

Quasiparticles in 2D with both massive and massless character

Warren E. Pickett (Davis)

collaborators

Victor Pardo (Santiago, Spain)

Rajiv Singh (Davis)

Swapno Banerjee (Davis)

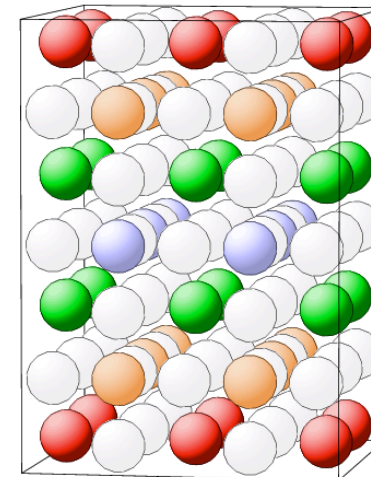
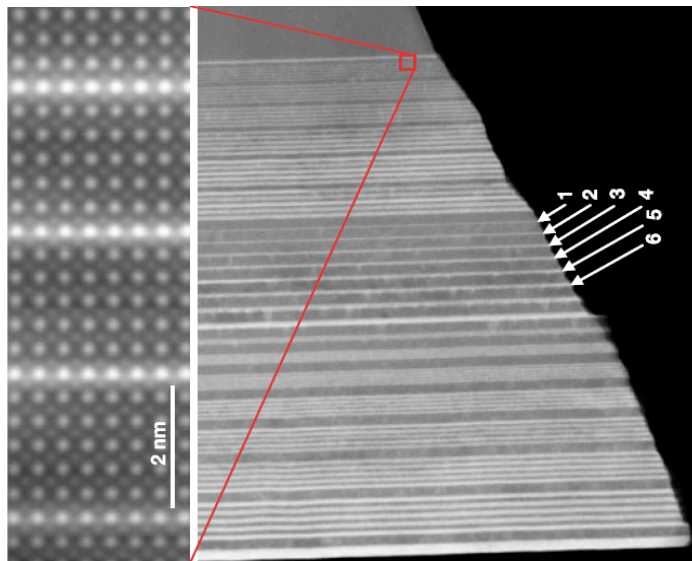
Emphases:

- Polar nature of oxides
- A new electronic state

Acknowledgment: Rossitza Pentcheva, Katrin Otte (Munich)

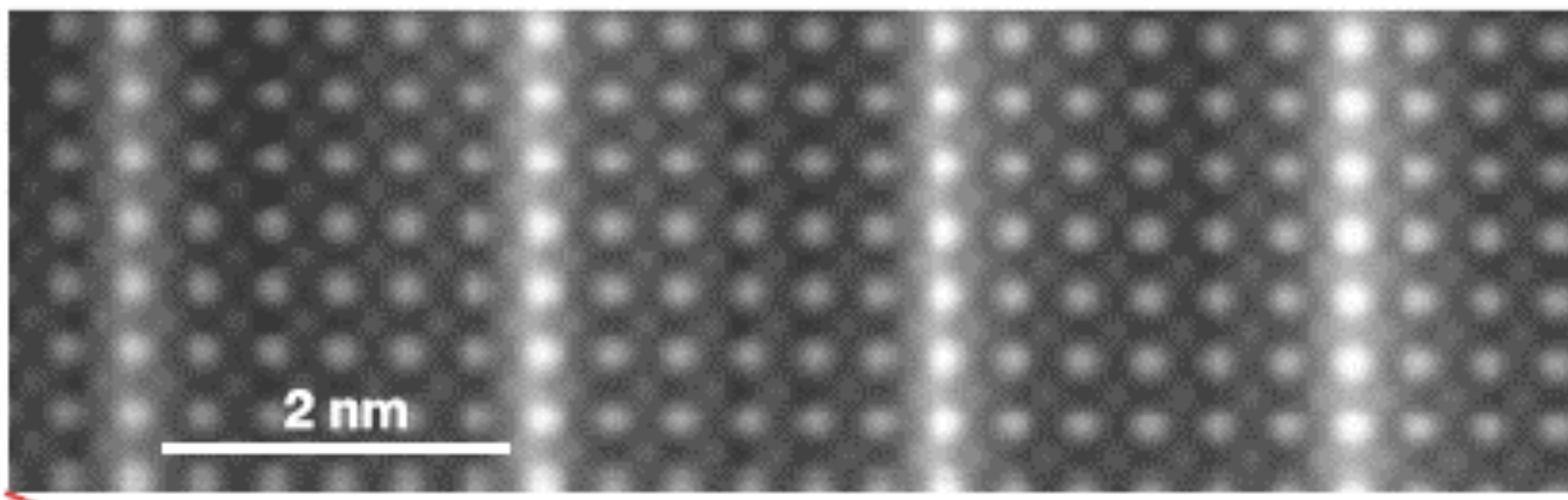
LaTiO₃/SrTiO₃ and LaAlO₃/SrTiO₃ heterostructures:
why are these systems so exciting?

It is due to their **polar** nature (ionicity),
which can be manipulated (within limits)
and “**digital**” nature (atomically layering).



