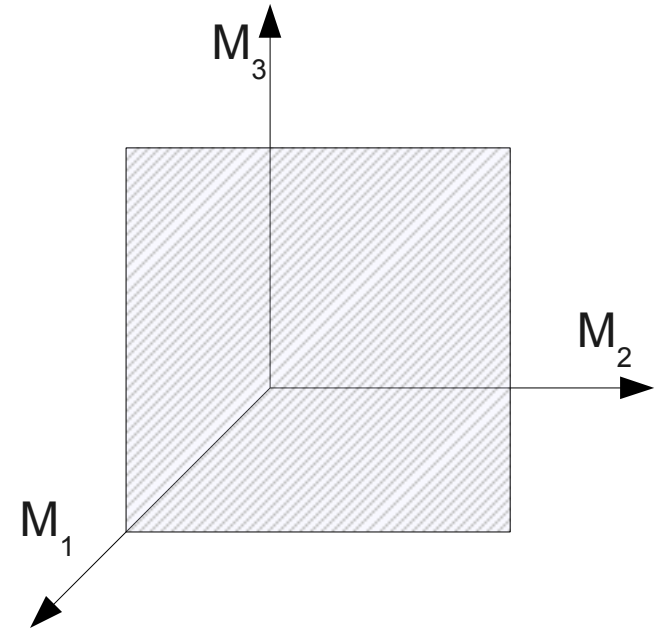
we fix $M_1 = 10$ GeV

and vary M_2 and M_3

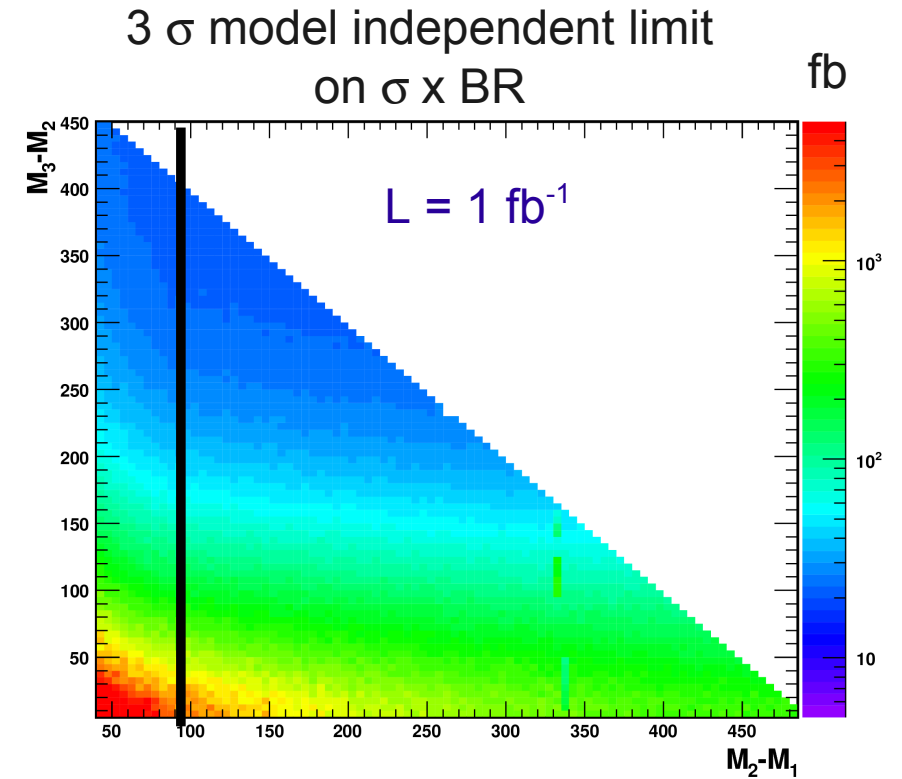
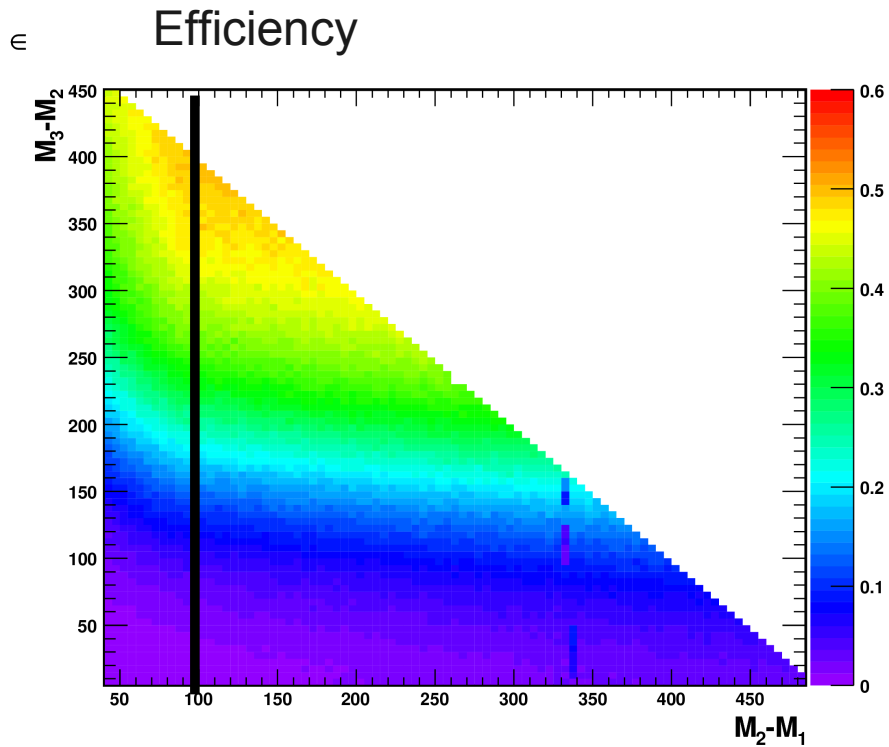
- Calculate efficiency $(\epsilon) = N_{\text{cut}} / N_{\text{tot}}$
- Plot the limit on the cross-section using the formula:

$$(\sigma \cdot BR)_{\text{max}}(M_i) = \frac{S \sqrt{N_{\text{bkg}}}}{L \cdot \epsilon(M_i)}$$

Where, 'S' is the significance and L is the luminosity



Model independent limit



$$(\sigma \cdot BR)_{max}(M_i) = \frac{S \sqrt{N_{bkg}}}{L \cdot \epsilon(M_i)}$$

Here,

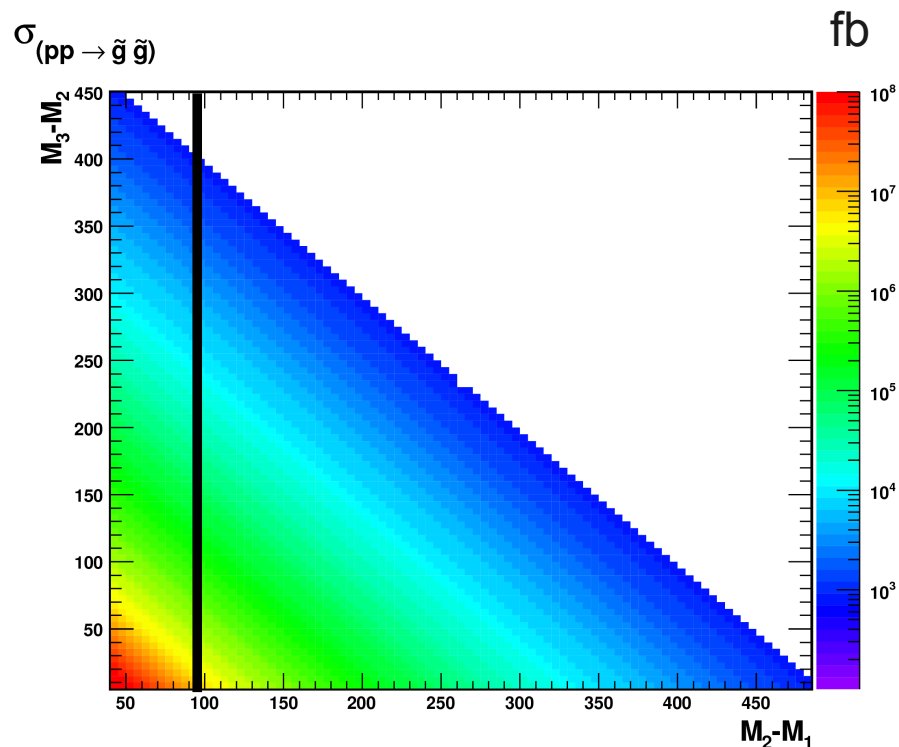
$S = 3$ (for 3 σ)