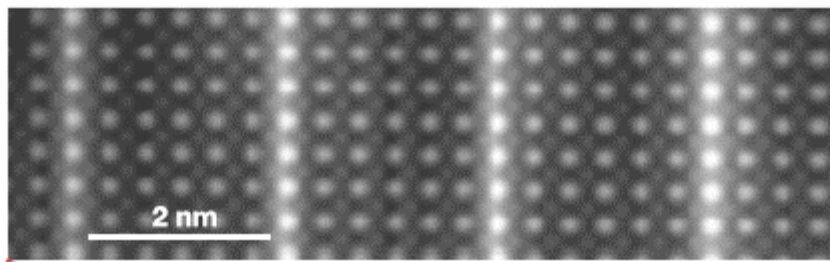
Ohtomo et al., Nature 419, 378 2002

1LTO/5 STO superlattice



Ohtomo et al., Nature 419, 378 2002

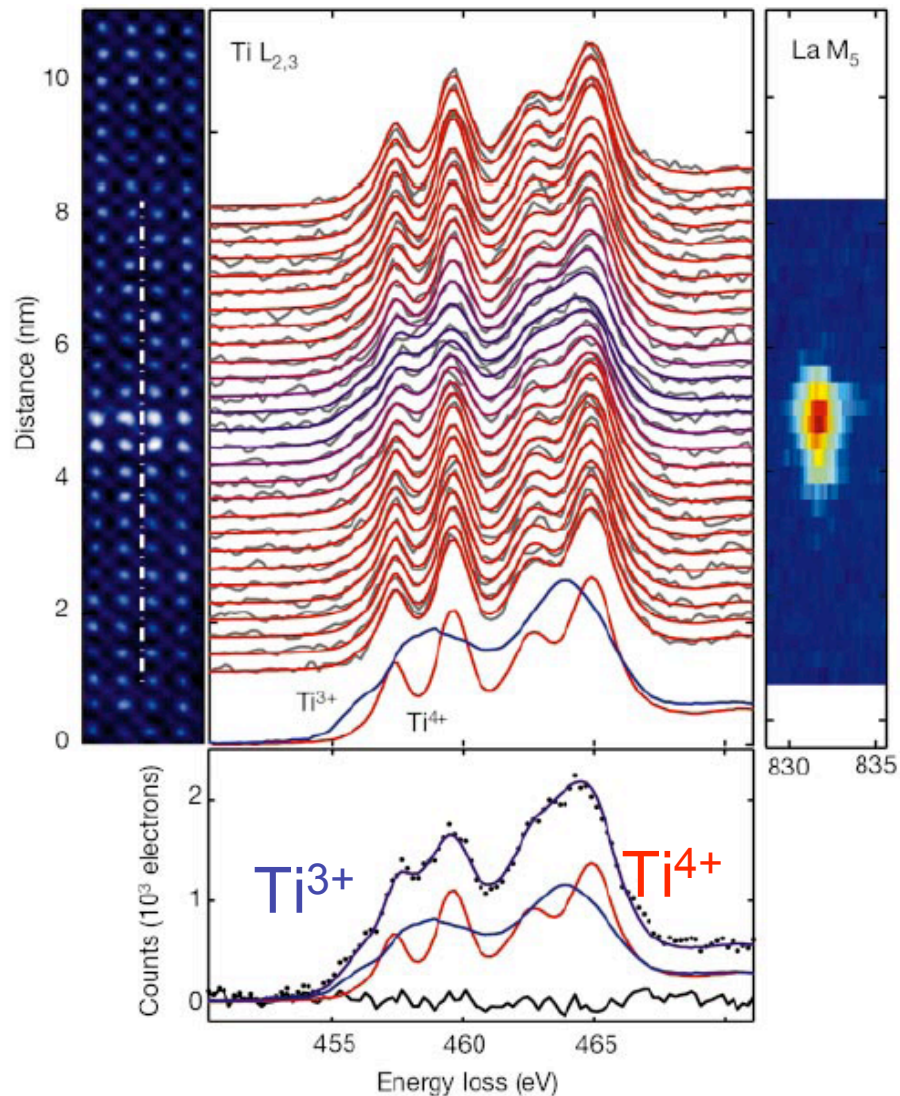
1LTO/5 STO superlattice

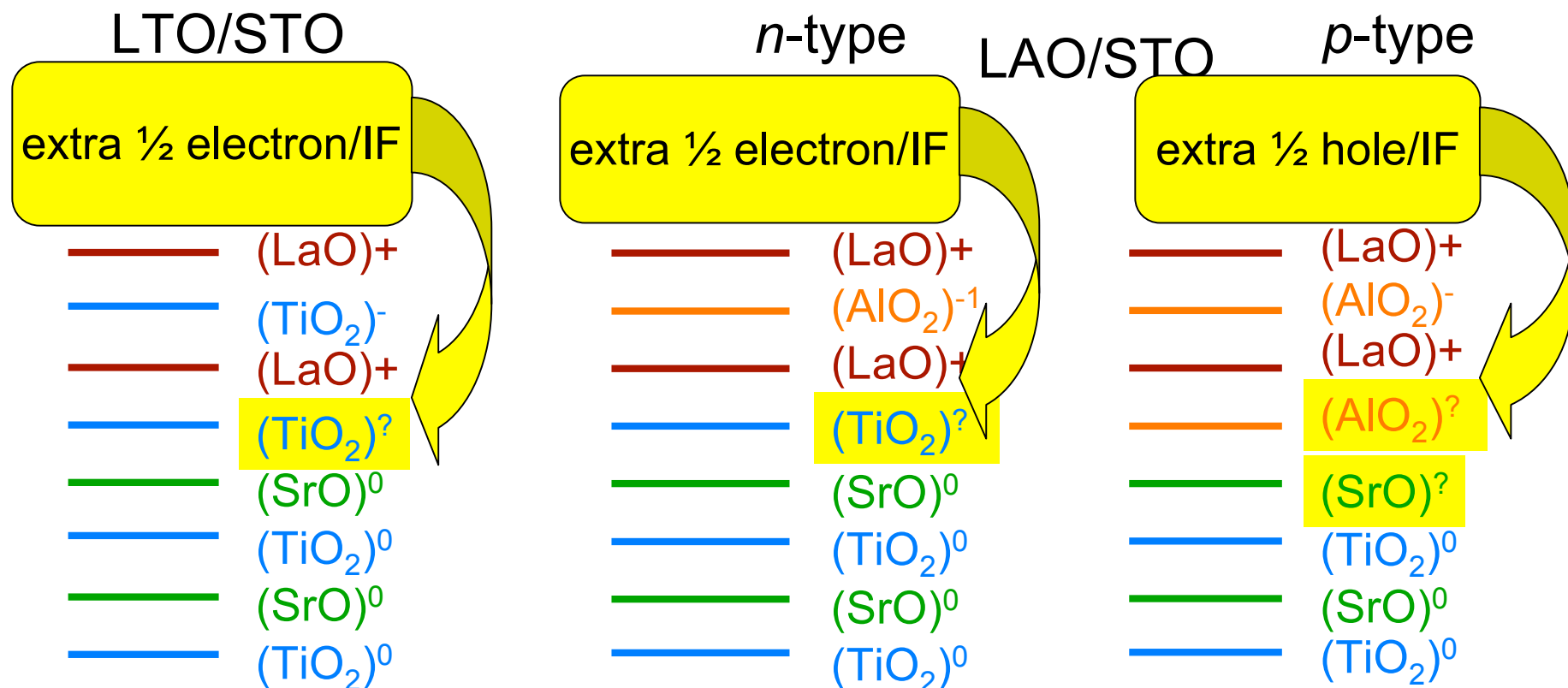


Ohtomo et al., Nature 419, 378 2002

@interface

- metallic behavior
- Ti mixed valence: 3+ and 4+.
Specific charge states.
- length scale of charge screening: 5 STO layers

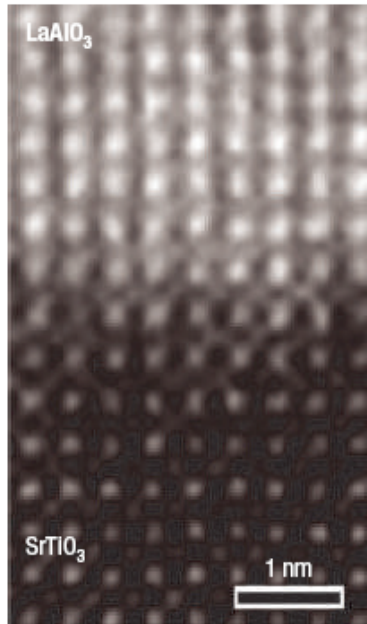




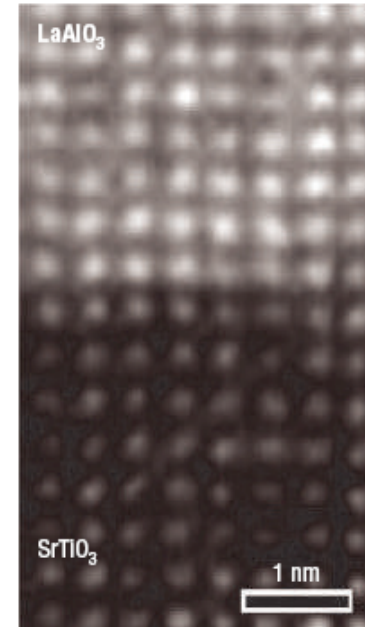
How is the charge mismatch accommodated @interface:

- insulating or conducting interface?
- novel magnetic/ charge (CO)/orbital ordering (OO)?
- can O2p states be correlated/magnetic?

n-type IF: $(\text{LaO})^+ / (\text{TiO}_2)^0$



p-type IF: $(\text{AlO}_2)^- / (\text{SrO})^0$



- conducting $\sigma = 1.4 \times 10^{-4} \Omega^{-1}$;
- high electron mobility $10^4\text{-}10^5 \text{ cm}^2/\text{Vs}$ [1,4],
- high carrier densities $10^{17}/\text{cm}^2$ - quasi 2DEG [1]

- insulating, $\sigma = 10^{-7} \Omega^{-1}$
- structurally ideal IF[1]/defects [2]

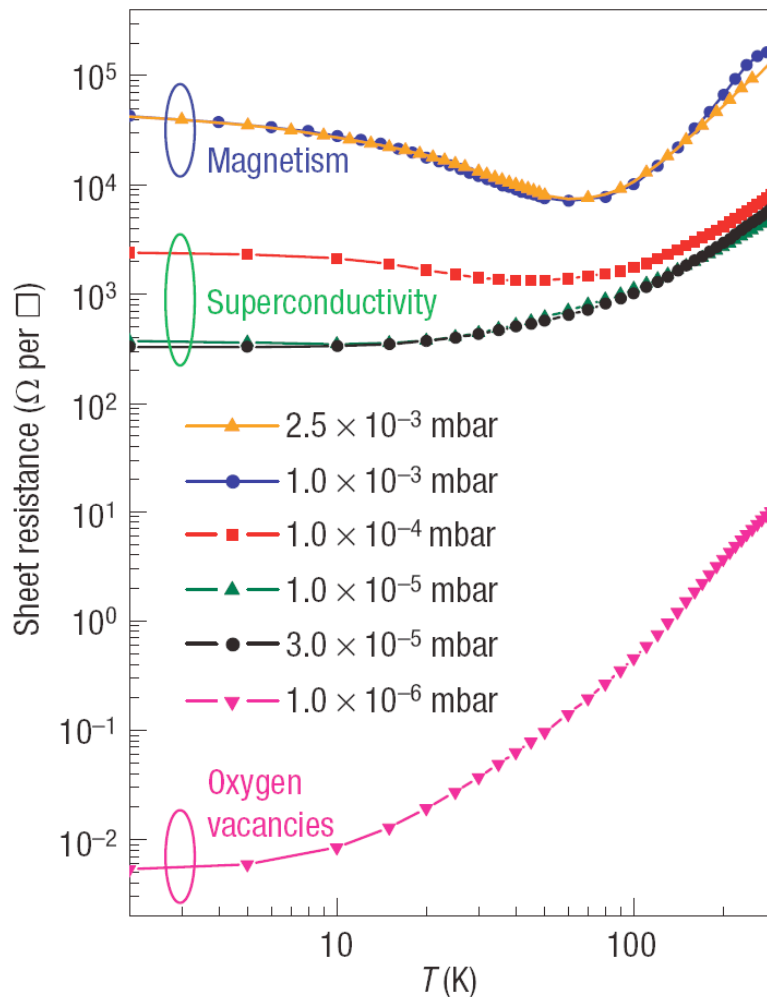
[1] Ohtomo and Hwang, Nature 427, 423 (2004)

[2] Nakagawa, Hwang&Muller, Nat. Mat. (2006)

[3] Huijben et al., Nat. Mat. (2006).

[4] S. Thiel et al., Science 313 (2006).

The *n*-type LAO/STO IF: oxygen pressure



- magnetism
(Brinkman et al, Nat. Mat. 2007)

- superconductivity
(Reyren et al, Science 2008)

- conductivity
(Ohtomo&Hwang, Nature 2004)

Role of p_{O_2} :

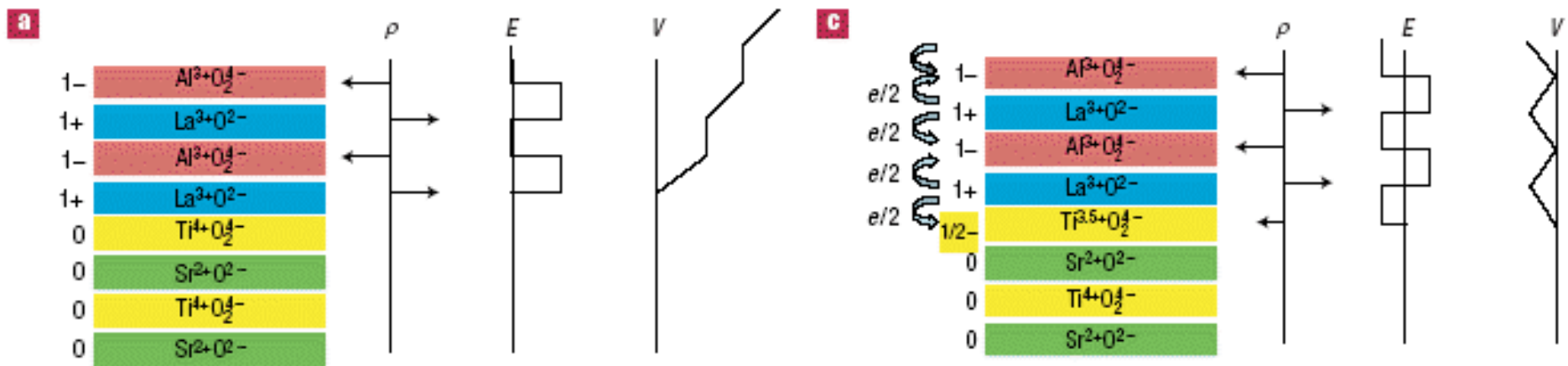
(Nakagawa, Hwang&Muller, Nat. Mat. (2006),
Herranz et al., PRL 2007,
Siemons et al., PRL 2007,
Kalabukhov, PRB R, 2007)

(Rijnders&Blank, Nat. Mat. 2008)

- Perovskite superlattices
 - $\text{LaAlO}_3/\text{SrTiO}_3$: the n-type interface
- LaAlO_3 slab on $\text{SrTiO}_3(001)$ substrate:
surface coupled to an interface

The Polarization Catastrophe

Adding a slab of polar material on a nonpolar (different) material.