$N_{bkg} = 11.8$ (rescaling the $N_{bkg} = 0.4096$ given for 34.7 pb^{-1})

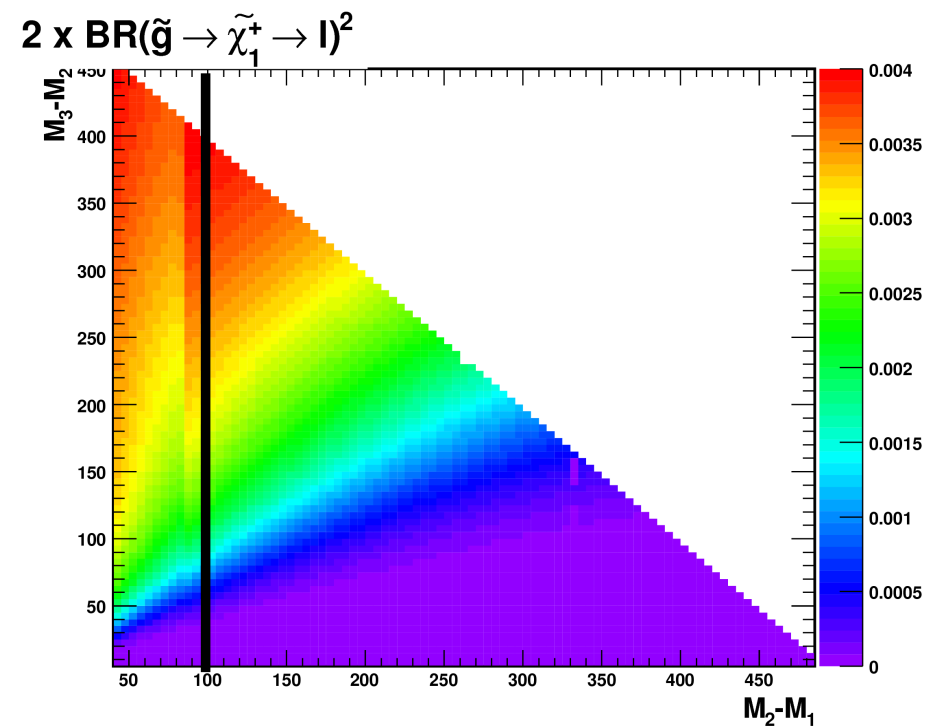
$L = 1 \text{ fb}^{-1}$

Step 2: Model Dependent part

- For each of the points in the parameter space for the specific production channel for the model calculate the cross-section (σ) and the branching ratios (BR)