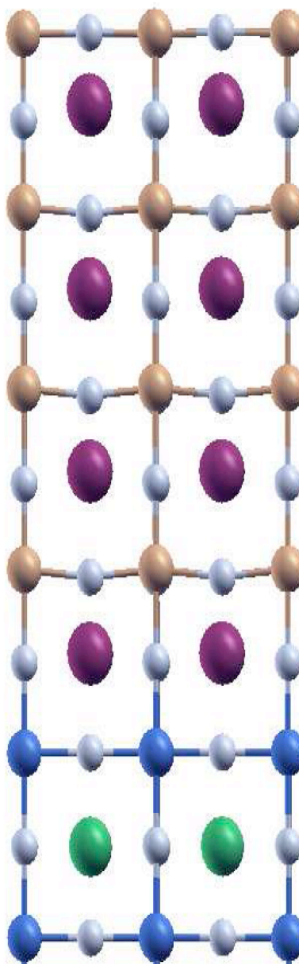
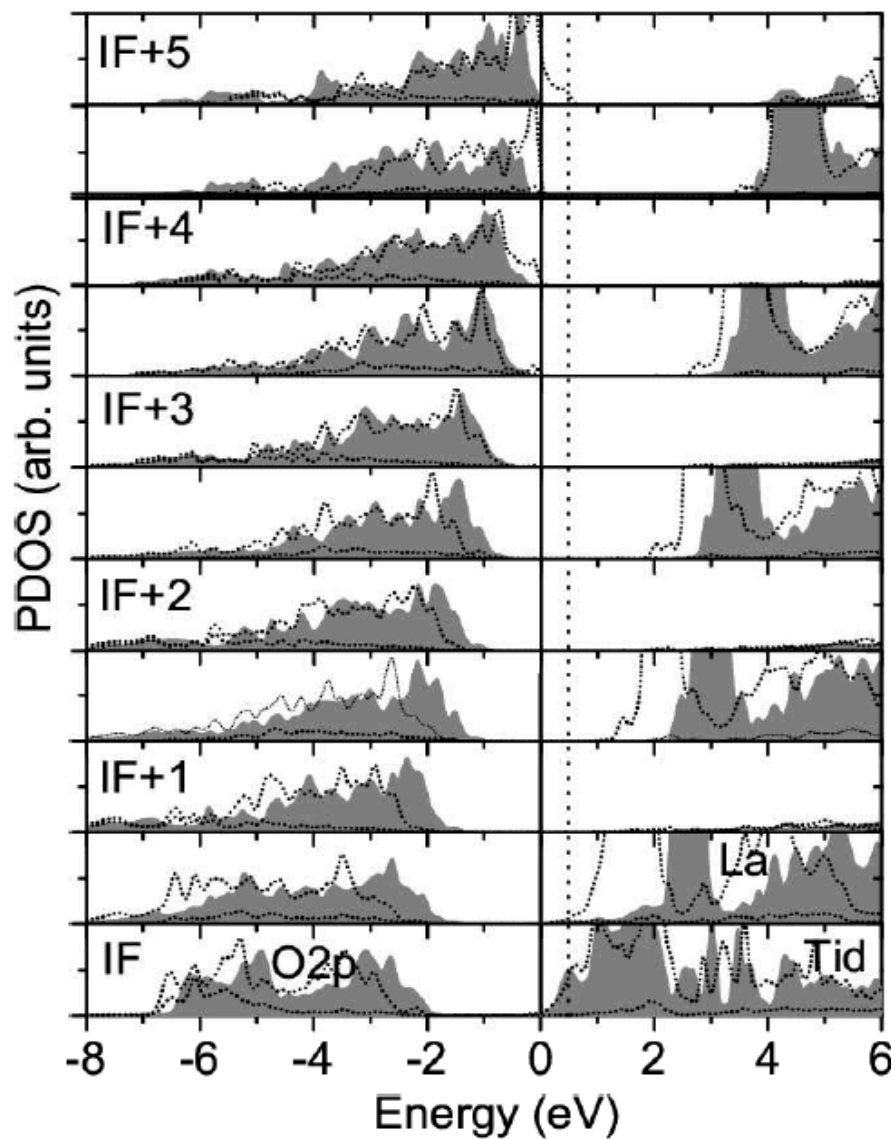


- Nakagawa et al., Nature Mat. (2006)

Five layers of $LaAlO_3$ on $SrTiO_3$ leads (in a purely rigid ionic picture) to a potential difference from substrate to surface of ~ 100 eV.

This is nonsense of course: the band gap of $LaAlO_3$ is 5.6 eV.
So what is the real story? (extpl & theory)

5ML LAO/STO(001) surfaces: band alignment



Upward 'ramp' shift of O 2p bands layer-by-layer

Ideal positions: metallic behavior with partial occupation of Ti 3d states @ IF

Relaxed structure:
VBM determined by O2p@surface
CBM by Ti 3d states @ IF;
Ti remains in 4+ state

Next:
electronic reconstruction

TiO_2/VO_2 (001) is $\text{Ti}^{4+} - \text{V}^{4+}$ [$d^0 - d^1$ system]
of a band ins., peculiar Mott-Peierls ins.

No polar discontinuity; is it boring?

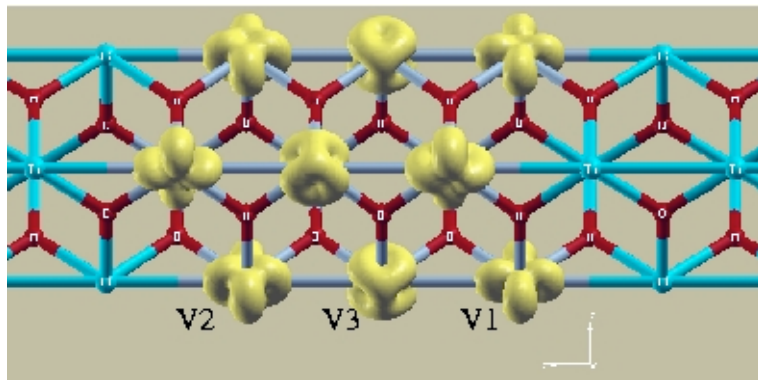
VO_2 is a strongly correlated system with a
metal-insulator transition at 340 K

Synthesis and Characterization of TiO_2/VO_2 multilayers

Dan Lam's group, ANL (1990-93). Coherent TiO_2/VO_2 interfaces
Muraoka, Hiroi, APL 2002. Tuning of VO_2 metal-insulator transition
Okazaki, Sugai, Muraoka, Hiroi, PR B 2006. PES study of spectral weight
Maekawa PR B 2007. PES study of conducting vs insulating interface
Nagashima, Yanagida, Tanaka, Kawai, JAP 2007. 5 nm required for MIT

Superlattice: $(VO_2)_3/(TiO_2)_5$

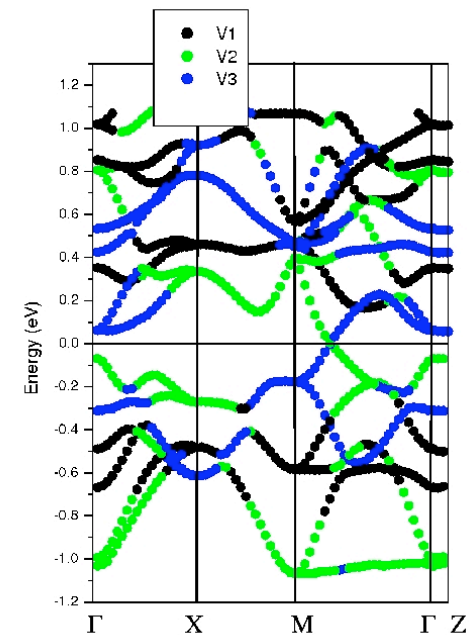
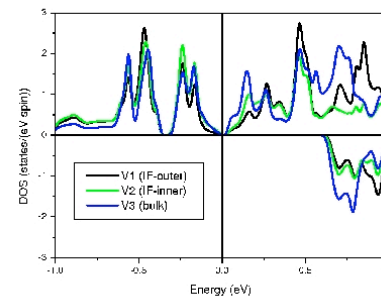
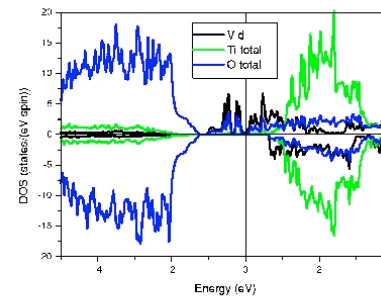
1 electron on each V ion