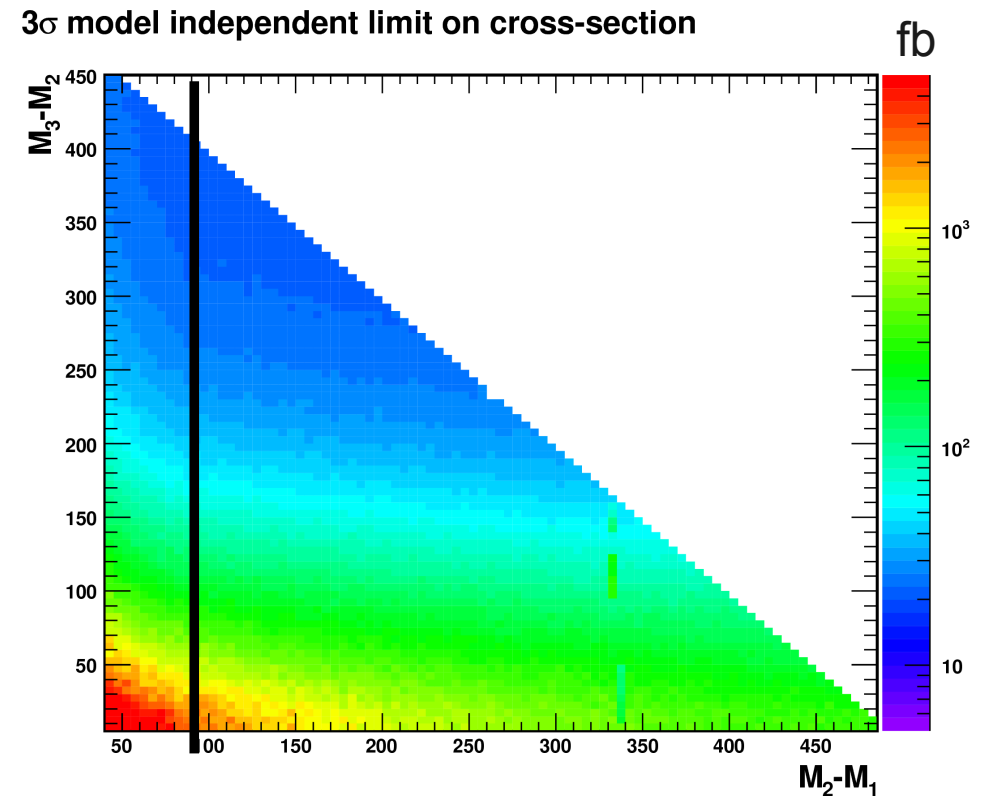
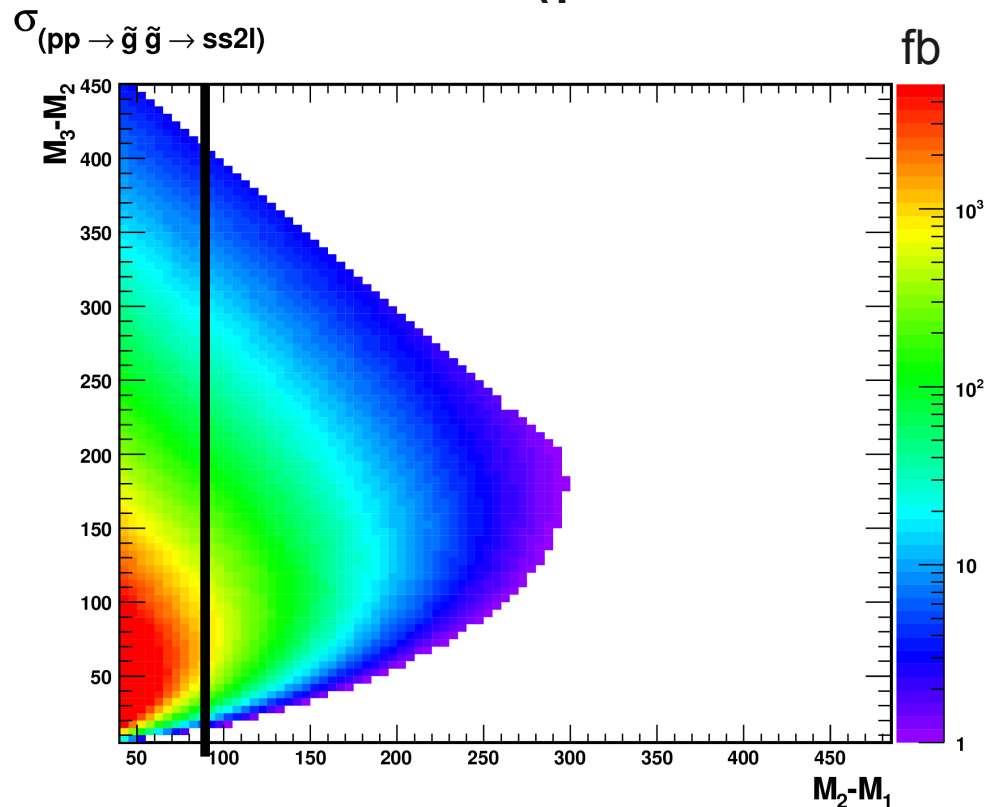
σ = gluino production cross-section



$\text{BR} = 2 \times [\text{br}(\tilde{g} \rightarrow \tilde{\chi}_1^+ (+2j) \rightarrow \tilde{\chi}_1^0 + l)]^2$

Model dependent cross-section

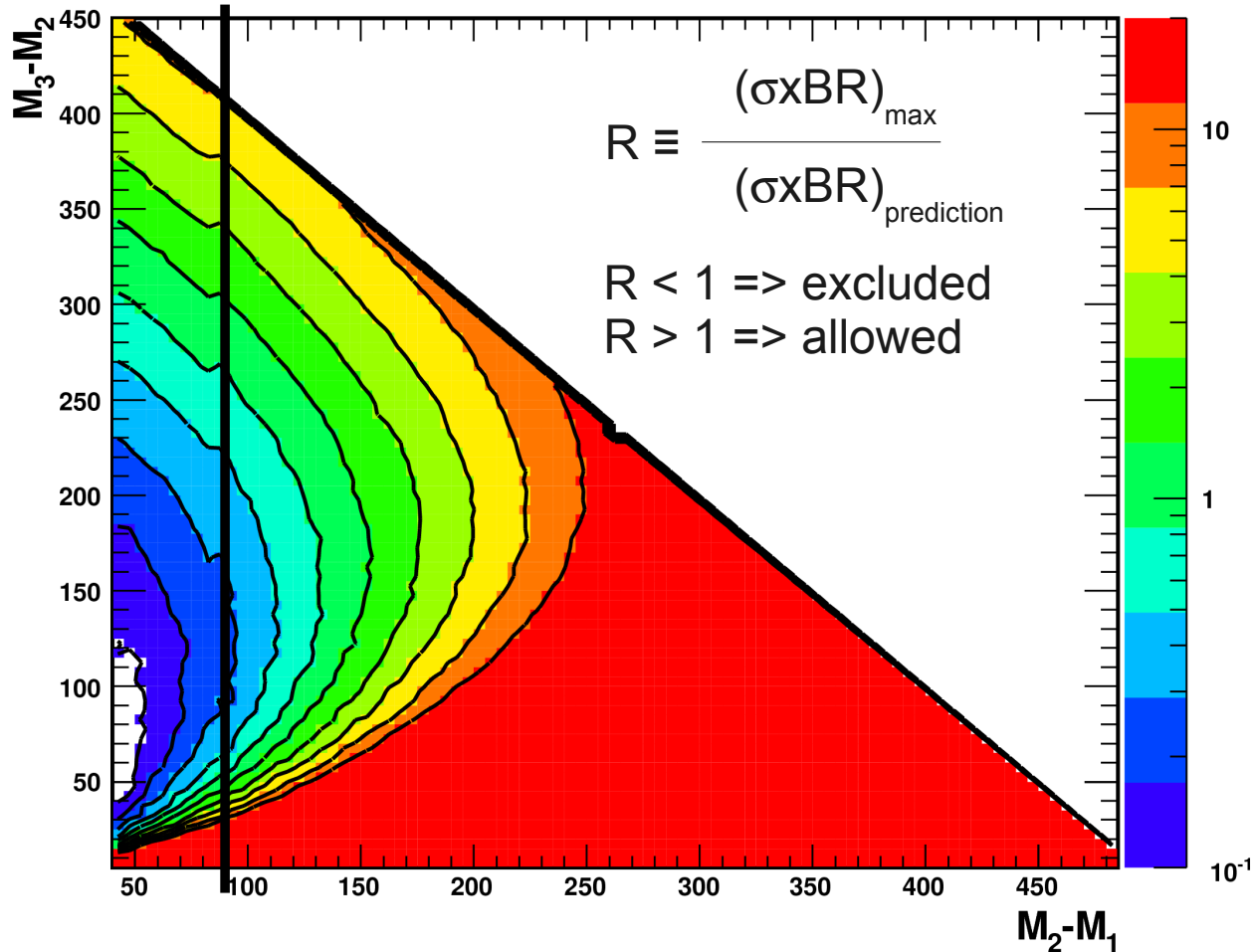
- Compute $\sigma \times \text{BR}$ for any point in the parameter space
- and compare it to the plot for limit on the cross-section (plot on the last slide).