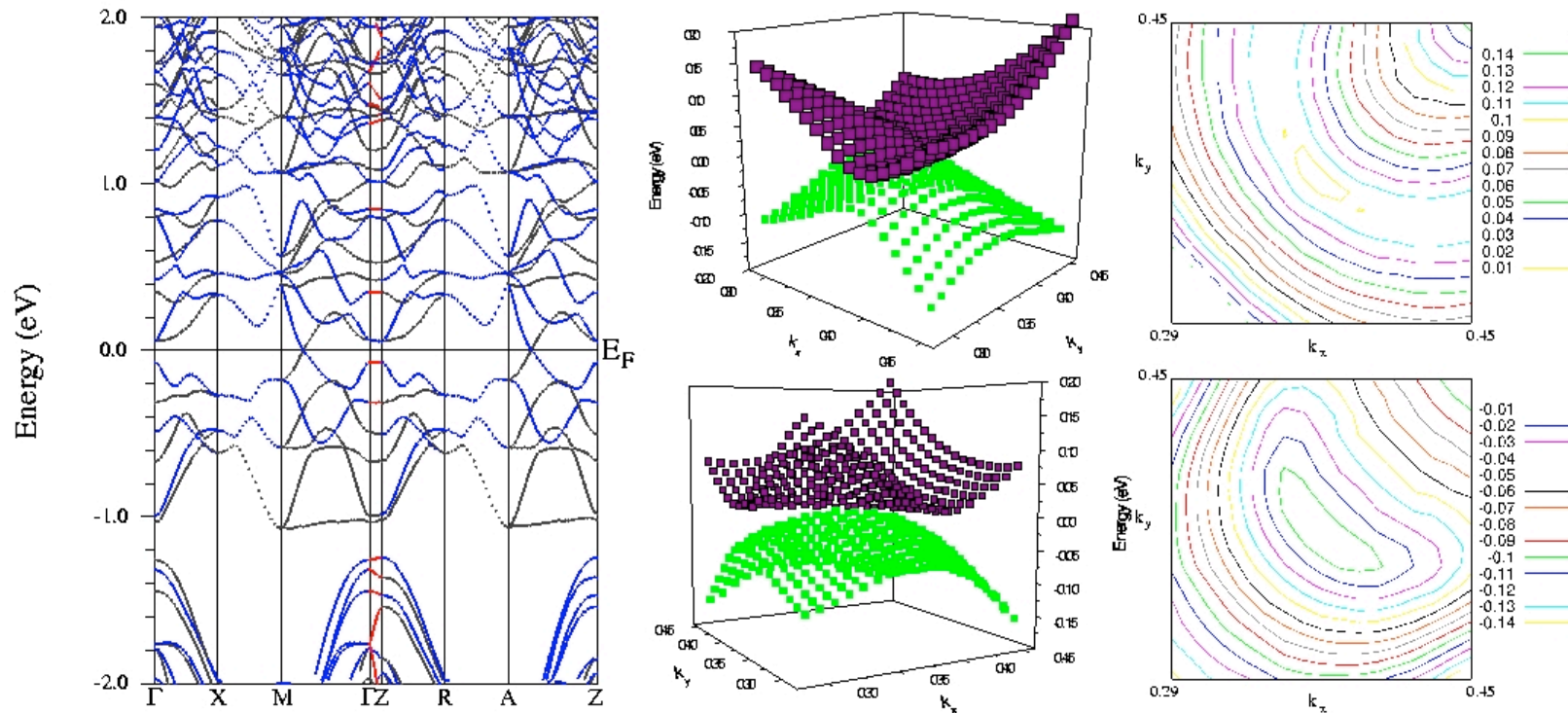
- 3 unit cells of VO_2 encased within TiO_2 .
- only small atomic relaxation from ideal
- unexpected V 3d **orbital ordering**
- half metallic** 2D slab

So, interesting but unexciting, right?

Wrong. Unusual electronic structure.



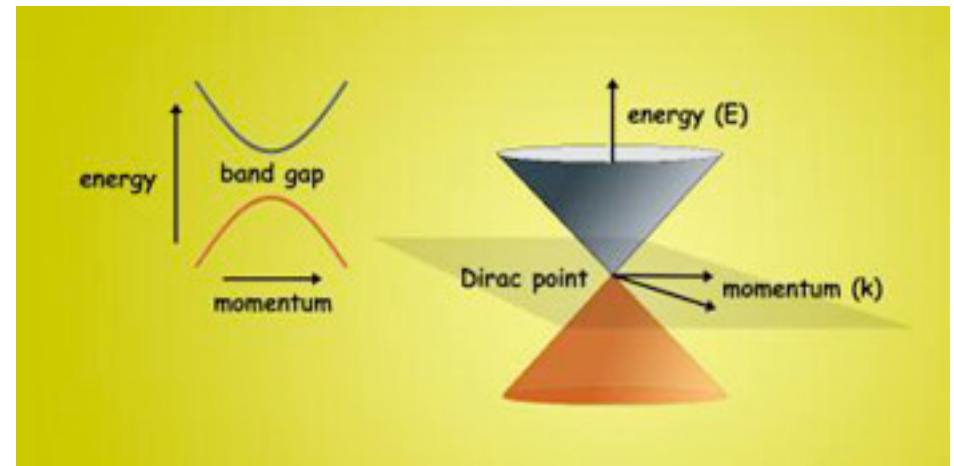
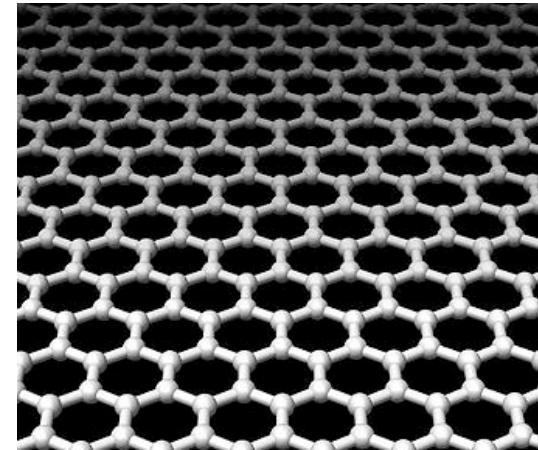
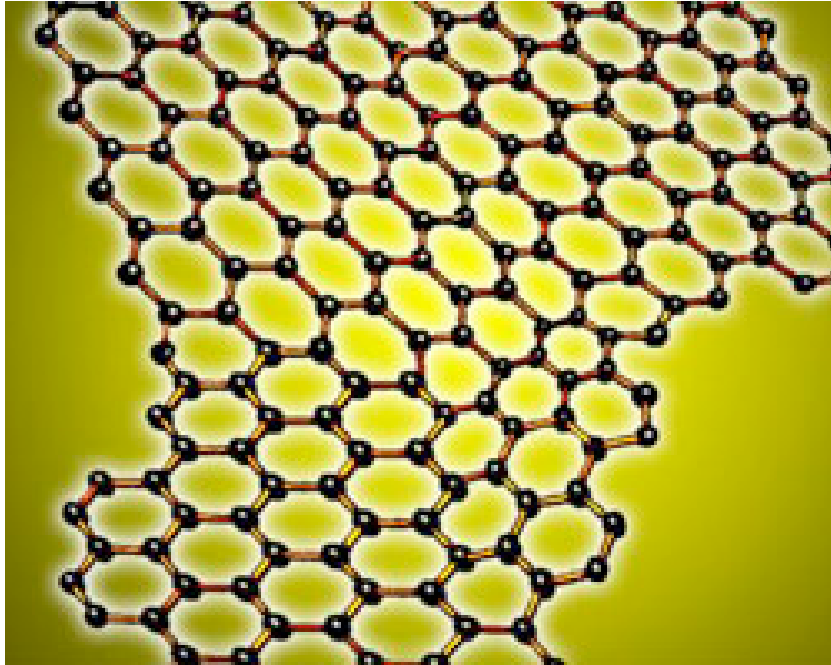
“semiDirac” phase in 2D VO₂ trilayer