Final cross-section contours

3σ limit/signal cross-section

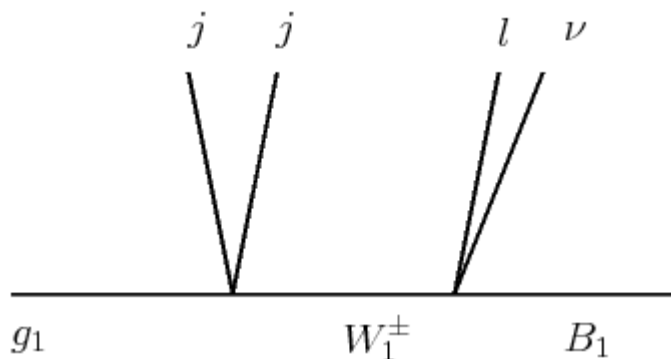
fb



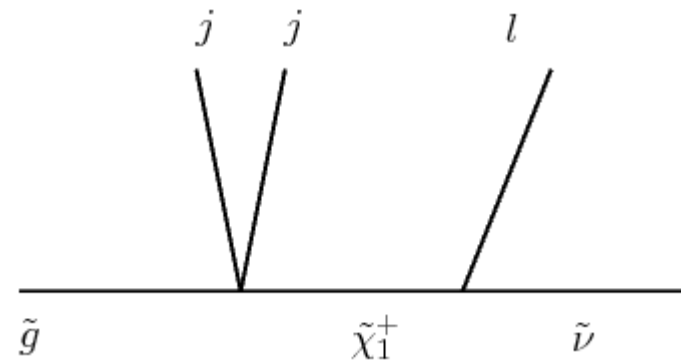
- More data $\sim 1/\sqrt{L}$
- By scaling up the gluino-gluino production cross-section $\sim 1/\sigma$
- By taking into account other decay channels

Conclusion and Outlook

- **Results:**
 - Step I: Model independent limit on σ_{XBR} on any model from the ss2l analysis in the M_1 , M_2 and M_3 parameter space
 - Step II: Pick a model and calculate σ_{XBR} , then compare with limit on parameter space.
- Will do the same analysis with emulation.
- For other topologies, they need to be kinematically compatible for us to be able to use the same model independent limit.



Kinematically compatible topology (UED)



Kinematically incompatible topology¹¹