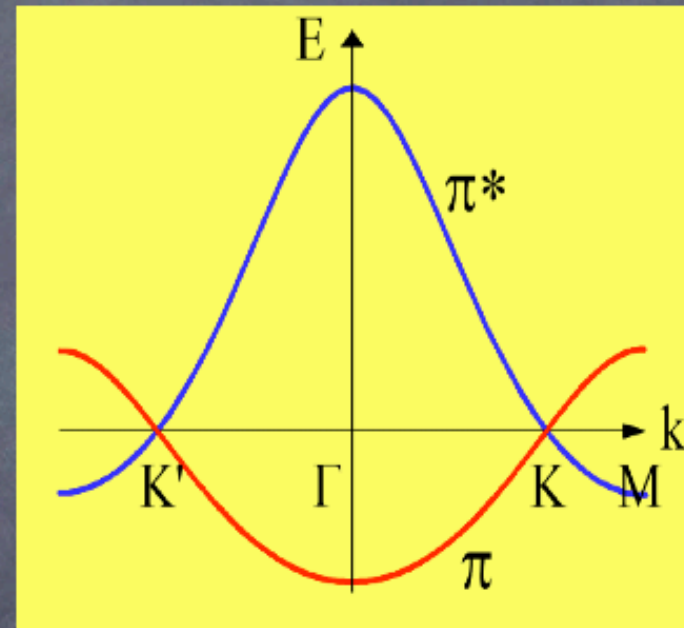
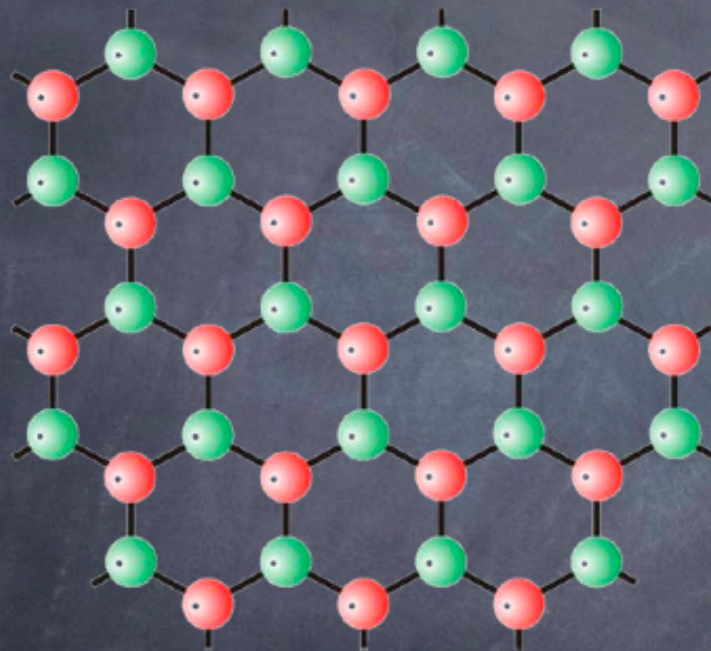
Point Fermi surface; $E(k) = \pm [(k_x^2/2m^*)^2 + (vk_y)^2]^{1/2}$

“massive” along x’ (particle-like), “massless” along y’ (photon-like).

Graphene: single layer graphite



Chiral Fermions in Graphene



two sublattices



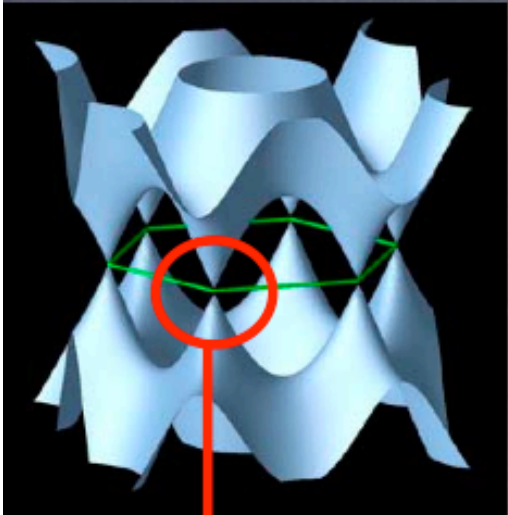

superposition of their wavefunctions



spinors (2 projections of pseudospin)

Electronic structure of graphene

Dirac fermions in graphene

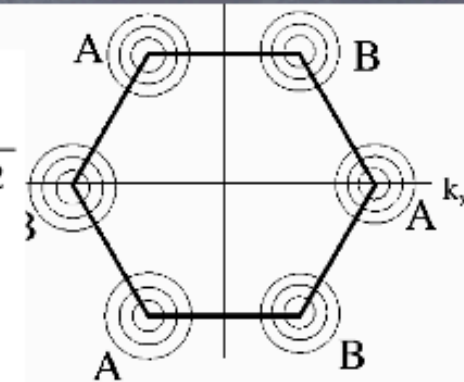



$$K.E. = \pm v |P|$$

$$K.E. = \pm \sqrt{m^2 v^4 + v^2 P^2}$$

$$m = 0$$

$$v \approx c/300$$

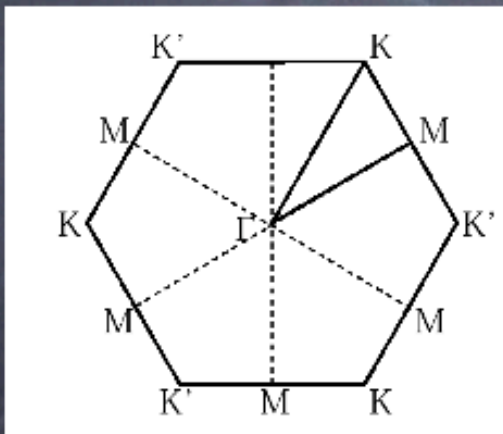


Low energy elementary excitations are two-dimensional Dirac-Fermions.

DOS is similar top d-wave SC because of nodal points

Dirac Fermions in Graphene

Brillouin zone

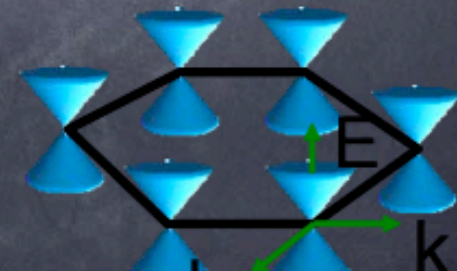


Tight binding model

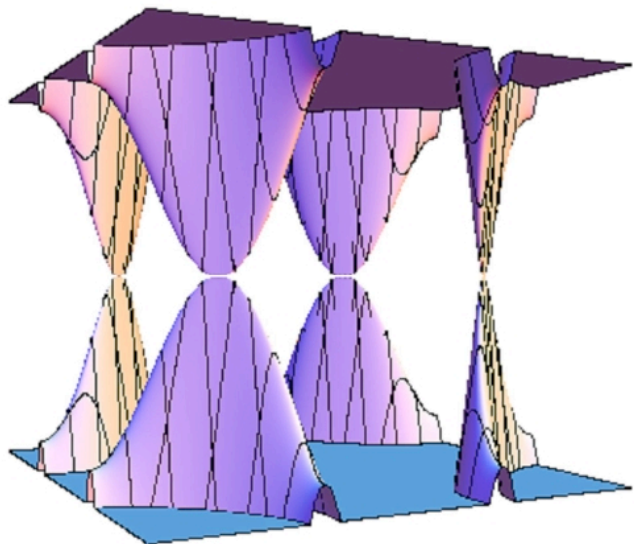
$$H_k = \begin{pmatrix} 0 & \xi(k) \\ \xi^*(k) & 0 \end{pmatrix}$$

$$\xi(k) = t \sum_{j=1}^3 e^{ik(b_j - b_1)}$$

$$H_{K\pm} = v_f \hbar (k_1 \sigma_1 \mp k_2 \sigma_2)$$



Four semiDirac points along (1,1) directions in the square Brillouin zone



Minimal model for semiDirac system:

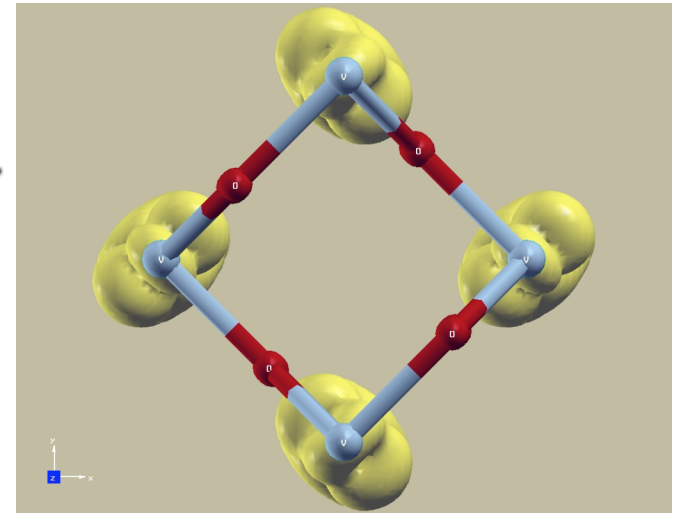
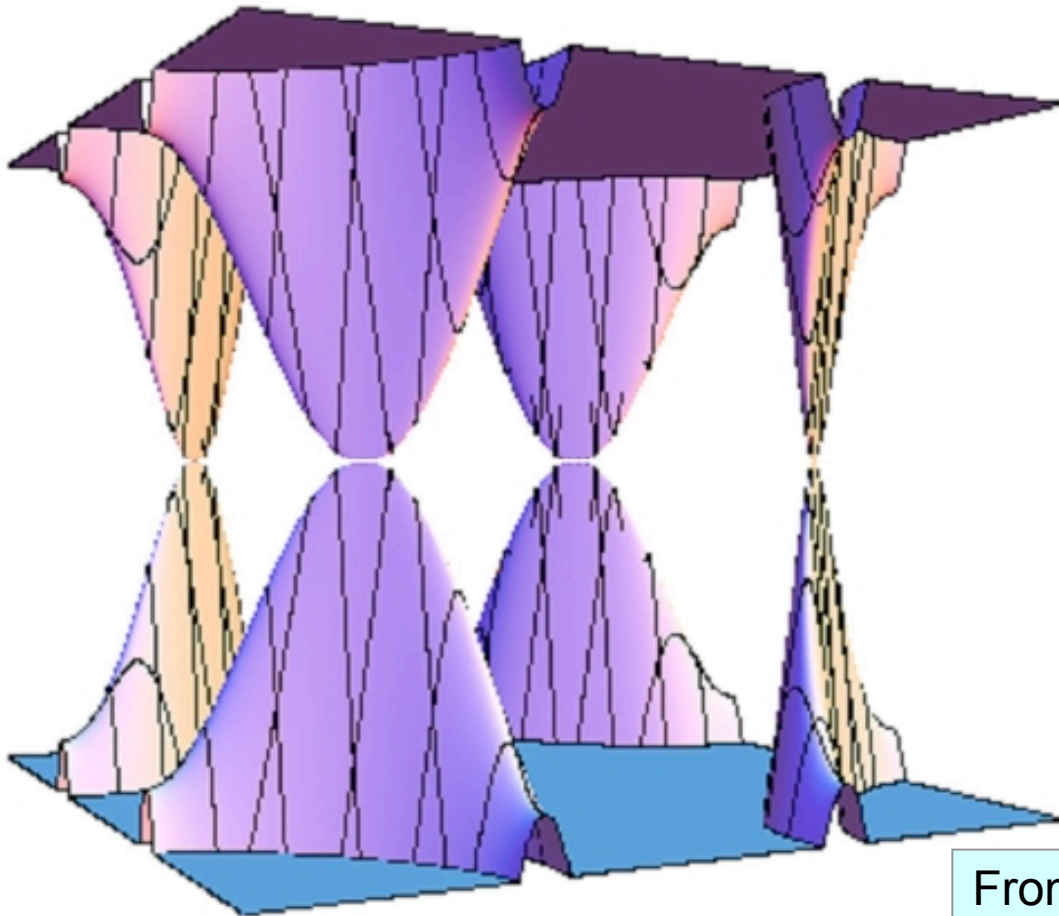
- * Orbital A: $E_1 + 2t[\cos k_x + \cos k_y]$
- * Orbital B: $E_2 - 2t[\cos k_x + \cos k_y]$
- * Orbital C: E_3 , distant in energy

Coupling A-C, B-C (not A-B):
 $2t' [\cos k_x - \cos k_y]$

$$H = \begin{pmatrix} \varepsilon_1 + 2t(\cos k_x + \cos k_y) & 0 & 2t'(\cos k_x - \cos k_y) \\ 0 & \varepsilon_2 - 2t(\cos k_x + \cos k_y) & 2t'(\cos k_x - \cos k_y) \\ 2t'(\cos k_x - \cos k_y) & 2t'(\cos k_x - \cos k_y) & \varepsilon_3 \end{pmatrix}$$

Result: four semiDirac points along the four (1,1) directions

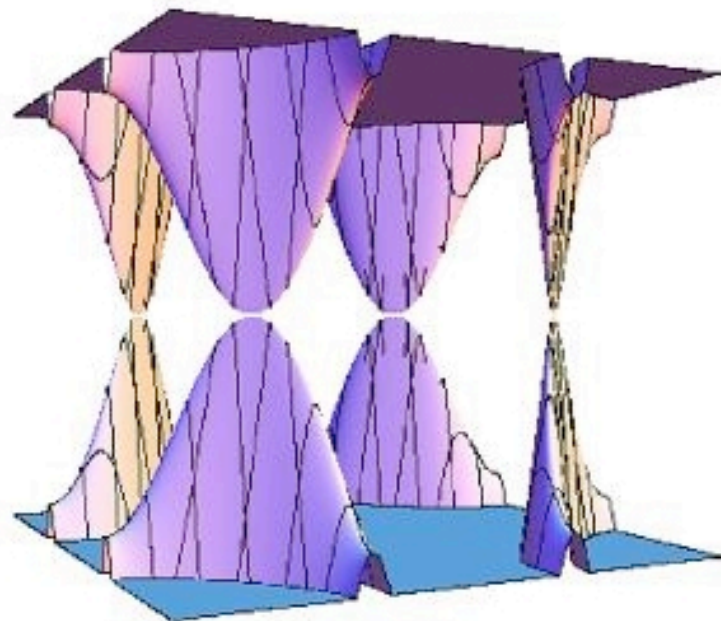
Four **semiDirac** points along (1,1) directions
in the square Brillouin zone



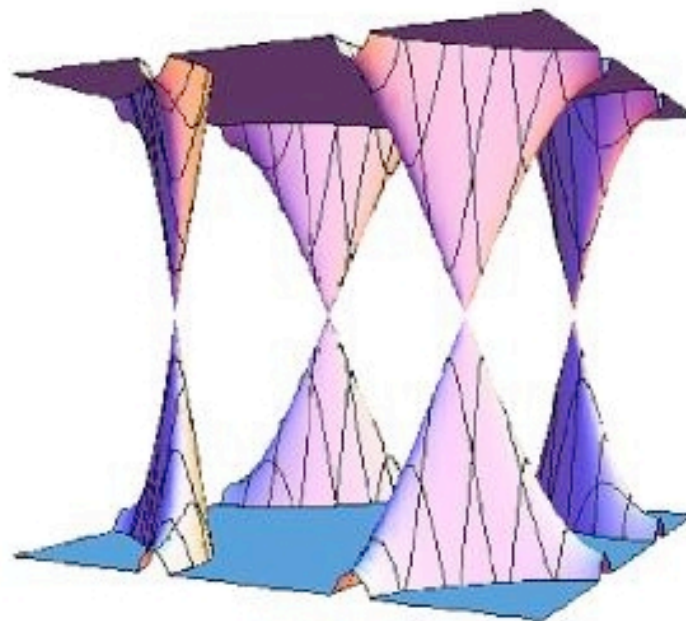
Looking down on the
VO₂ trilayer spin density

From the tight-binding model

Comparison: semiDirac to anisotropic Dirac

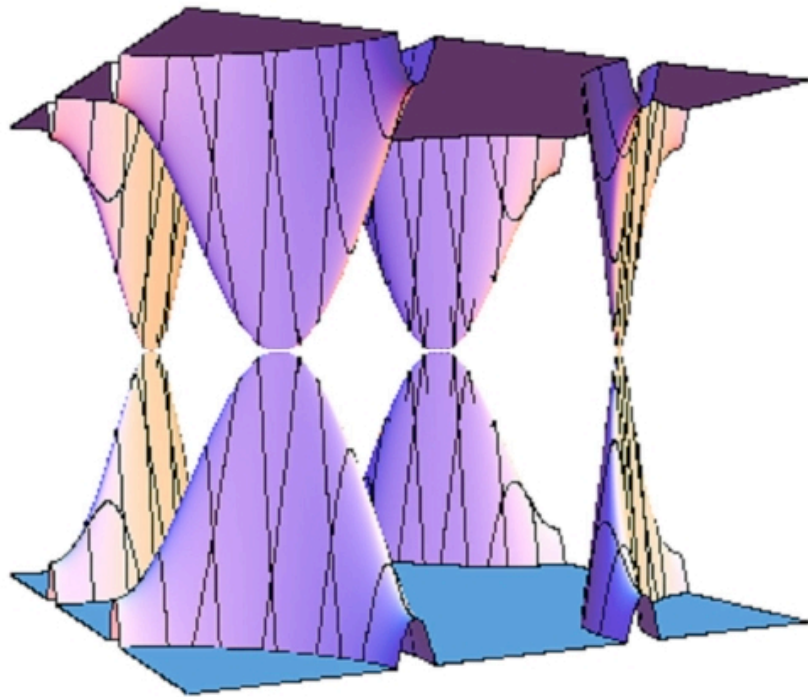


↑
semiDirac



↑
anisotropic
Dirac

Electrons in a semiDirac system, “semiDirac quasiparticles”



usual 2D: $N(E) \sim \text{constant}$

semiDirac: $N(E) \sim |E|^{1/2}$

Dirac: $N(E) \sim |E|$ (graphene)

semiDirac $N(E)$ is non-analytic,
has higher DOS near the point
Fermi surface than Dirac system

different behavior in a magnetic
field; (presumably) different
QHE and associated edge
states

Point Fermi surface; $E(k) = \pm \sqrt{[(k_x^2/2m^*)^2 + (vk_y)^2]}$
massive along x' , massless along y'

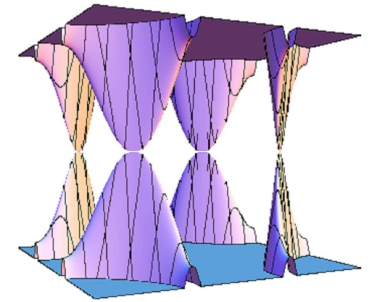
The low energy Hamiltonian for the two bands is

$$H = \begin{bmatrix} p_x^2/2m & vp_y \\ vp_y & -p_x^2/2m \end{bmatrix}$$

Then $p \rightarrow p - (e/c)A$ to treat field. The cyclotron harmonic oscillator potential becomes an asymmetric quartic potential in the semiDirac problem. New behavior will emerge.

Summary: semiDirac quasiparticles

A new “semiDirac” quasiparticle state in the TiO_2/VO_2 (001) system due to quantum confinement + appropriate ionic configuration



Features compared to graphene:

- half metallic (no spin degree of freedom) rather than spin-degenerate
- semiDirac spectrum rather than Dirac spectrum
- distinct quantum Hall/spin quantum Hall behavior is displayed
- point FSs along (1,1) directions, not at fixed symmetry points
- each point is “maximally anisotropic” rather than isotropic
- solid state heterostructure is robust, graphene is flexible
- heterostructure can be etched to study edge states, shape effects
- TB model gives real possibility of design of other semiDirac systems

+ -

dipole= - a

+ - + -

dipole= -2a

+ - + - + -

dipole= -3a

+ -

dipole= - a

- + - +

dipole= +2a

+ - + - + -

dipole= -3a